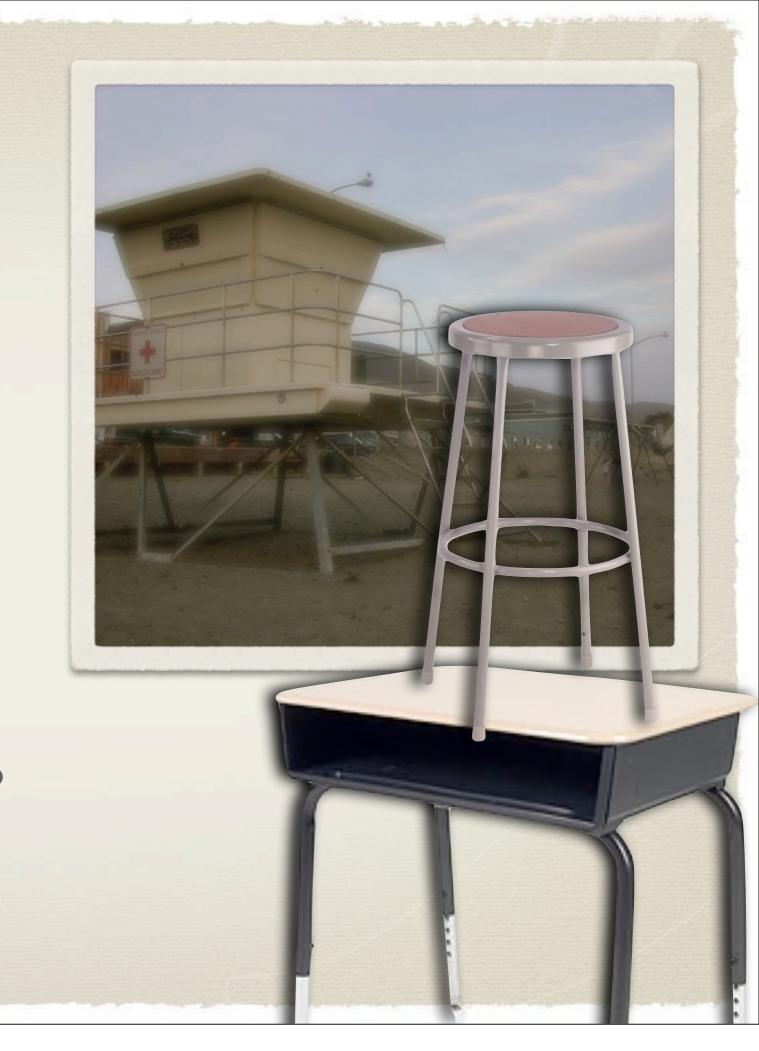




2 Volunteers

- Place a chair on the table
- Hold a chair at the same height
- the big question:
 - who did more work?



Work

$$W = Fd$$

Work = Force x distance

- Force and Distance must be collinear

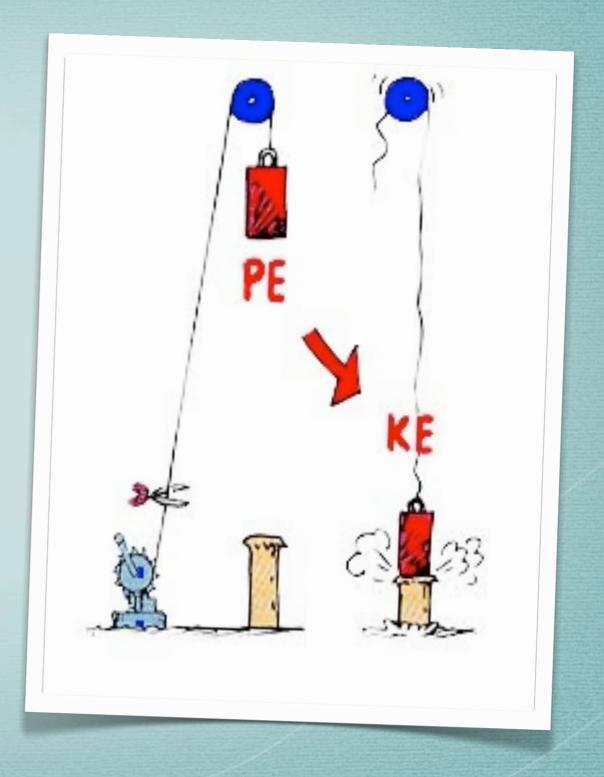
Definition of COLLINEAR

- 1 : lying on or passing through the same straight line
- 2 : having axes lying end to end in a straight line < collinear antenna elements >

Kinetic & Potential

Kinetic - Energy of a mass in motion

Potential - Energy stored for later



Potential Energy

- mass (kg)
- \triangleright gravity (9.8 m/s²)
 - height (m)
- the height must be relative to some "ground" level

Kinetic Energy

$$KE = \frac{1}{2}mv^2$$

- mass (kg)
- velocity (m/s)
- KE is often relative to an original velocity of 0 m/s (0 Joules)

Conservation of Energy

- Find the total Energy at any one point
- The total can not change in a closed system
- KE is often used to find final velocities



A race to put the chair on the desktop

A race to put the chair on the desktop



- A race to put the chair on the desktop
- Who was stronger?



- A race to put the chair on the desktop
- Who was stronger?
- Who did more Work?



- A race to put the chair on the desktop
- Who was stronger?
- Who did more Work?
- So what's the difference?



Power

How Fast Work is Done

- Watts (W) = J/s
- \triangleright 1 hp = 550 ft lb/s = 746 W



A Father uses a force of 150N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35° with the horizontal. They go a distance of 75 m in 2 minutes



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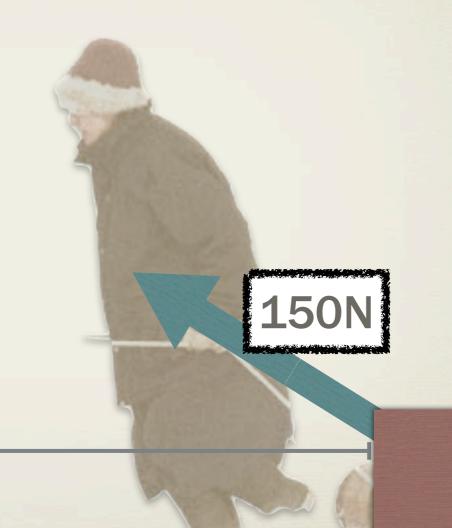


A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes



A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

W = Fd



A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

$$W = Fd$$
 $W = (Fx) (d)$



A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

W = Fd W = (Fx) (d) W = 150N(cos35)(75)

150N

75m

 $F_x = 123N$

A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

W = Fd W = (Fx) (d) W = 150N(cos35)(75) W = 9215.5 J

150N

75m

 $F_{x} = 123N$

A Father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

W = Fd W = (Fx) (d) W = 150N(cos35)(75) W = 9215.5 J

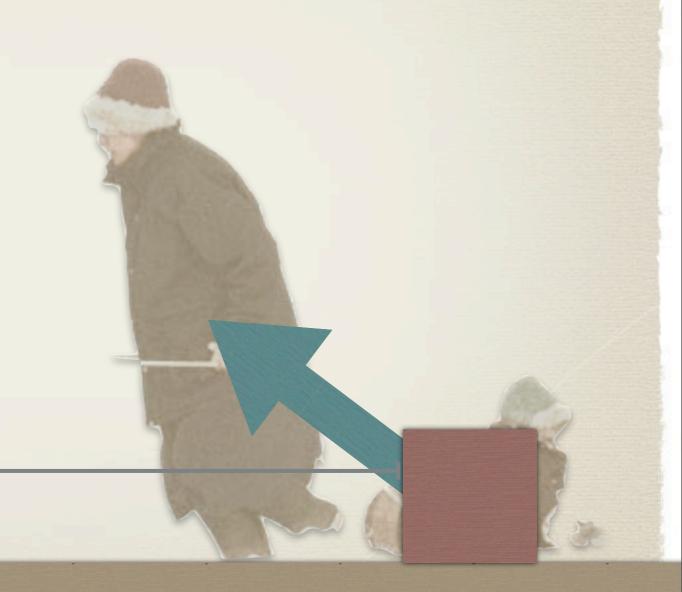
note: Only the "x" force was used and 500 N was not important

150N

75m

 $F_x = 123N$

A father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes



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Power = W/t



A father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

Power = W/tP = 9215.5 J/120 s



A father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

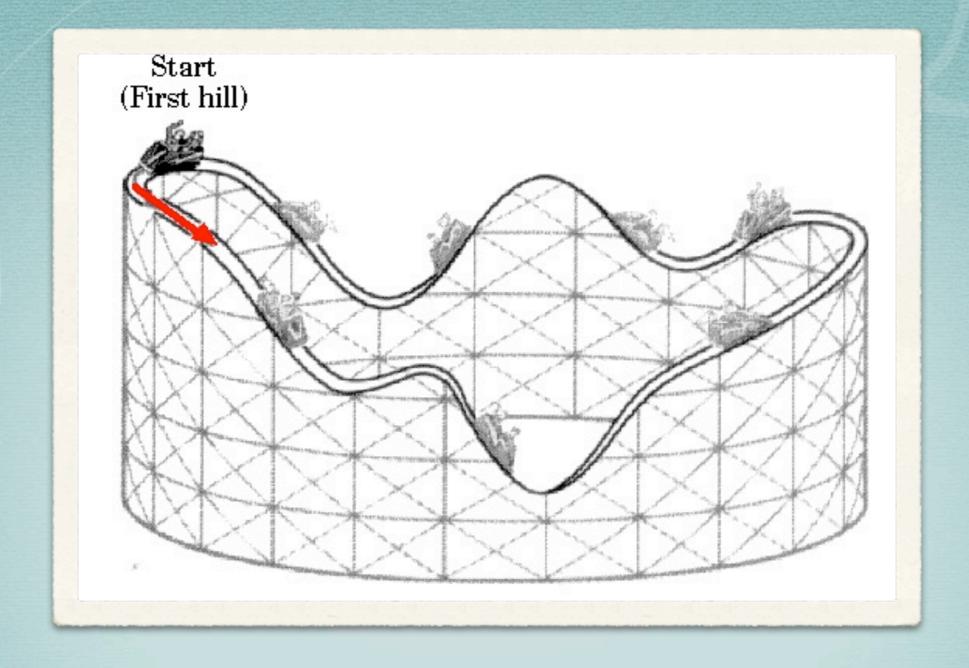
Power = W / t P = 9215.5 J / 120 sP = 76.8 Watts



A father uses a force of 150 N to pull a sled with a total weight of 500 N. The Rope makes an angle of 35 degrees with the horizontal. They go a distance of 75 m in 2 minutes

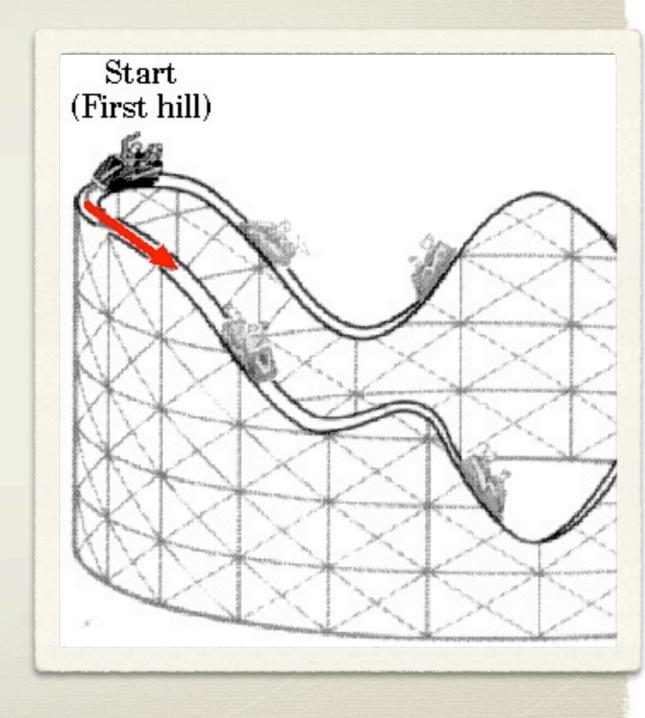
Power = W / t
P = 9215.5 J / 120 s
P = 76.8 Watts
P = 76.8 W



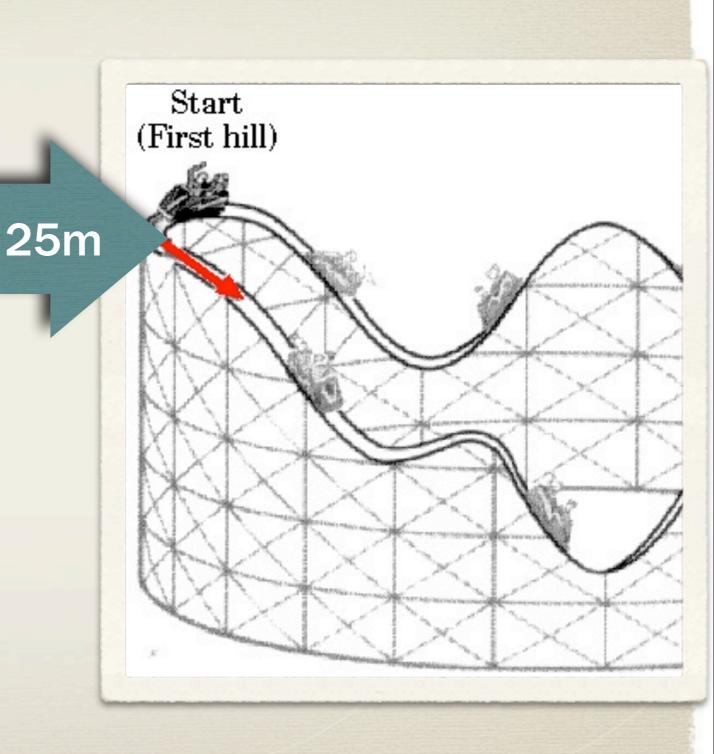


The Roller Coaster

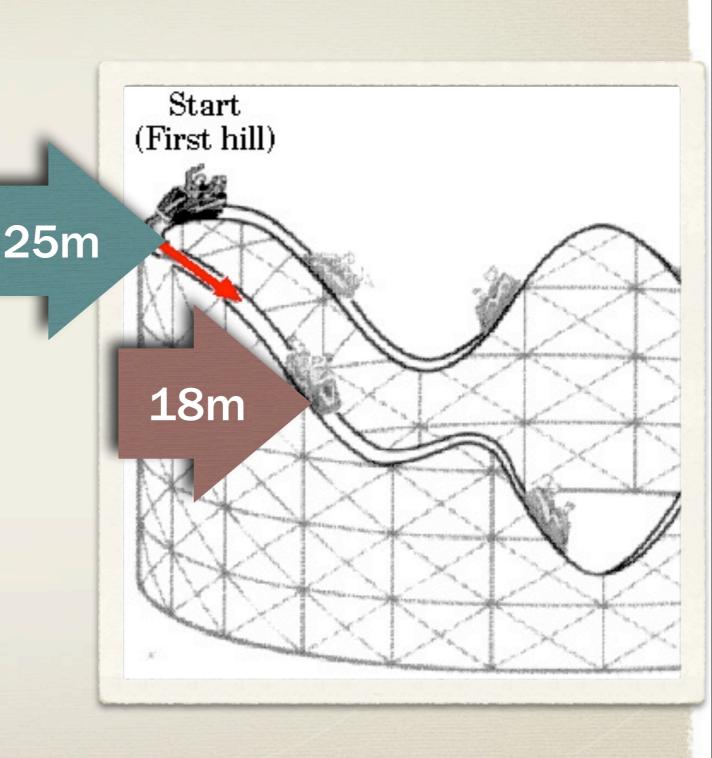
Conservation of Energy Problems



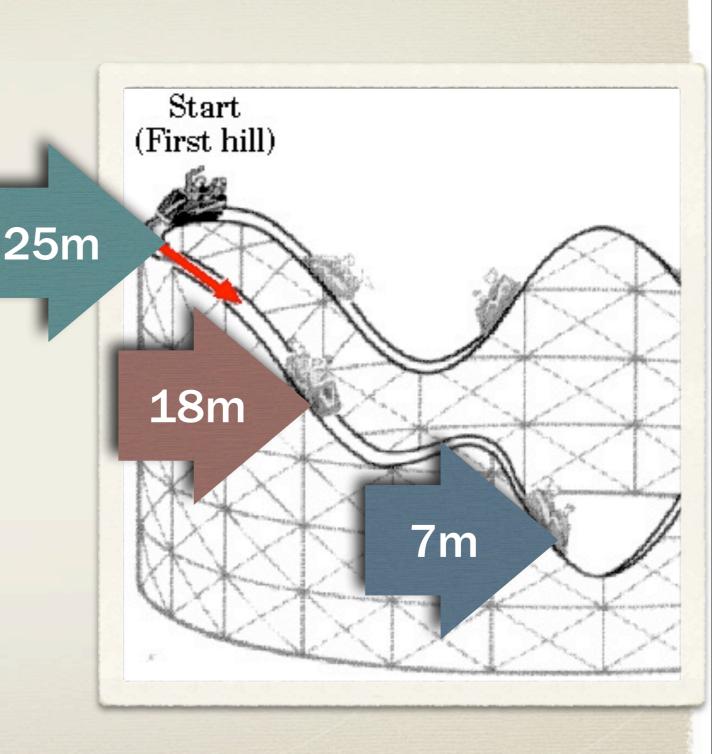
If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...



- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
- Find the velocity at point B

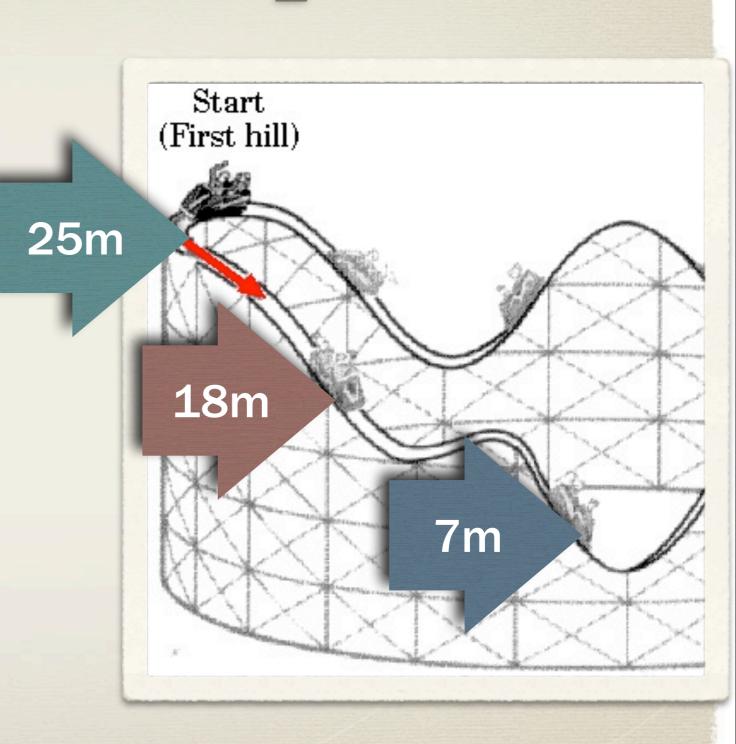


- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
- Find the velocity at point B
- Find the velocity at point C



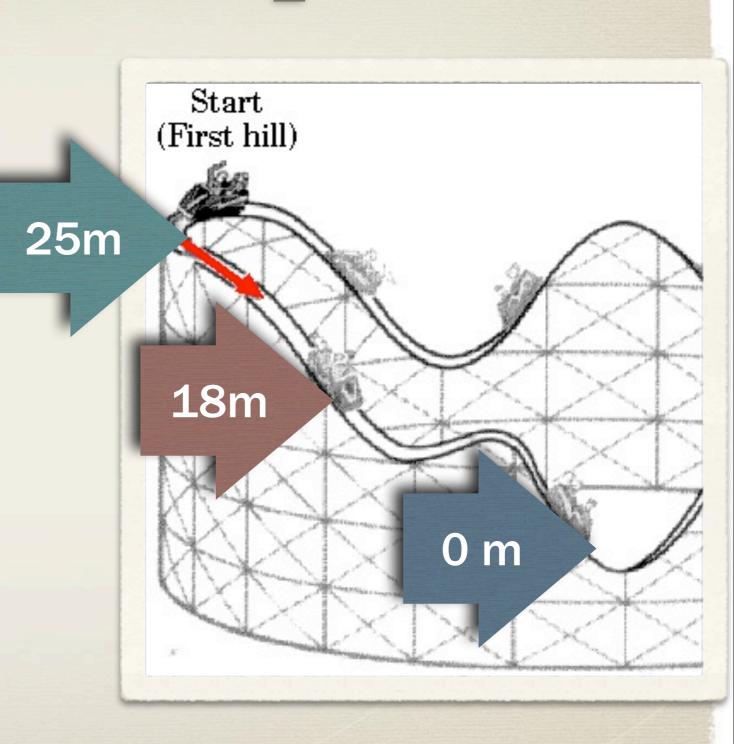
Make it Simple

- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
- Find the velocity at point B
- Find the velocity at point C



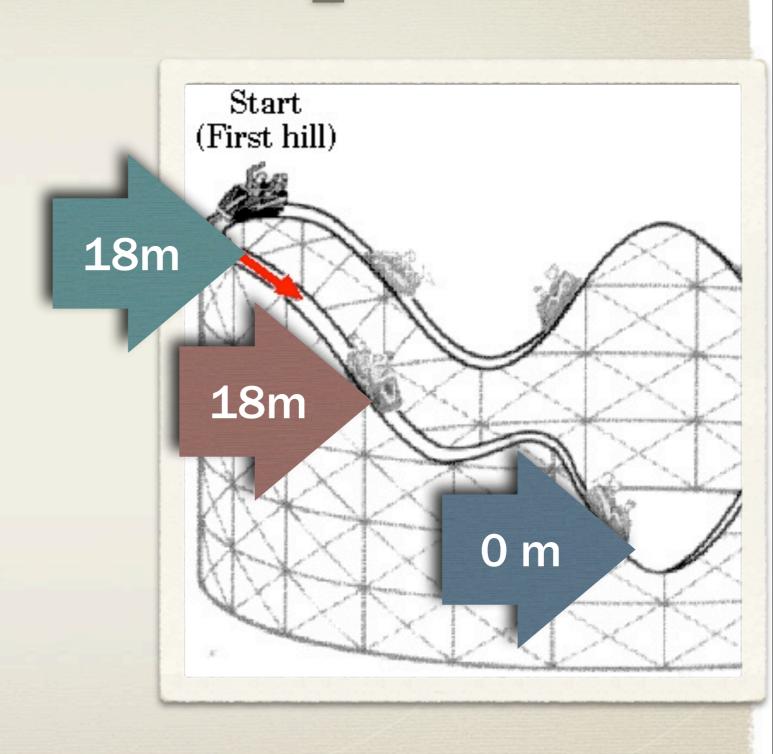
Make it Simple

- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
- Find the velocity at point B
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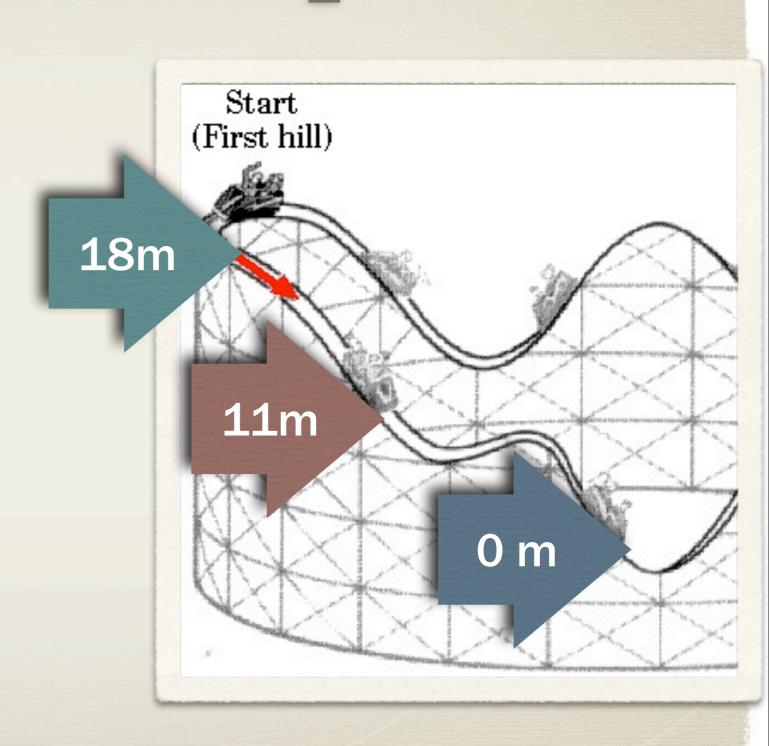
Make it Simple

- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
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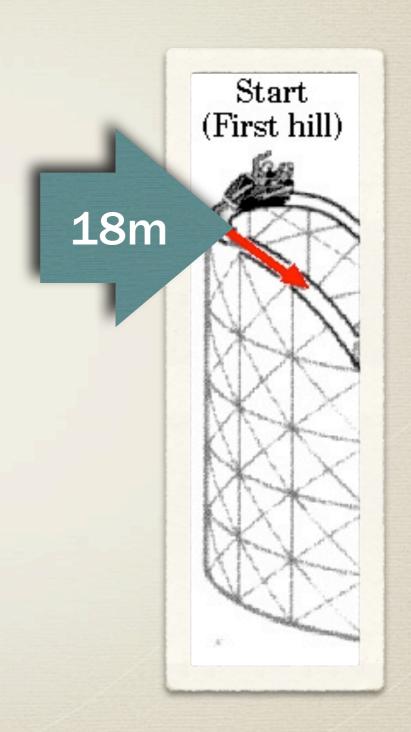
Make it Simple

- If the roller coaster car has a total mass of 1000 kg, and starts with almost no velocity at the top...
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- Find the velocity at point C

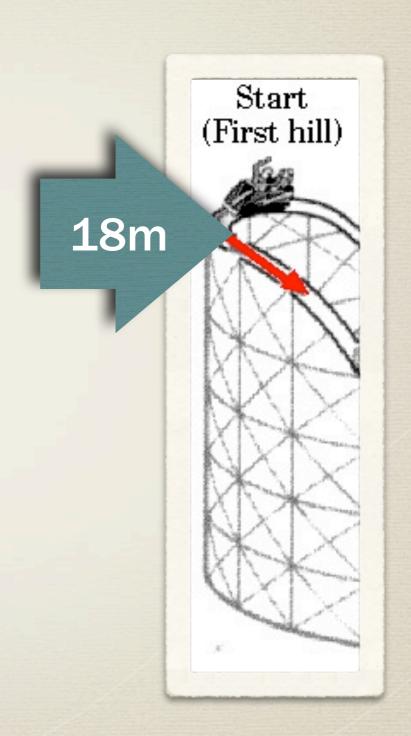


At the top (18m) Start (First hill) 18m

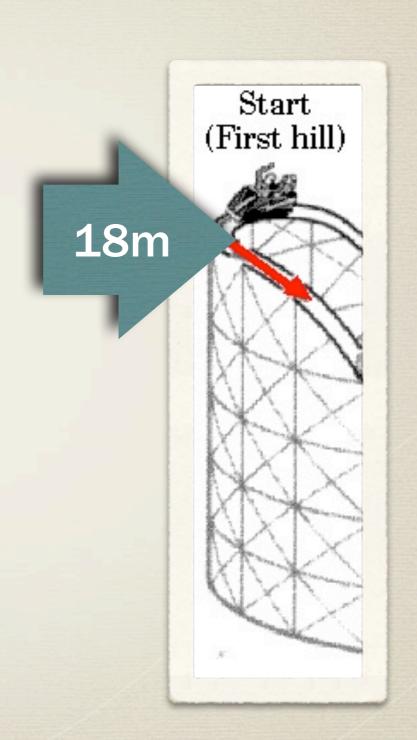
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m



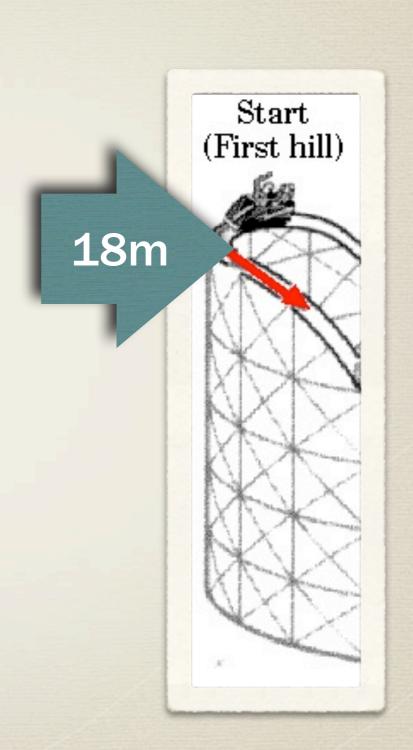
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m
- ▶ PE = mgh



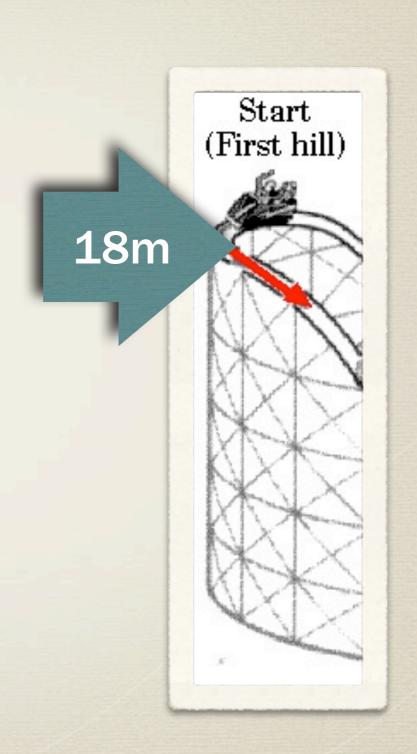
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(18)



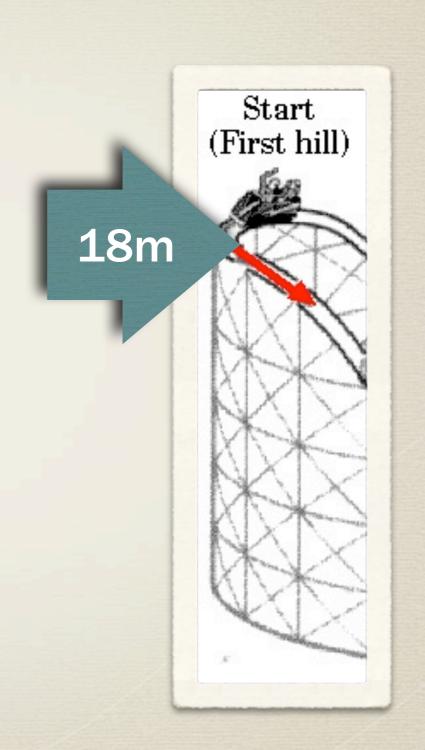
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(18)
- ▶ PE = 176,400J



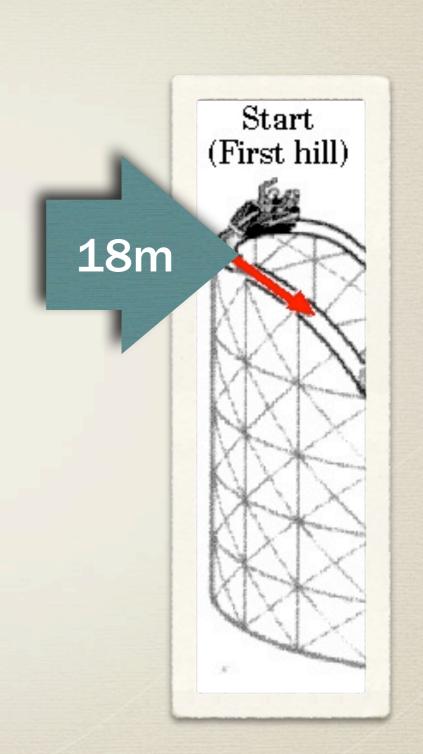
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(18)
- ▶ PE = 176,400J
 - $PE = 176.4 \, kJ$

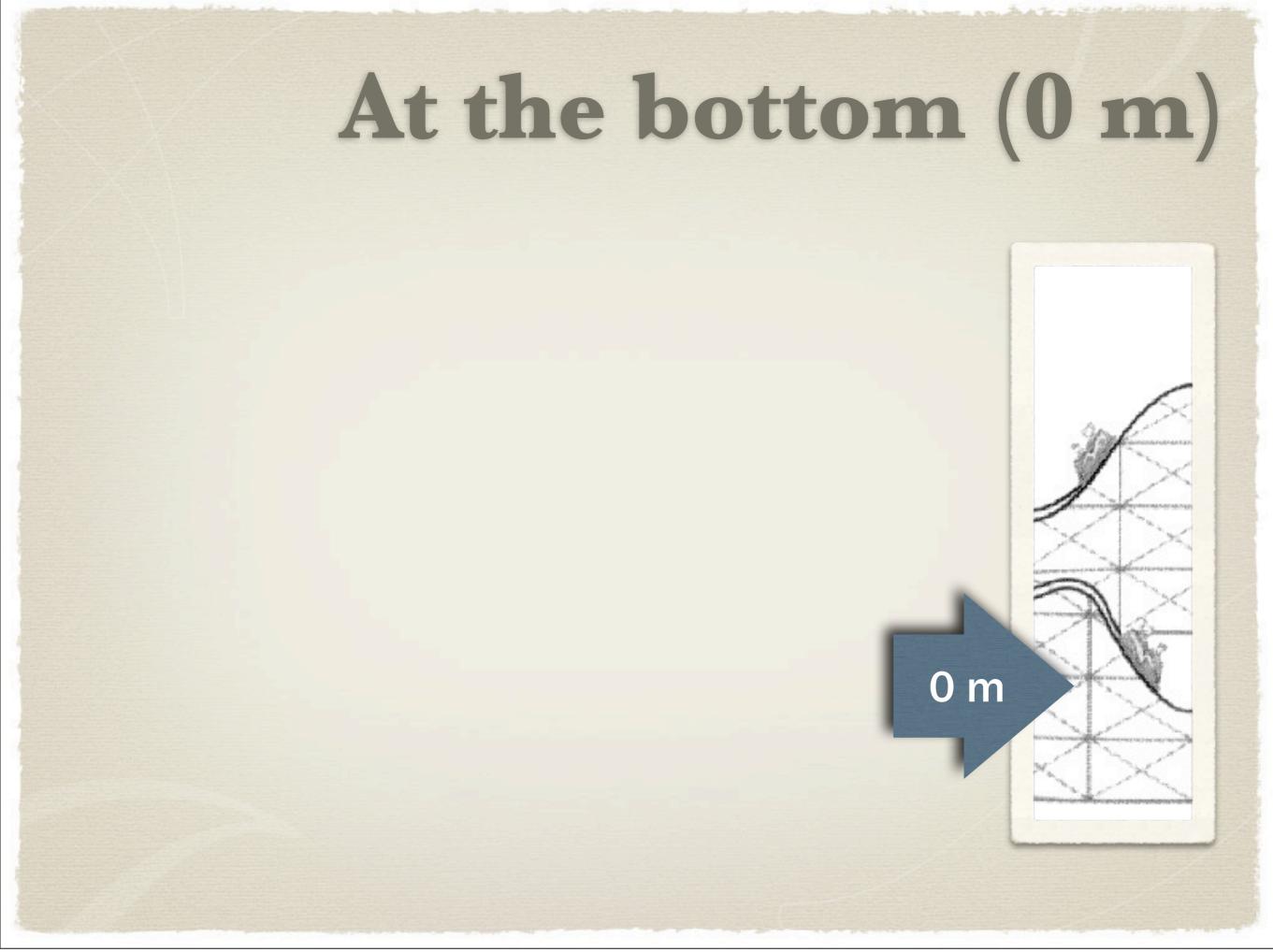


- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - b h = 18 m
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(18)
- ▶ PE = 176,400J
 - $PE = 176.4 \, kJ$
- \triangleright KE = $\frac{1}{2}$ (mv²)= 0 J

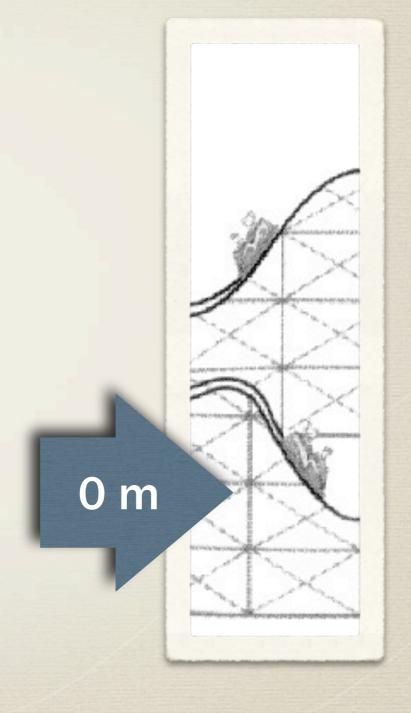


- ▶ Given Info:
 - m = 1000 kg
 - \triangleright v = 0 m/s
 - ▶ h = 18 m
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(18)
- ▶ PE = 176,400J
 - $PE = 176.4 \, kJ$
- \triangleright KE = $\frac{1}{2}$ (mv²)= 0 J
- ▶ TE = 176.4 kJ

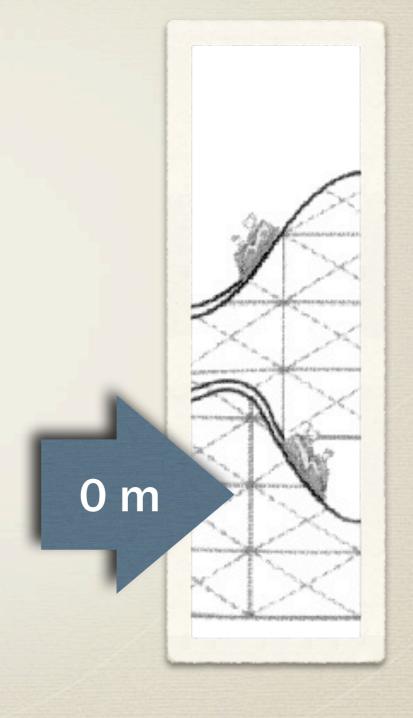




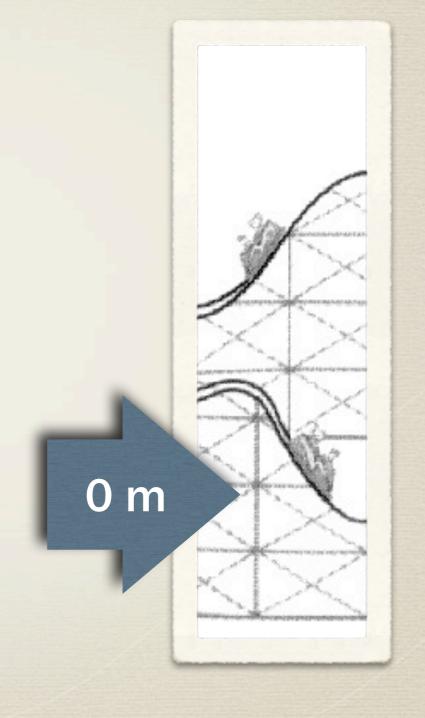
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - ▶ TE = 176.4 kJ



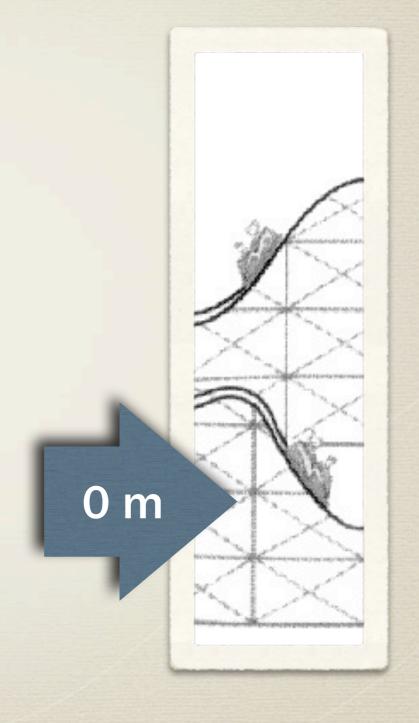
- ▶ Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - ▶ TE = 176.4 kJ
- \triangleright PE = mgh = 0 J



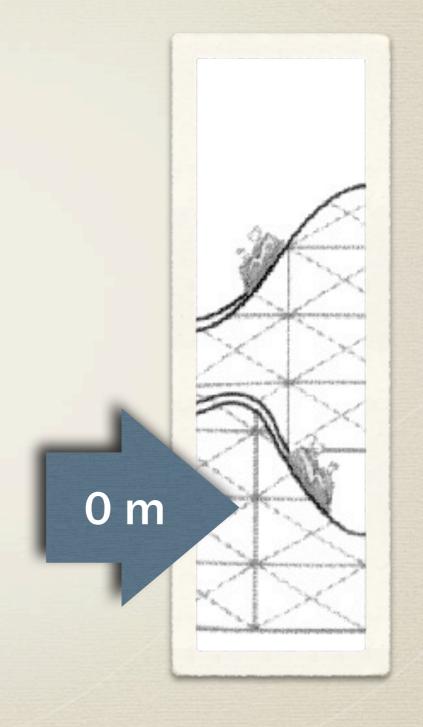
- Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - Arr TE = 176.4 kJ
- \triangleright PE = mgh = 0 J
- \triangleright KE = 176,400 J



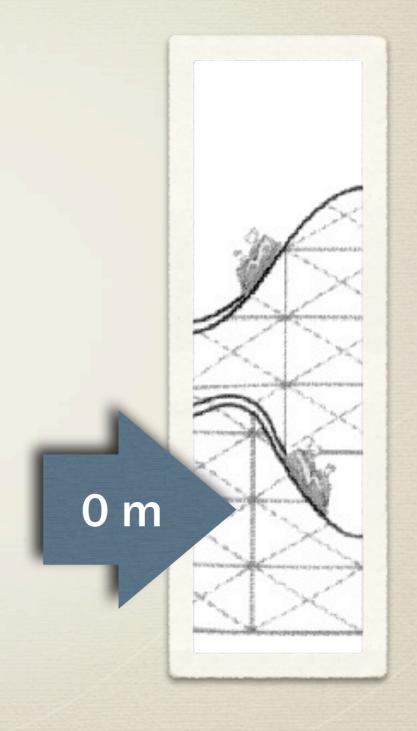
- Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - ▶ TE = 176.4 kJ
- \triangleright PE = mgh = 0 J
- \triangleright KE = 176,400 J
 - \triangleright 176,400 J = $\frac{1}{2}$ (1000) V^2



- Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - Arr TE = 176.4 kJ
- \triangleright PE = mgh = 0 J
- \triangleright KE = 176,400 J
 - \triangleright 176,400 J = $\frac{1}{2}$ (1000) V^2
 - $V^2 = 352.8$

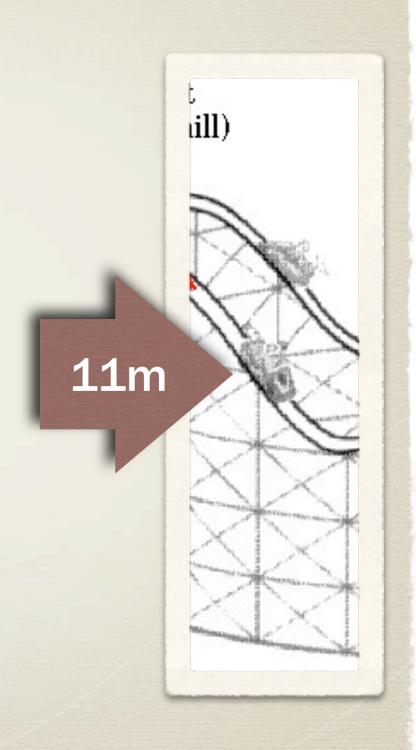


- ▶ Given Info:
 - m = 1000 kg
 - \triangleright h = 0 m
 - \triangleright TE = 176.4 kJ
- \triangleright PE = mgh = 0 J
- \triangleright KE = 176,400 J
 - \triangleright 176,400 J = $\frac{1}{2}$ (1000) V^2
 - $V^2 = 352.8$
 - v = 18.78 m/s

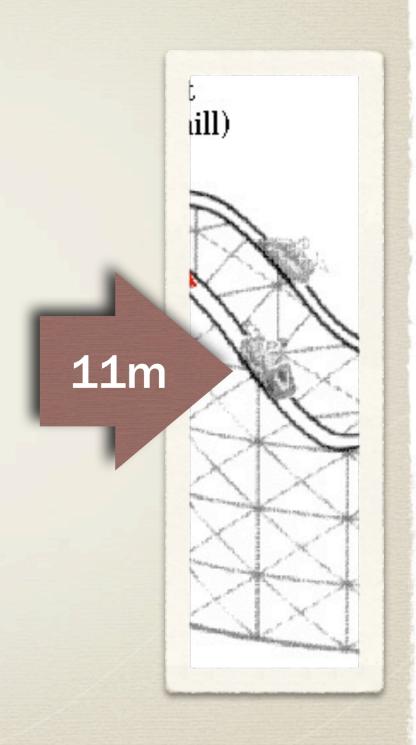


At point B(11m) till) **11**m

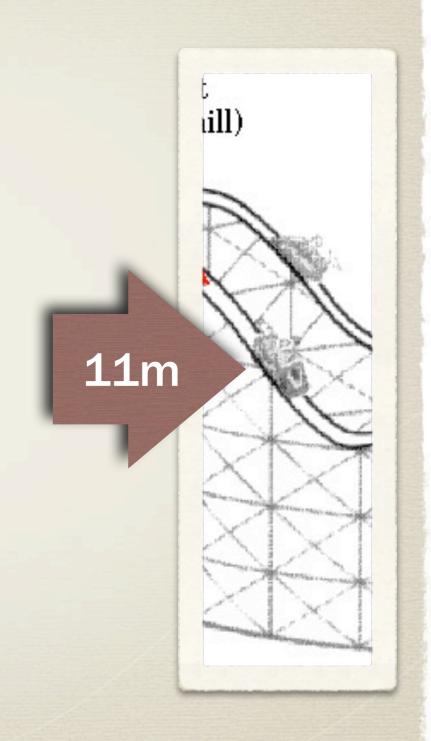
- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ



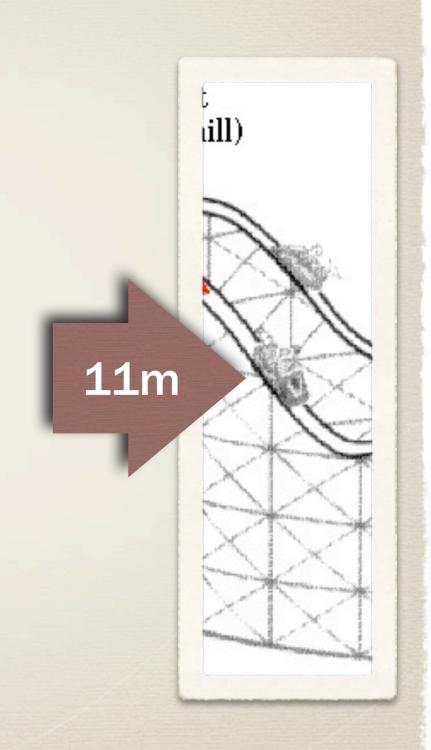
- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh



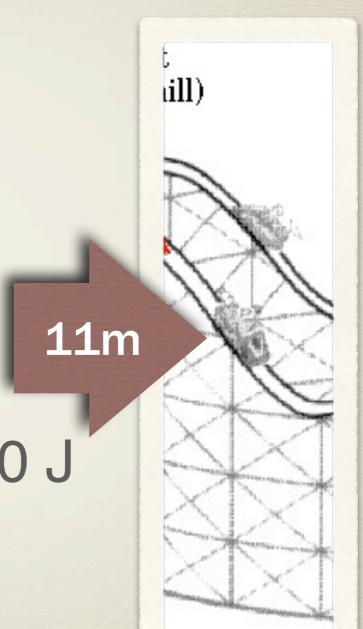
- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)



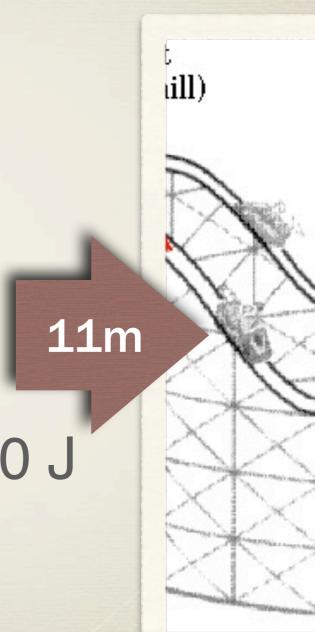
- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)
 - ▶ PE = 107,800 J



- ▶ Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)
 - ▶ PE = 107,800 J
- \triangleright KE = 176,400-107,800 J = 68,600 J



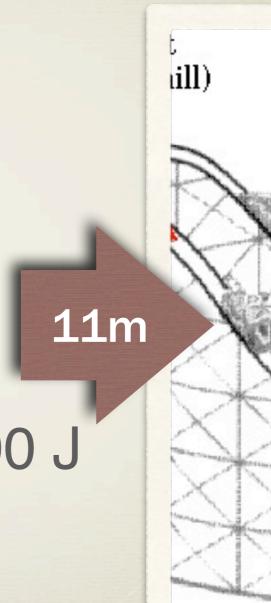
- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)
 - ▶ PE = 107,800 J
- \triangleright KE = 176,400-107,800 J = 68,600 J
- \triangleright KE = 68,600 J = $\frac{1}{2}$ (mv²)



- ▶ Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)
 - ▶ PE = 107,800 J
- \triangleright KE = 176,400-107,800 J = 68,600 J
- \triangleright KE = 68,600 J = $\frac{1}{2}$ (mv²)
 - \triangleright 68,600 J = $\frac{1}{2}(1000)V^2$



- Given Info:
 - m = 1000 kg
 - \triangleright h = 11 m
 - ▶ TE = 176.4 kJ
- ▶ PE = mgh
- \triangleright PE = (1000)(9.8)(11)
 - ▶ PE = 107,800 J
- \triangleright KE = 176,400-107,800 J = 68,600 J
- \triangleright KE = 68,600 J = $\frac{1}{2}$ (mv²)
 - \triangleright 68,600 J = $\frac{1}{2}(1000)$ V²
 - v = 11.71 m/s

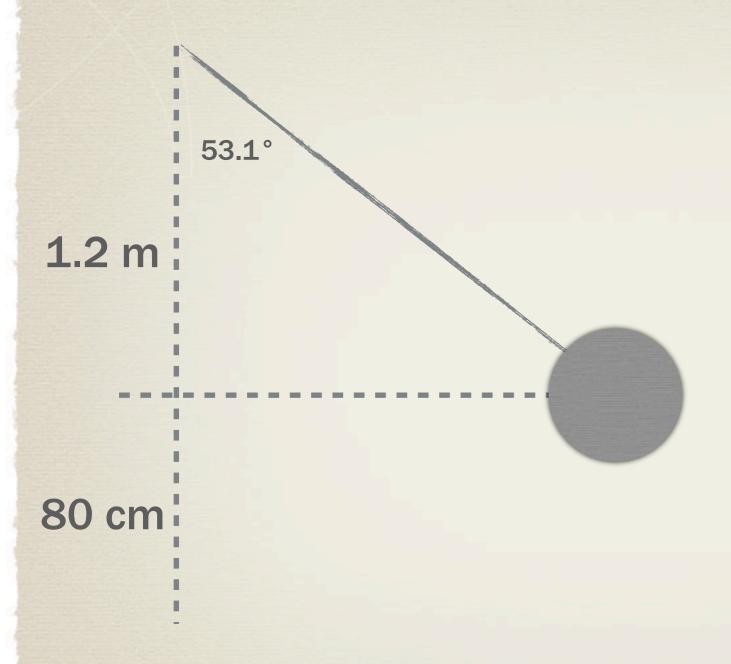




Pendulum Swing

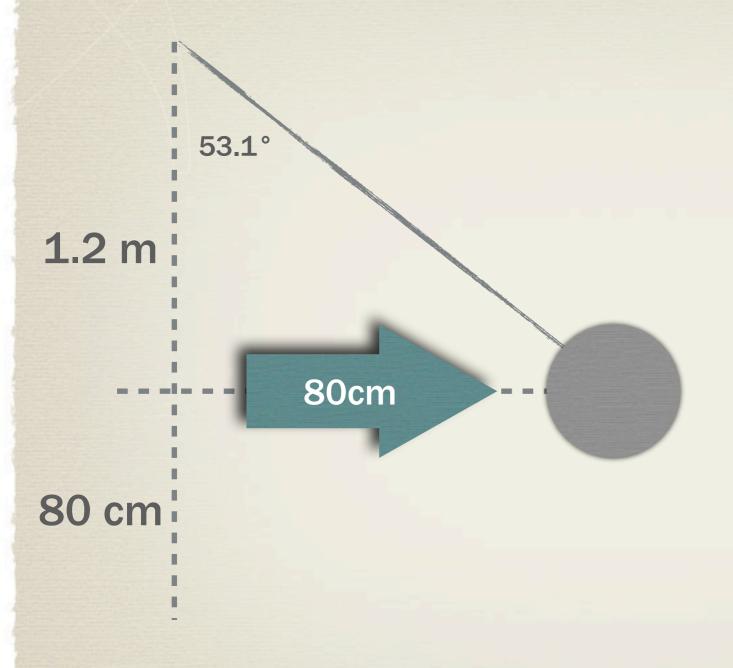
Conservation of Energy Problems

- A pendulum bob on a 2m string is released from a height of 80cm.
- What is the maximum velocity of the pendulum?
- What is the speed at half the height?



A 100g pendulum bob on a 2m string is released from a height of 80cm.

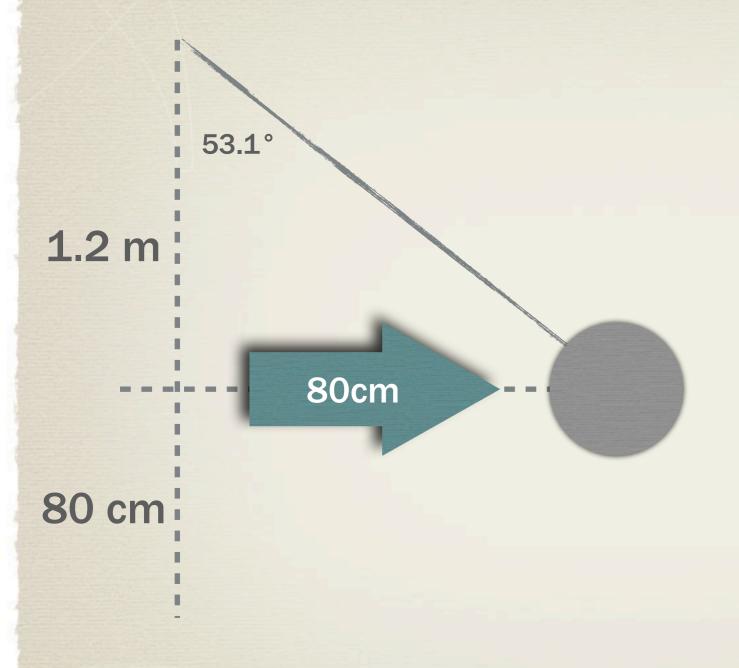
What is the maximum velocity of the pendulum?



A 100g pendulum bob on a 2m string is released from a height of 80cm.
What is the maximum velocity of the

What is the speed at half the height?

pendulum?

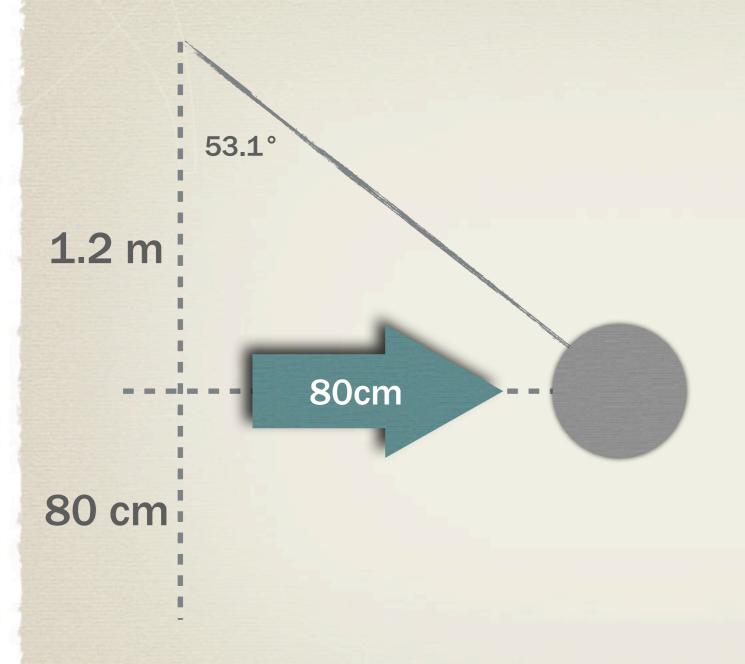


A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

What is the speed at half the height?

 \triangleright Mass = 0.1 kg



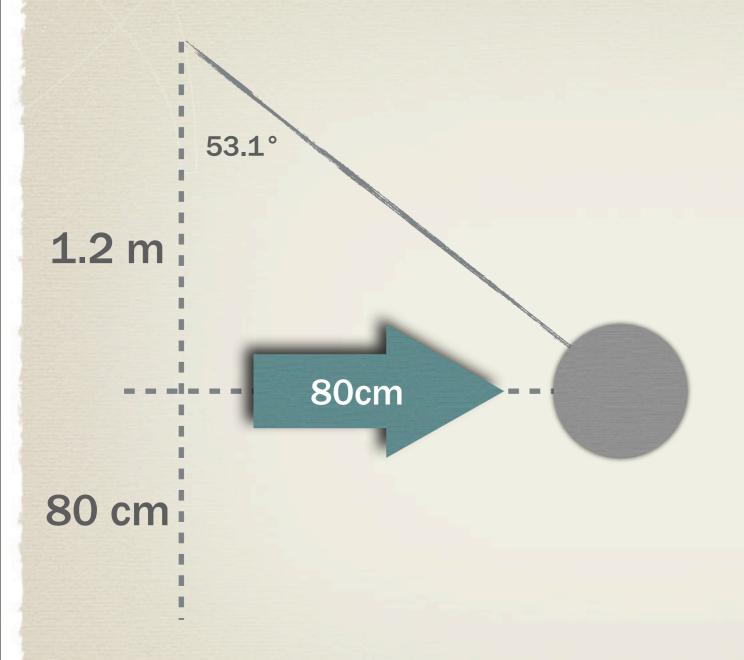
A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the

What is the speed at half the height?

- \triangleright Mass = 0.1 kg
- $hled{h} = 0.8 \, mled{m}$

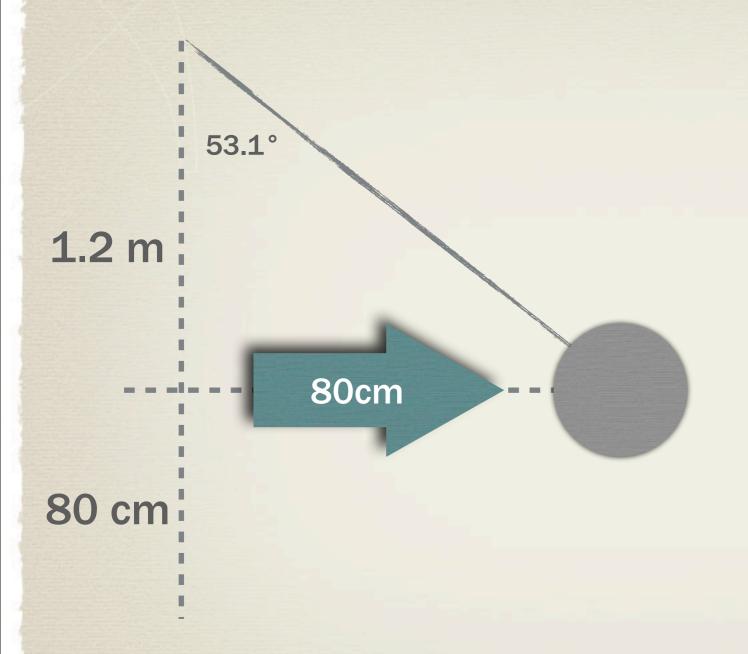
pendulum?



A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

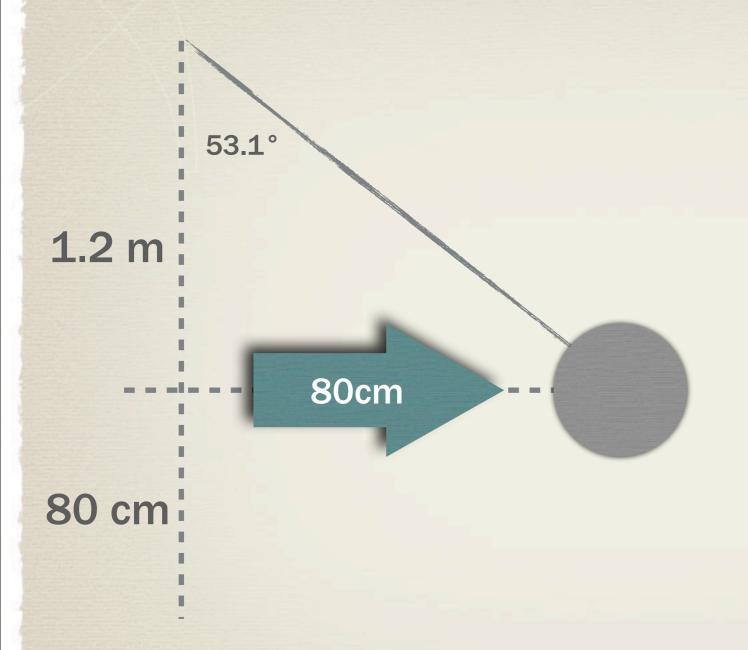
- \triangleright Mass = 0.1 kg
- $hled{h} = 0.8 \text{ m}$
- \triangleright PE = mgh = 0.784J



A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

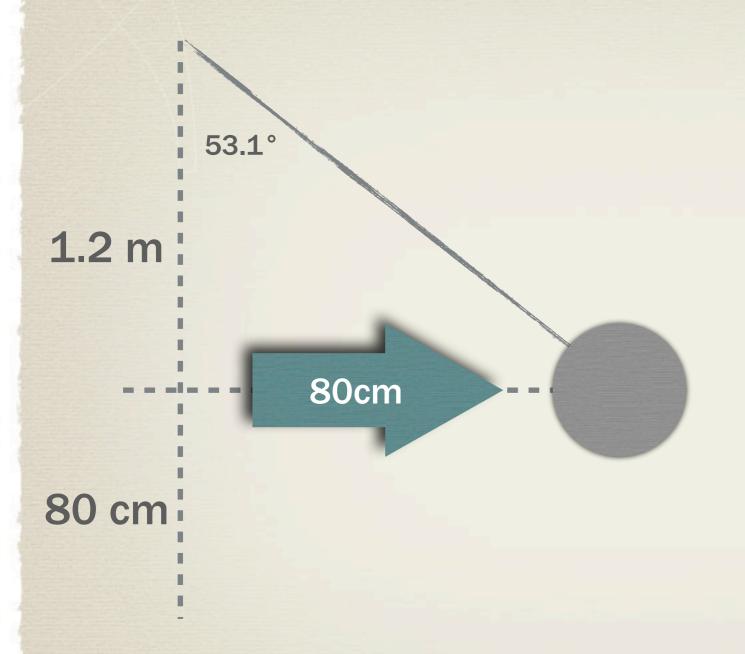
- \triangleright Mass = 0.1 kg
- $hled{h} = 0.8 \text{ m}$
- \triangleright PE = mgh = 0.784J
- Velocity = 0 m/s



A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- \triangleright Mass = 0.1 kg
- $hled{h} = 0.8 \text{ m}$
- \triangleright PE = mgh = 0.784J
- Velocity = 0 m/s
- ▶ KE = 0 J



A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- \triangleright Mass = 0.1 kg
- $hled{h} = 0.8 \text{ m}$
- \triangleright PE = mgh = 0.784J
- Velocity = 0 m/s
- ▶ KE = 0 J
- \triangleright TE = 0.784J

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

0 cm

80cm

- ▶ PE = 0.784J
- KE = 0 J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

0 cm

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- ▶ Given Info:
 - ▶ Mass = 0.1 kg
 - ▶ TE = 0.784J
 - $hled{h} = 0.0 \text{ m}$

0 cm

80cm

- ▶ PE = 0.784J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- ▶ Given Info:
 - ▶ Mass = 0.1 kg
 - ▶ TE = 0.784J
 - $hled{h} = 0.0 \text{ m}$
- \triangleright PE = mgh = 0 J

0 cm

80cm

- ▶ PE = 0.784J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- Given Info:
 - ▶ Mass = 0.1 kg
 - ▶ TE = 0.784J
 - $hled{h} = 0.0 \text{ m}$
- \triangleright PE = mgh = 0 J
- \triangleright KE = 0.784 J = $\frac{1}{2}$ (mv²)

80cm

- ▶ PE = 0.784J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- Given Info:
 - ▶ Mass = 0.1 kg
 - ▶ TE = 0.784J
 - $hled{h} = 0.0 \text{ m}$
- \triangleright PE = mgh = 0 J
- \triangleright KE = 0.784 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.784 J = $\frac{1}{2}(0.1)(v^2)$

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- ▶ TE = 0.784J

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

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 - ▶ Mass = 0.1 kg
 - ▶ TE = 0.784J
 - $hled{h} = 0.0 \text{ m}$
- \triangleright PE = mgh = 0 J
- \triangleright KE = 0.784 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.784 J = $\frac{1}{2}(0.1)(v^2)$
- v = 3.96 m/s

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- \rightarrow TE = 0.784J
- v = 0.0 m/s

0cm

- \triangleright PE = 0 J
- KE = 0.784J
- ▶ TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- ▶ TE = 0.784J
- v = 0.0 m/s

0cm

- \triangleright PE = 0 J
- ▶ KE = 0.784J
- ▶ TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

80cm F = 0.784

- ▶ PE = 0.784J
- ▶ KE = 0 J
- ▶ TE = 0.784J
- v = 0.0 m/s

0cm

- \triangleright PE = 0 J
- ▶ KE = 0.784J
- ▶ TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

What is the speed at half the height?

- ▶ Given Info:
 - m = 0.1 kg
 - \triangleright TE = 0.784J
 - $hled{h} = 0.4 \text{ m}$

40cm

80cm PE = 0.784J

- ▶ TE = 0.784J
- v = 0.0 m/s

0cm

- \triangleright PE = 0 J
- ▶ TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

What is the speed at half the height?

- Given Info:
 - m = 0.1 kg
 - Arr TE = 0.784J
 - $hled{h} = 0.4 \text{ m}$
- PE = mgh = 0.392 J

40cm

80cm 0cm PE = 0.784J \triangleright PE = 0 J KE = 0 JKE = 0.784JTE = 0.784JTE = 0.784Jv = 0.0 m/sv = 3.96 m/s40cm

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- Given Info:
 - m = 0.1 kg
 - \triangleright TE = 0.784J
 - $hled{h} = 0.4 \text{ m}$
- PE = mgh = 0.392 J
- \triangleright KE = 0.392 J = $\frac{1}{2}$ (mv²)

80cm 0cm PE = 0.784J \triangleright PE = 0 J KE = 0 JKE = 0.784JTE = 0.784JTE = 0.784Jv = 0.0 m/sv = 3.96 m/s40cm

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- Given Info:
 - \triangleright m = 0.1 kg
 - \triangleright TE = 0.784J
 - harpoonup h = 0.4 m
- PE = mgh = 0.392 J
- \triangleright KE = 0.392 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.392 J = $\frac{1}{2}(0.1)(v^2)$

80cm

- ▶ PE = 0.784J
- ▶ KE = 0 J
- \rightarrow TE = 0.784J
- v = 0.0 m/s

0cm

- \triangleright PE = 0 J
- ▶ KE = 0.784J
- ▶ TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

What is the maximum velocity of the pendulum?

- Given Info:
 - \triangleright m = 0.1 kg
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- \triangleright KE = 0.392 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.392 J = $\frac{1}{2}(0.1)(v^2)$
- $v^2 = 7.84$

80cm PE = 0.784JKE = 0 JTE = 0.784Jv = 0.0 m/s40cm

0cm

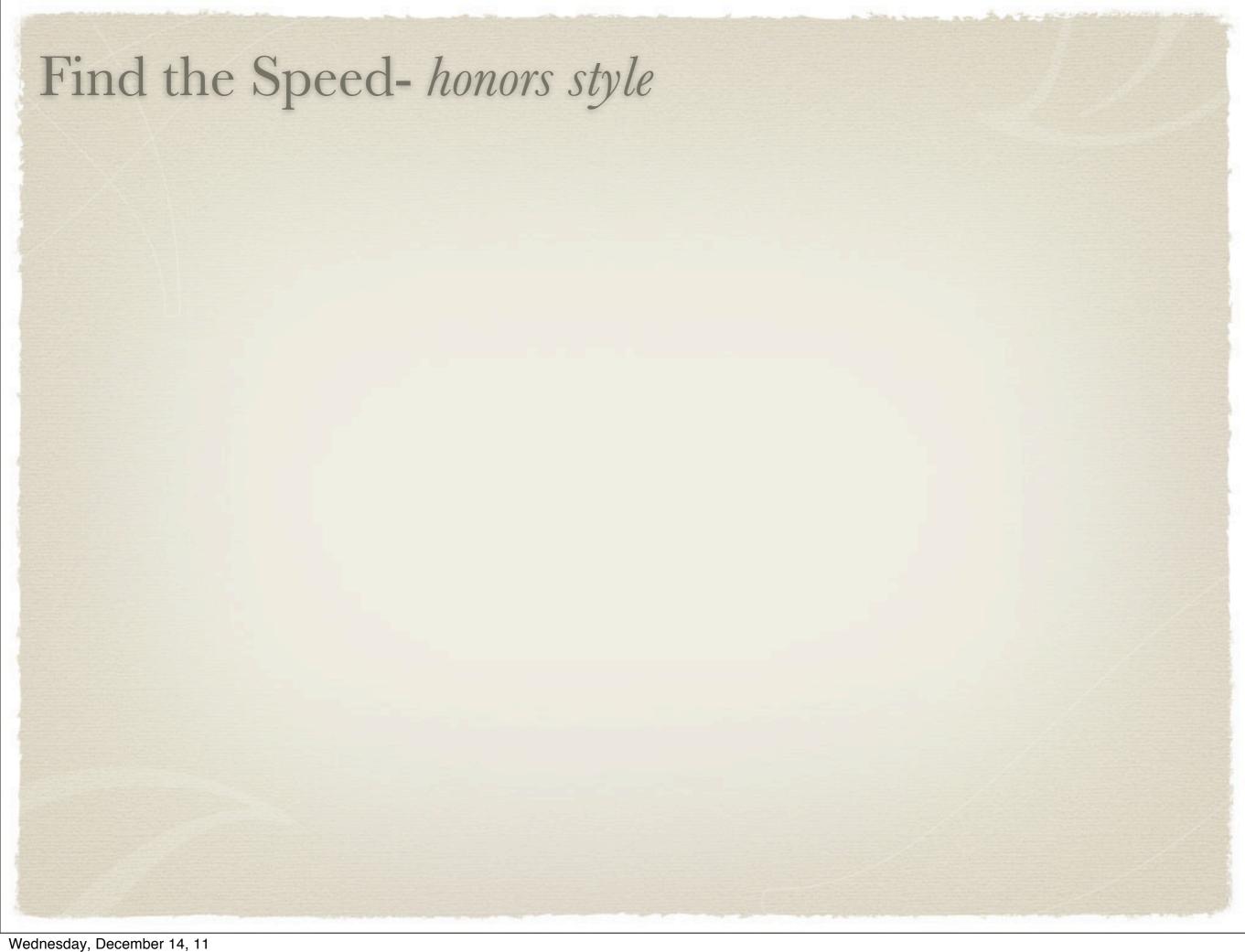
- \triangleright PE = 0 J
- ▶ KE = 0.784J
- TE = 0.784J
- v = 3.96 m/s

A 100g pendulum bob on a 2m string is released from a height of 80cm.

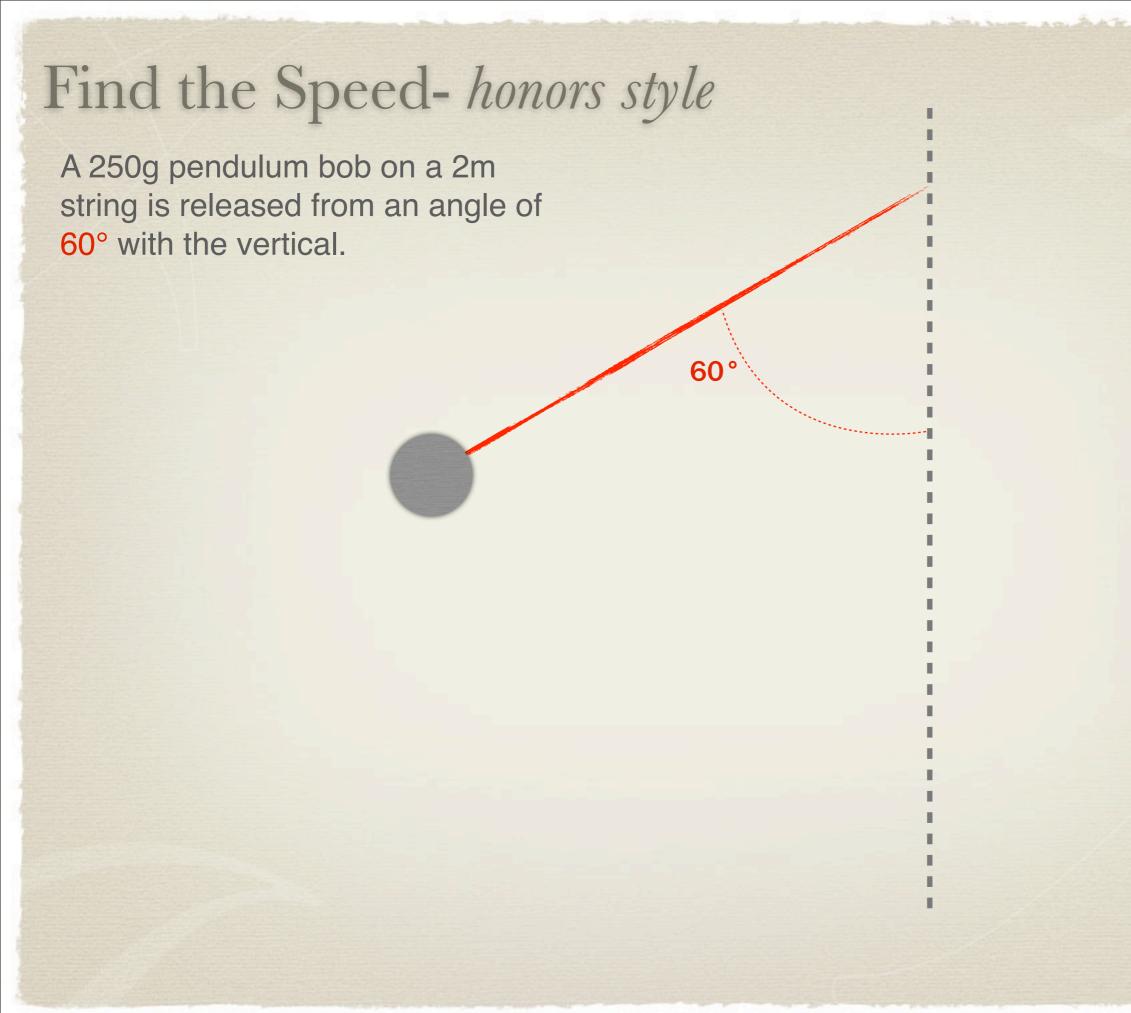
What is the maximum velocity of the pendulum?

- Given Info:
 - \triangleright m = 0.1 kg
 - \triangleright TE = 0.784J
 - h = 0.4 m
- PE = mgh = 0.392 J
- \triangleright KE = 0.392 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.392 J = $\frac{1}{2}(0.1)(v^2)$
- $v^2 = 7.84$
- v = 2.8 m/s
 - (not half the maximum speed)

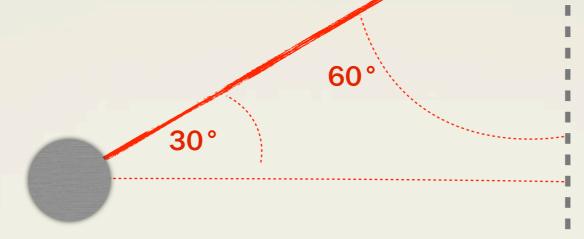
- A 250g pendulum bob on a 2m string is released from an angle of 60°.
- What is the speed when the string forms a 20° angle with the vertical

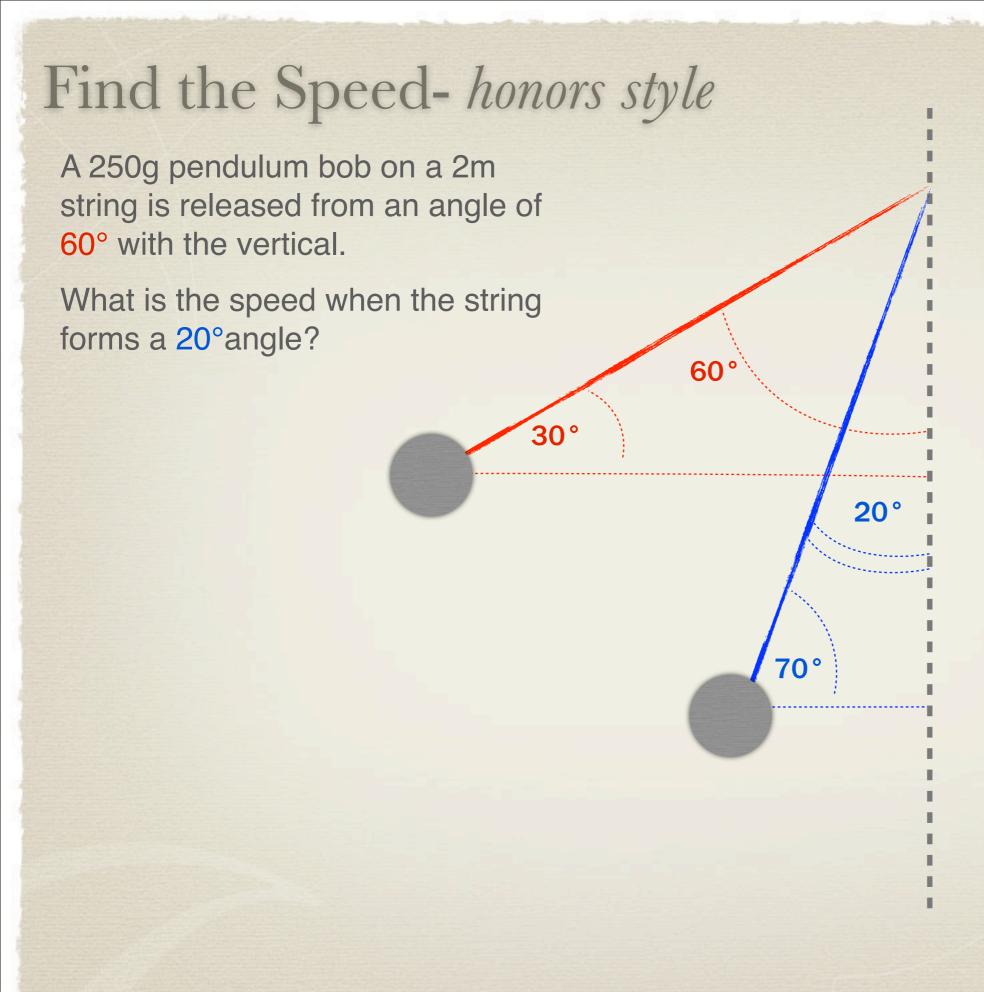


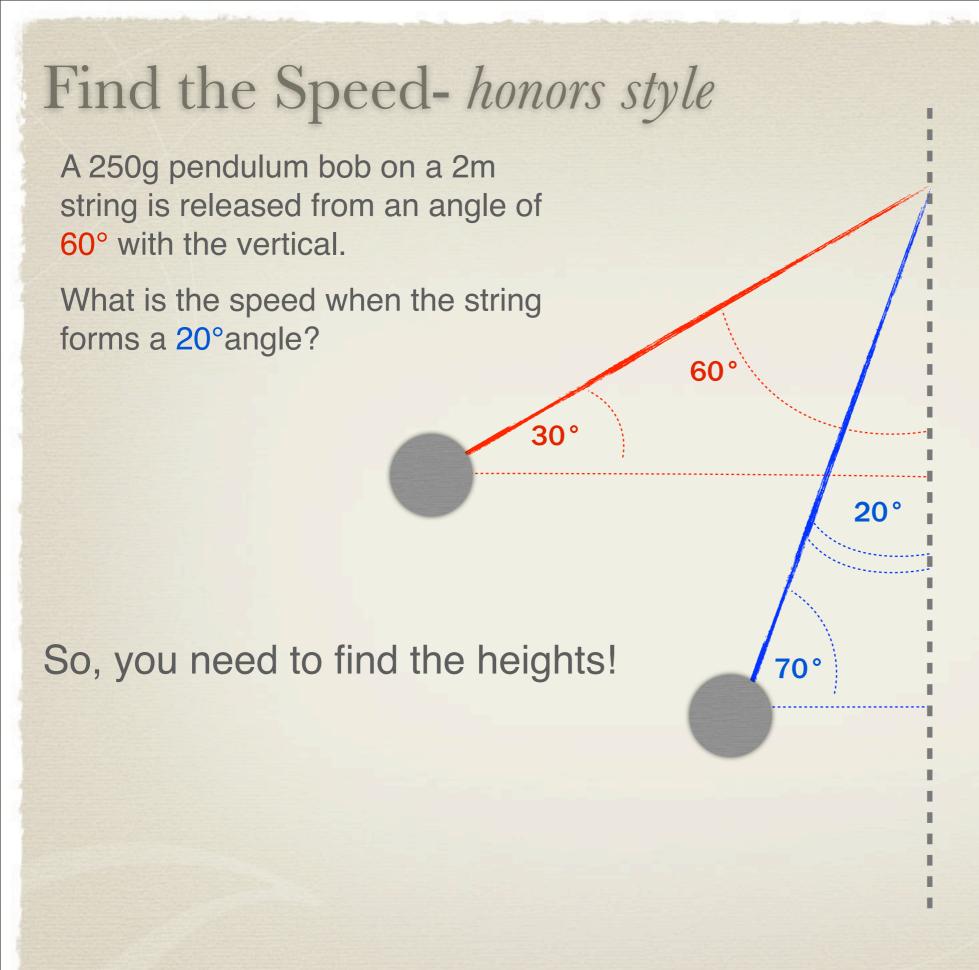
A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.



A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.







A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

So, you need to find the heights!

2m

20°

70°

60

A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

So, you need to find the heights!

60° with the vertical.

2m

20°

70°

60



A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

2sin30°

60

30°

So, you need to find the heights!

60° with the vertical.

2m

20°



A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

2sin30° = 1m

60

30°

So, you need to find the heights!

60° with the vertical.

2m

20°

A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

30°
20°

70°

2sin30°

= 1m

2m

So, you need to find the heights!

60° with the vertical.

20° angle?



A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

2sin30° = 1m

60

30°

So, you need to find the heights!

60° with the vertical.

20°angle?

2sin70°

2m

20°



A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?

2sin30° = 1m

60

30°

So, you need to find the heights!

60° with the vertical.

20° angle?

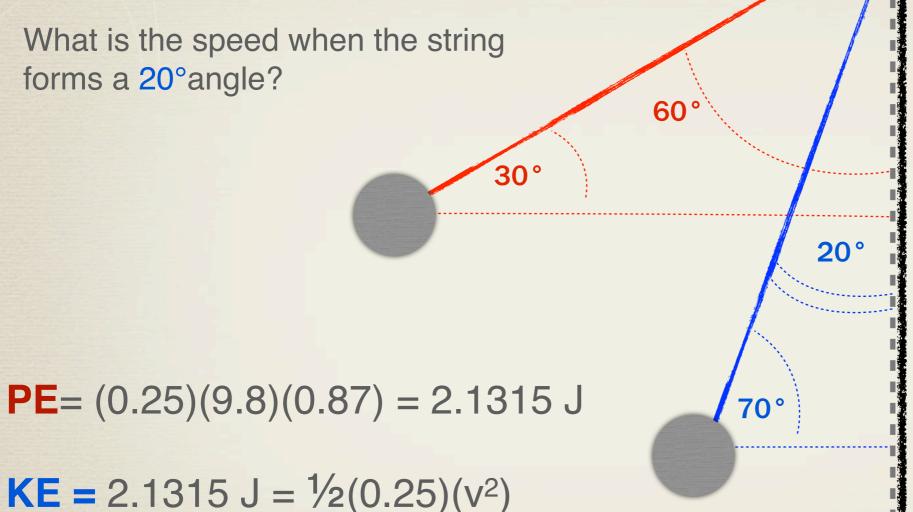
2sin70° = 1.87m

2m

20°

A 250g pendulum bob on a 2m string is released from an angle of 60° with the vertical.

What is the speed when the string forms a 20° angle?



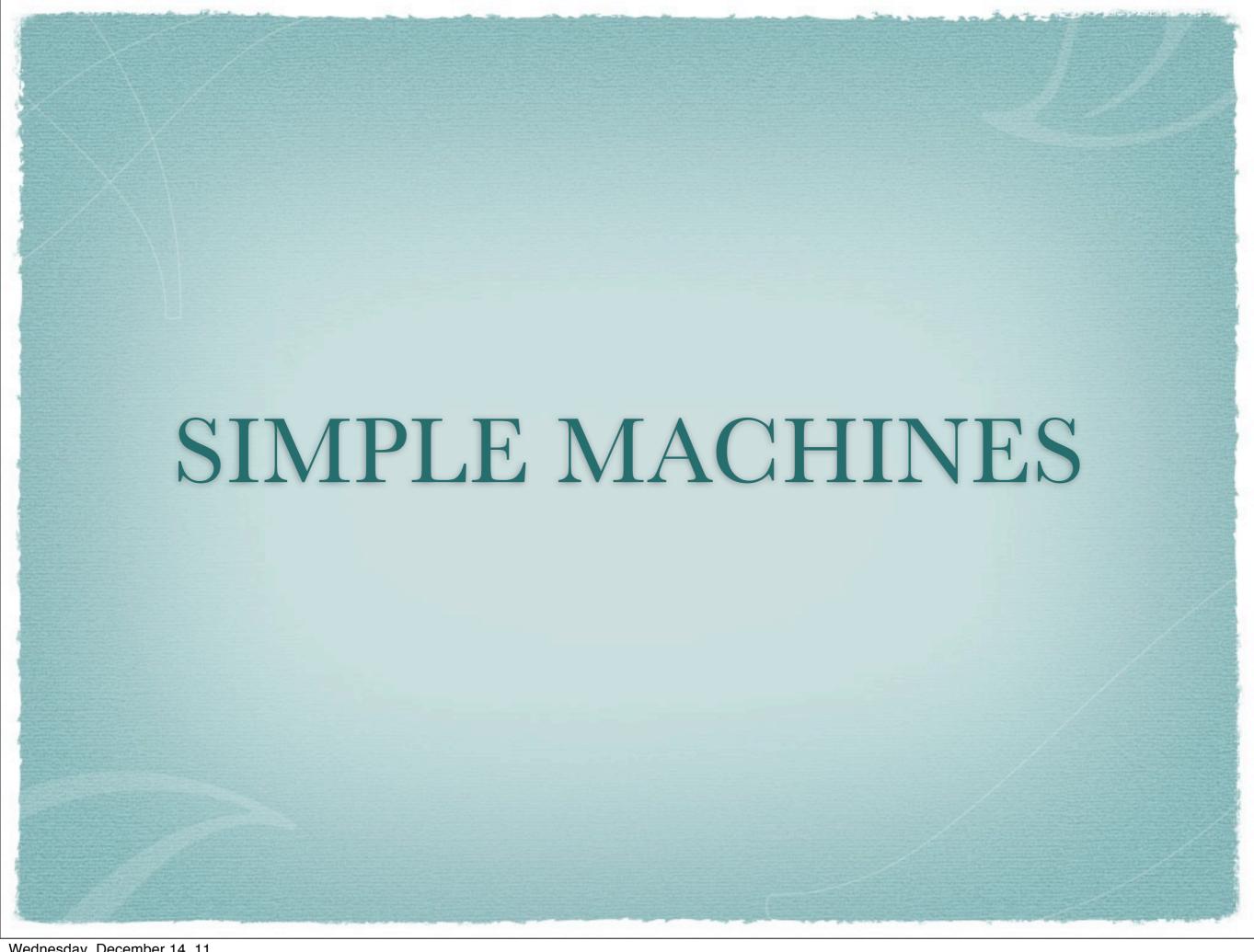
2sin70° = 1.87m

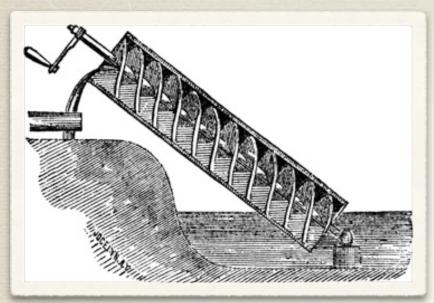
2m

2sin30°

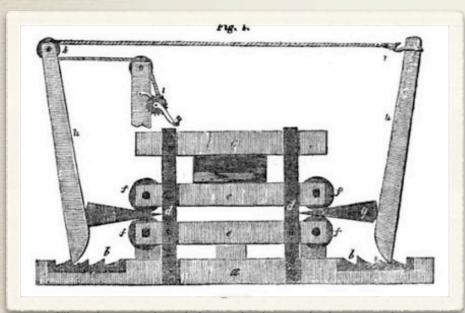
= 1m

v = 4.13 m/s

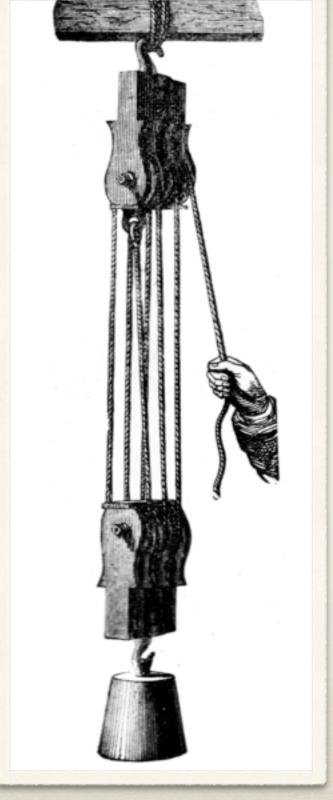




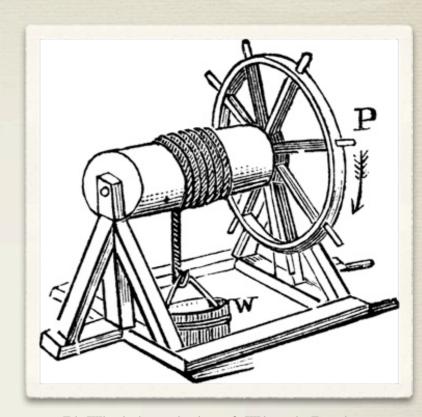
File:Archimedes screw.JPG - Wikimedia Foundation



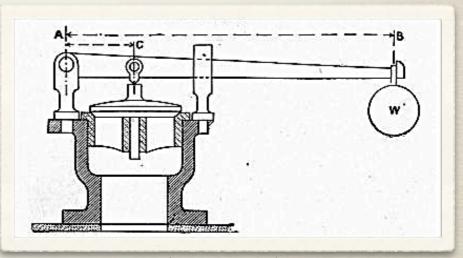
File:19th century knowledge mechanisms wedge lever press.jpg Wikimedia Foundation



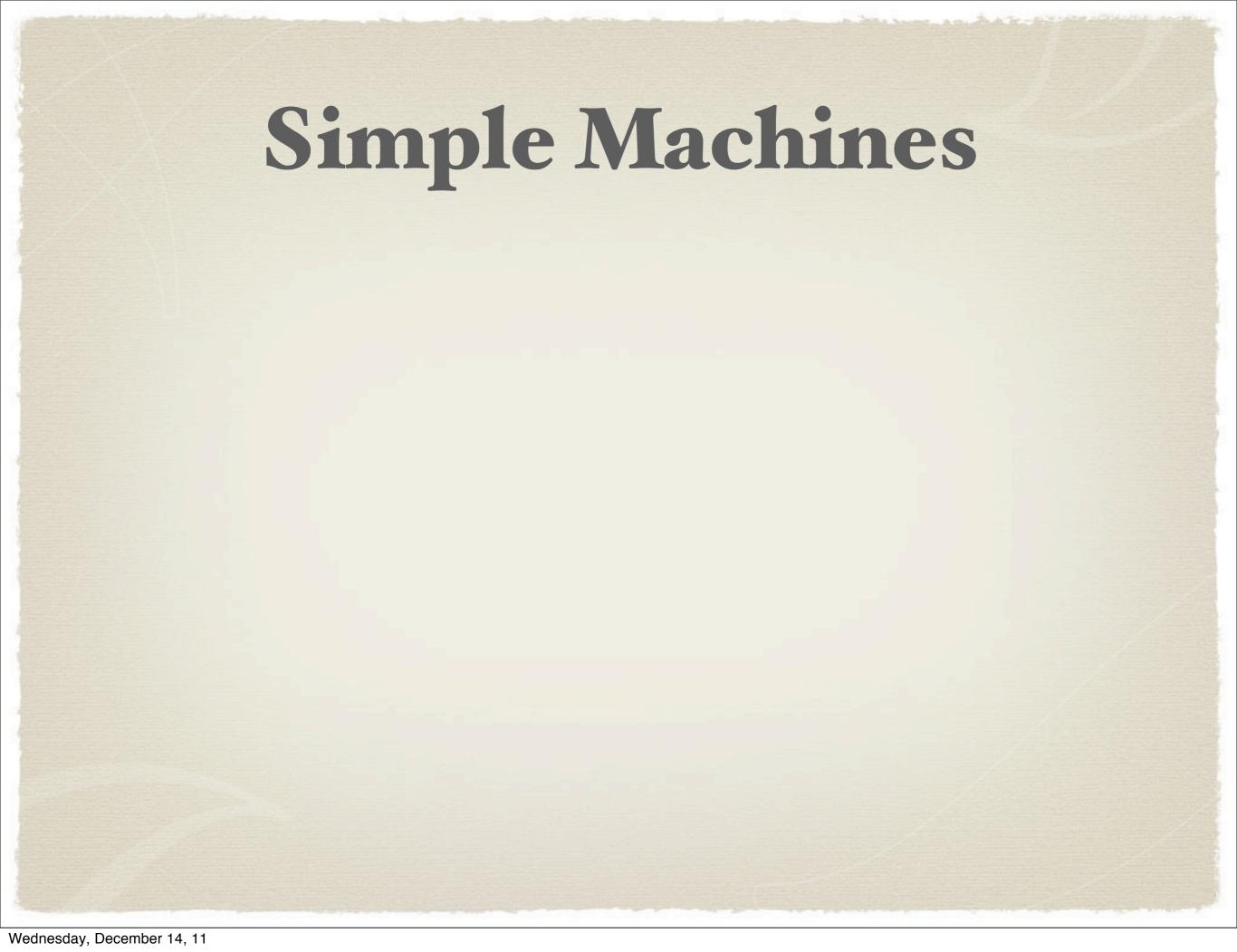
File:Opfindelsernes bog3 figo43.png - Wikimedia Foundation



File: Wheelaxle quackenbos.gif - Wikimedia Foundation



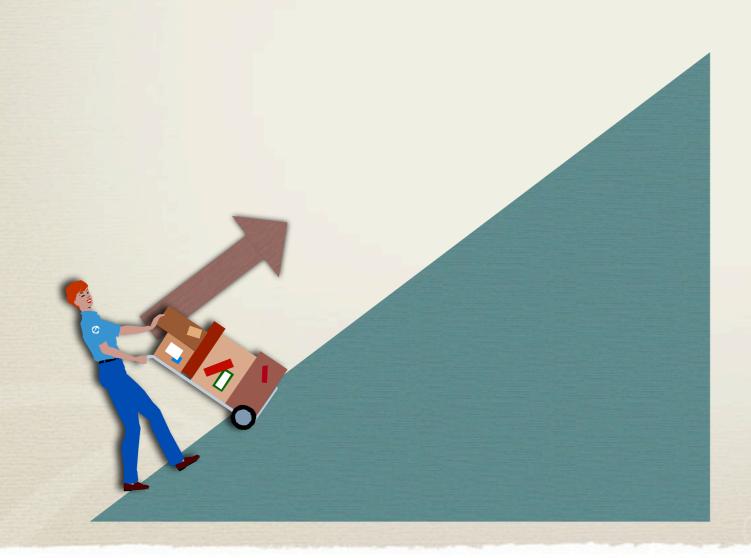
File:Lever safety valve (Heat Engines, 1913).jpg - Wikimedia Foundation

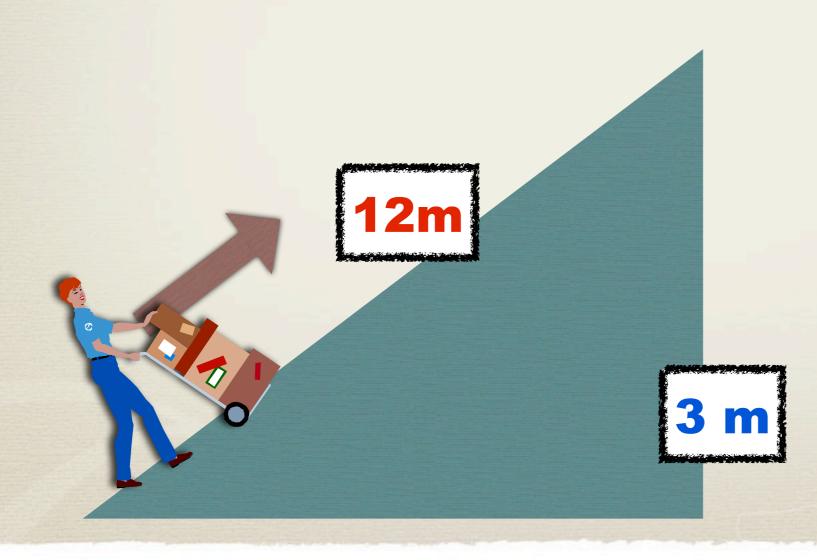


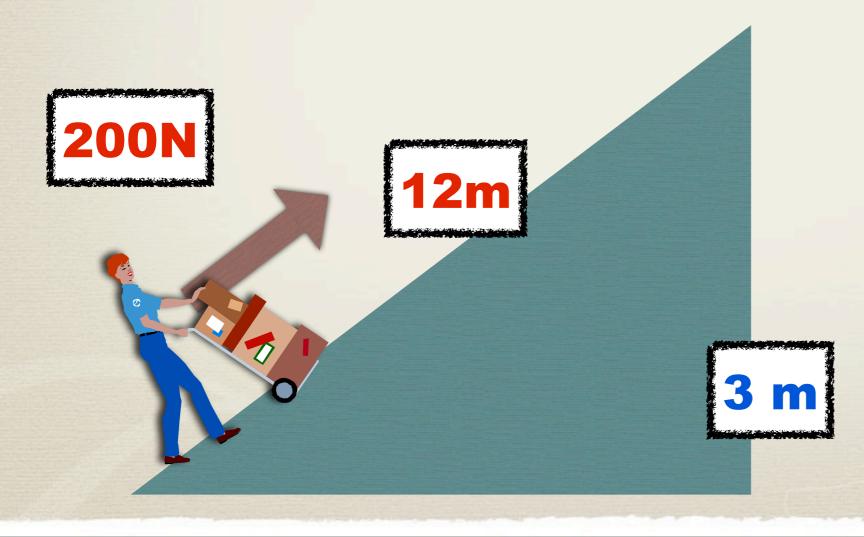
- ▶ IMA the Ideal Mechanical Advantage
 - based on the geometry of the system

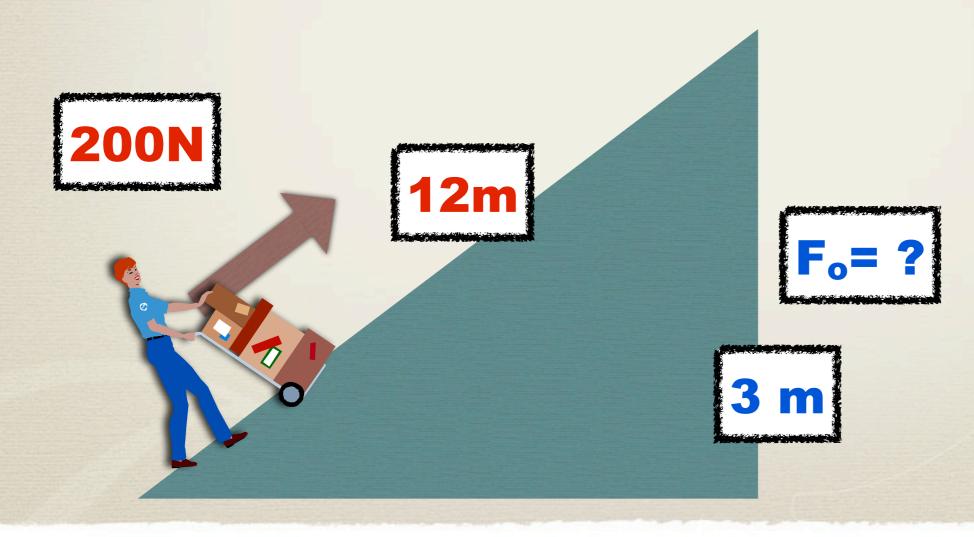
- ▶ IMA the Ideal Mechanical Advantage
 - based on the geometry of the system
- AMA the Actual Mechanical Advantage
 - based on the real forces used

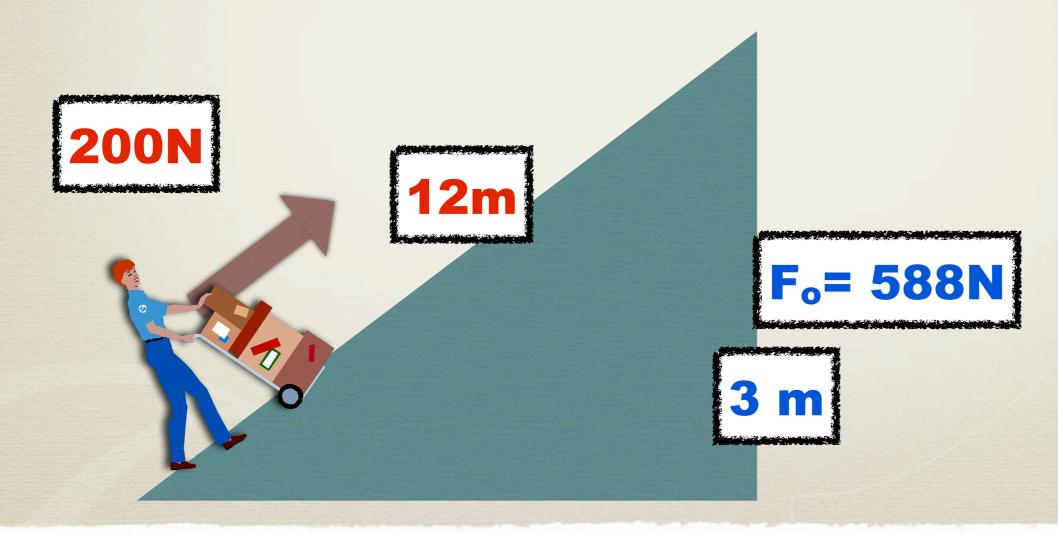
- ▶ IMA the Ideal Mechanical Advantage
 - based on the geometry of the system
- AMA the Actual Mechanical Advantage
 - based on the real forces used
- Efficiency = Work Output / Work Input
 - ► Efficiency = Wo / Wi = AMA / IMA

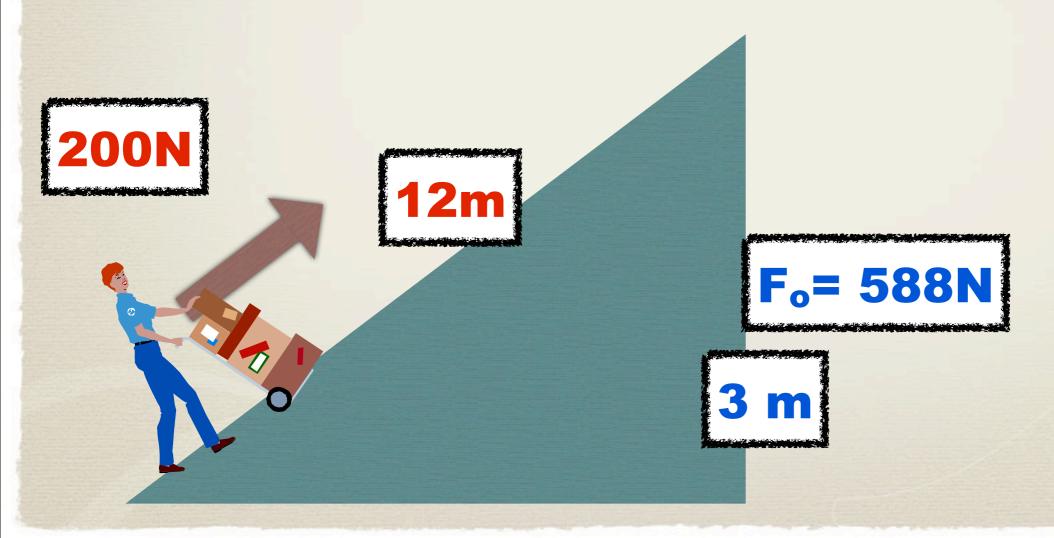






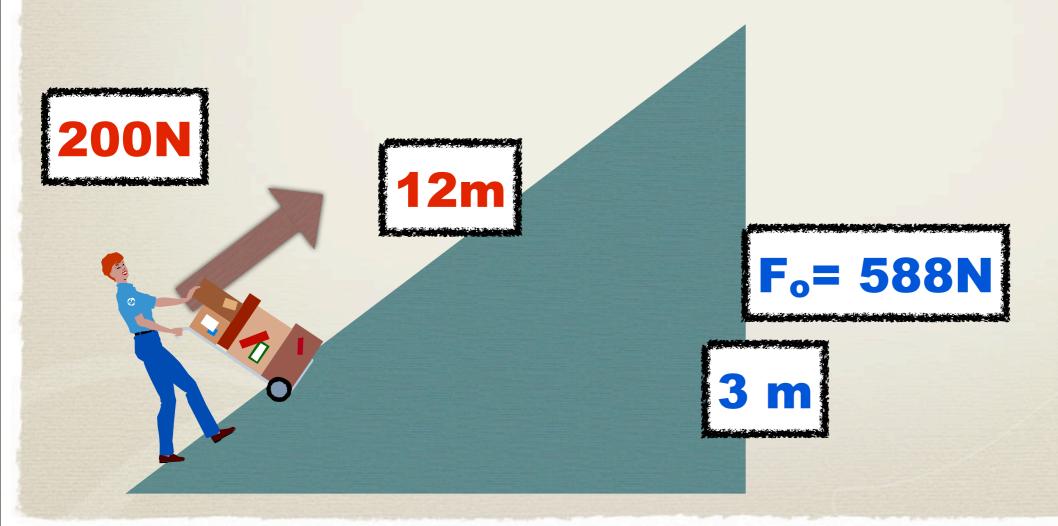






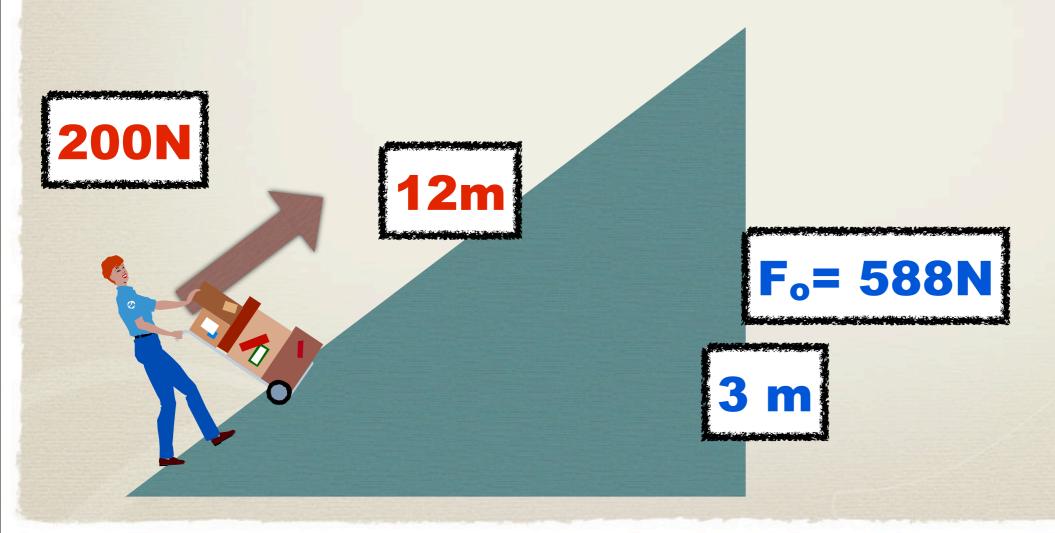
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $W_i = F d$



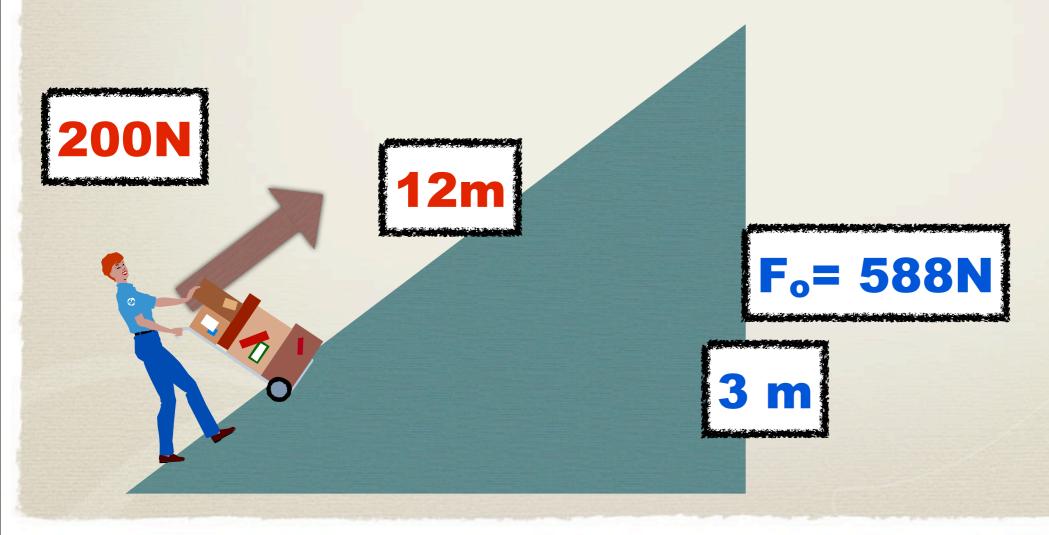
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $W_i = F d$ $W_i = (200 N) (12m)$



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

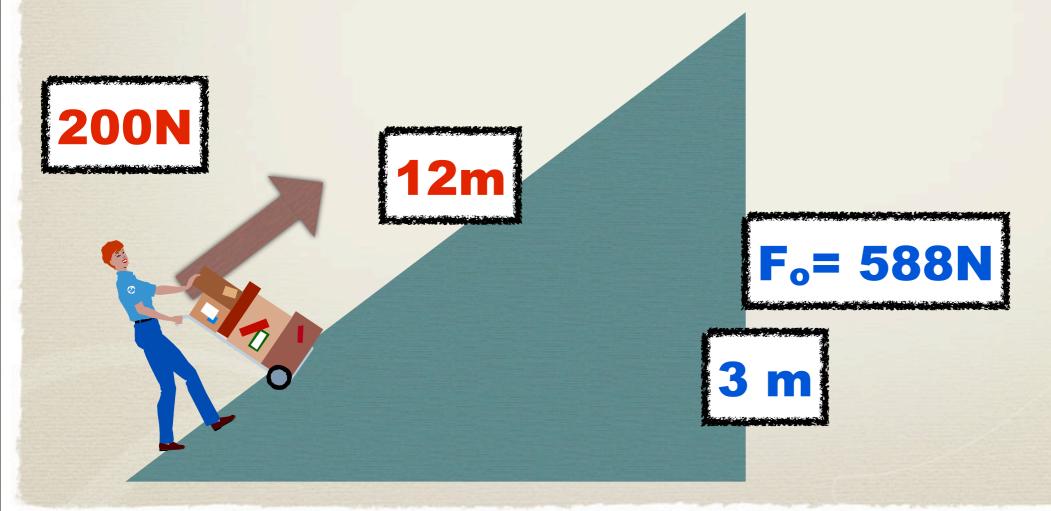
 $W_i = F d$ $W_i = (200 N) (12m)$ $W_i = 2400 J$



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $W_i = F d$ $W_i = (200 N) (12m)$ $W_i = 2400 J$

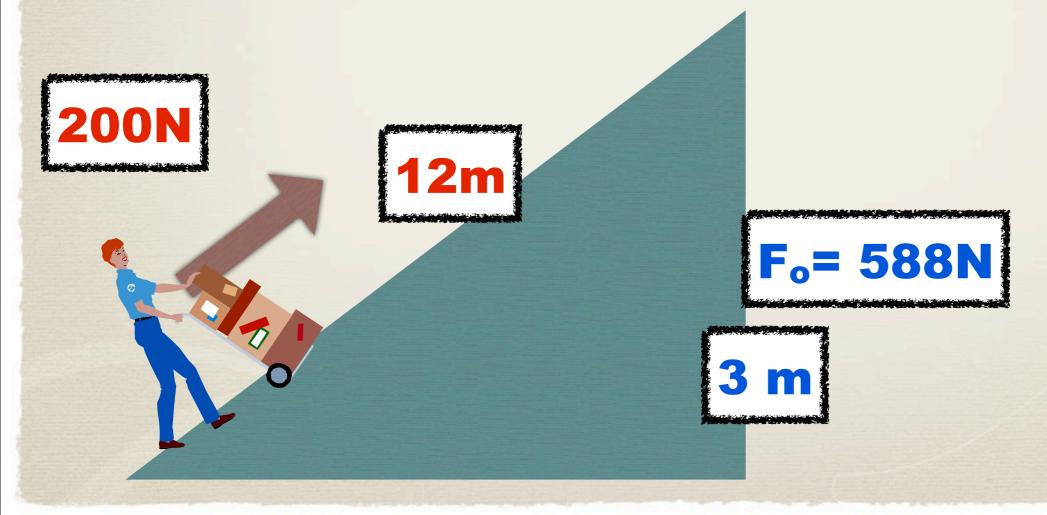
 $W_o = F d$



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $W_i = F d$ $W_i = (200 N) (12m)$ $W_i = 2400 J$

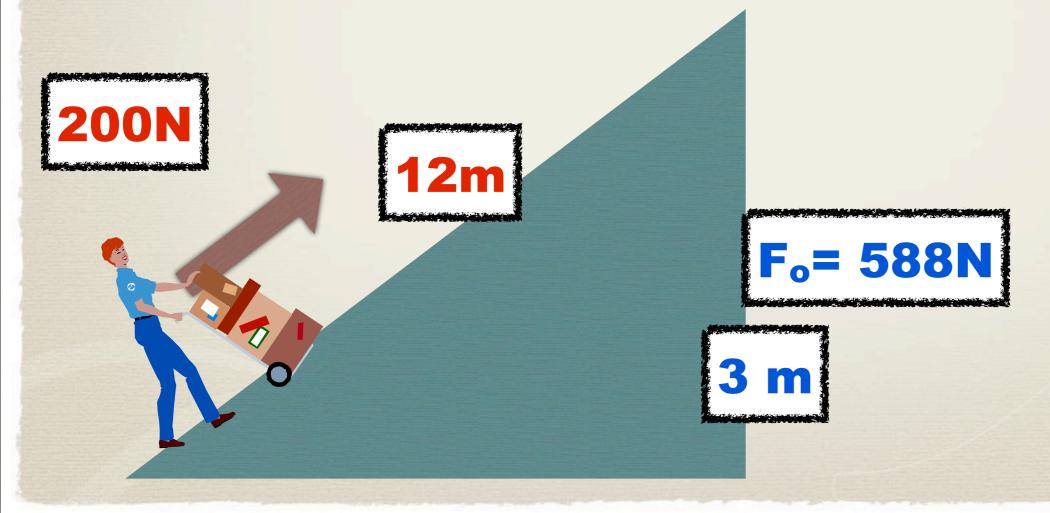
 $W_o = F d$ $W_o = (588 N) (3m)$

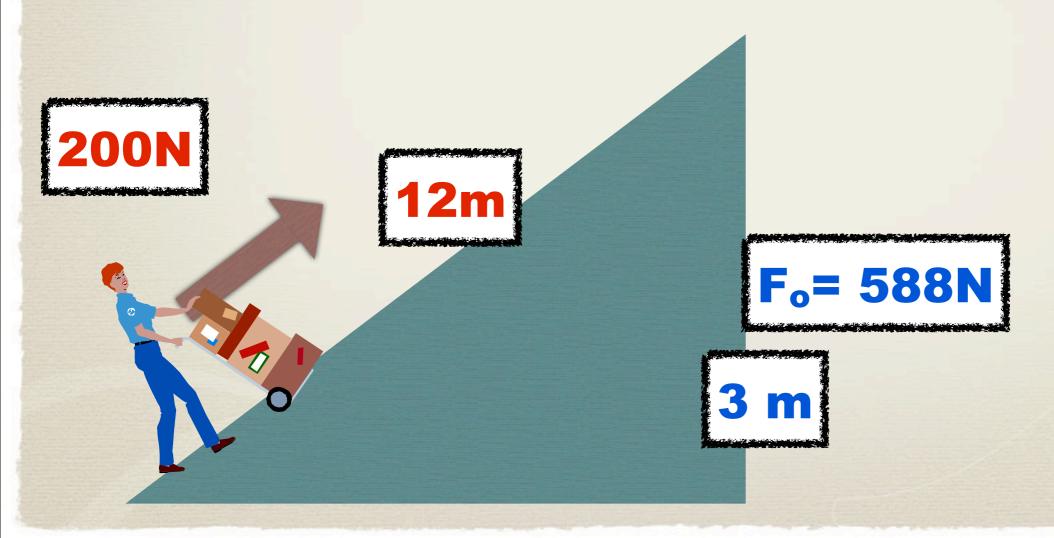


Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $W_i = F d$ $W_i = (200 N) (12m)$ $W_i = 2400 J$

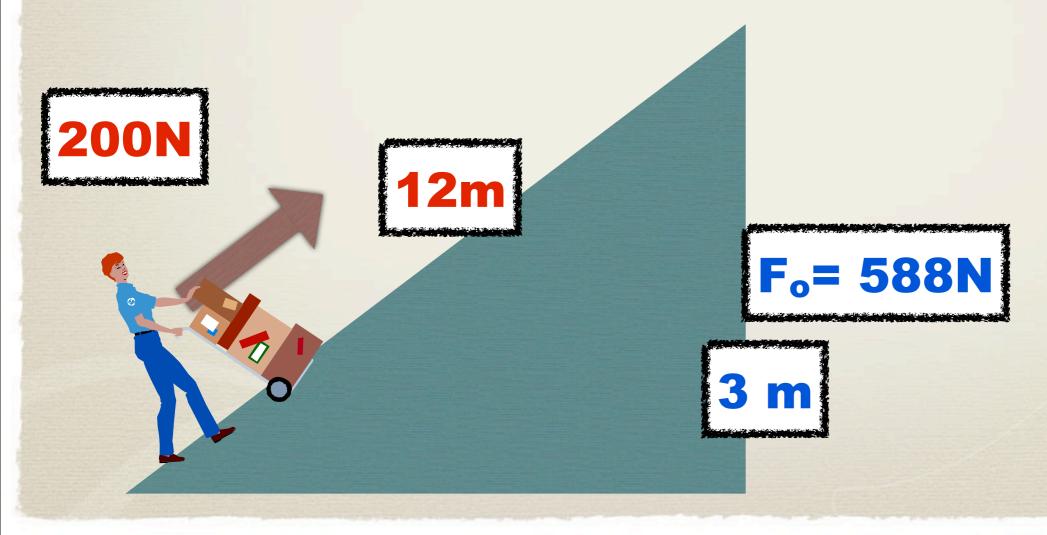
 $W_o = F d$ $W_o = (588 N) (3m)$ $W_o = 1764 J$





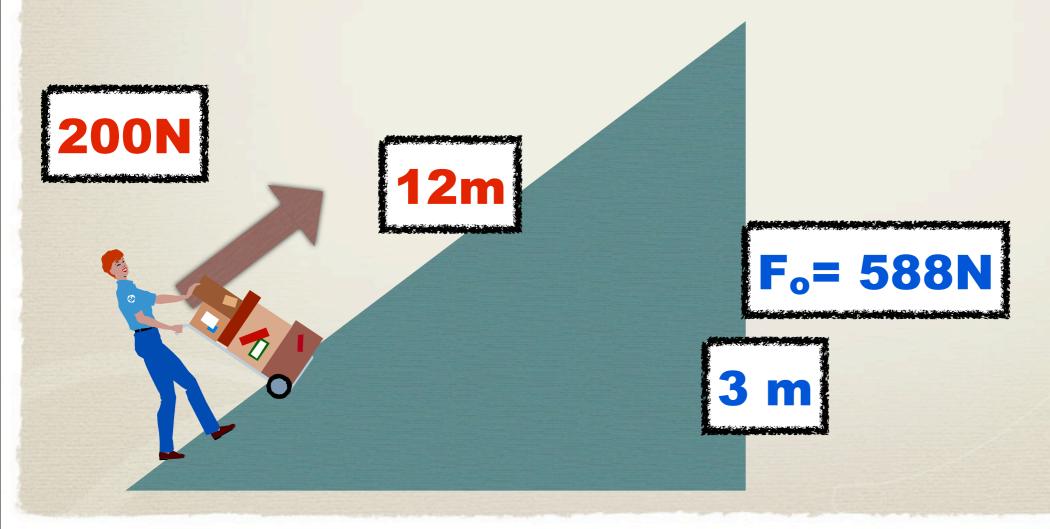
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $IMA = D_i / D_o$



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

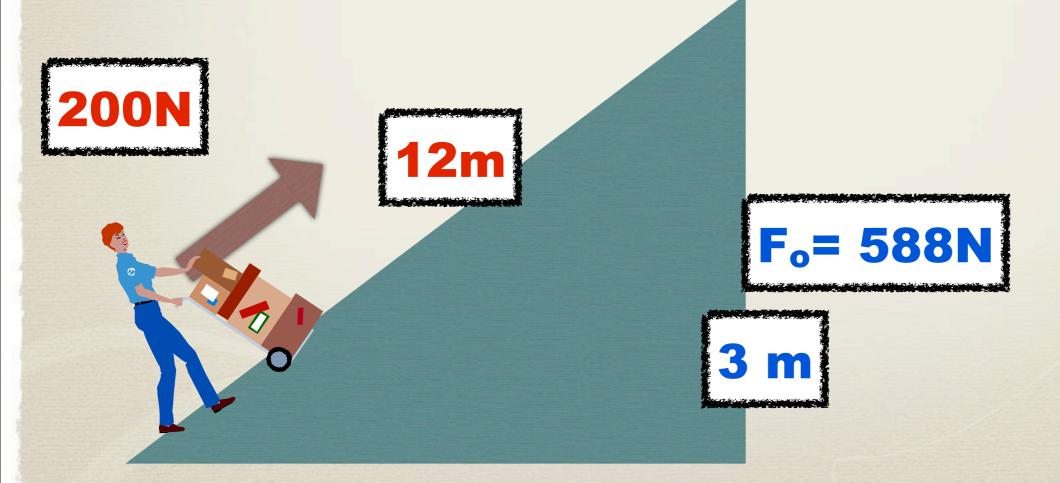
 $IMA = D_i / D_o$ IMA = 12 / 3 = 4



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = 12 / 3 = 4

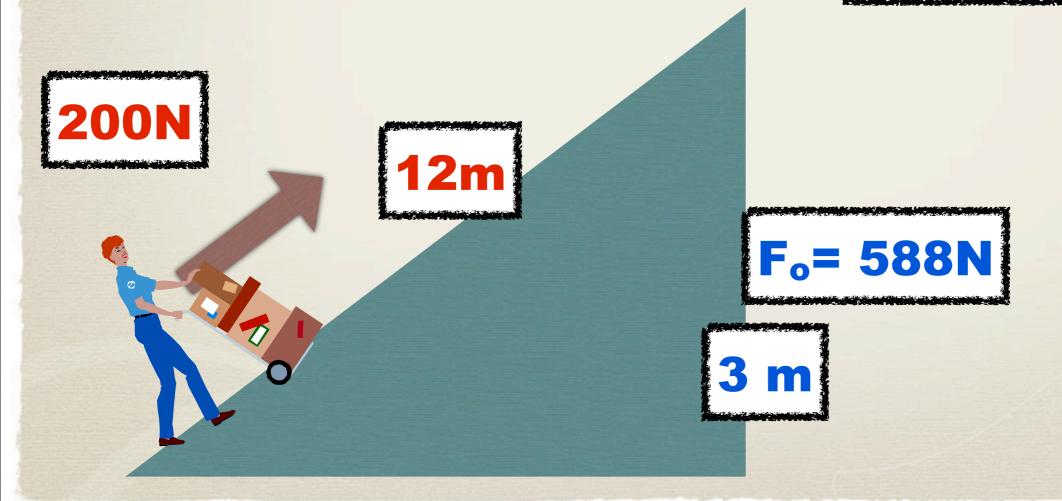
 $AMA = F_o / F_i$



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = 12 / 3 = 4

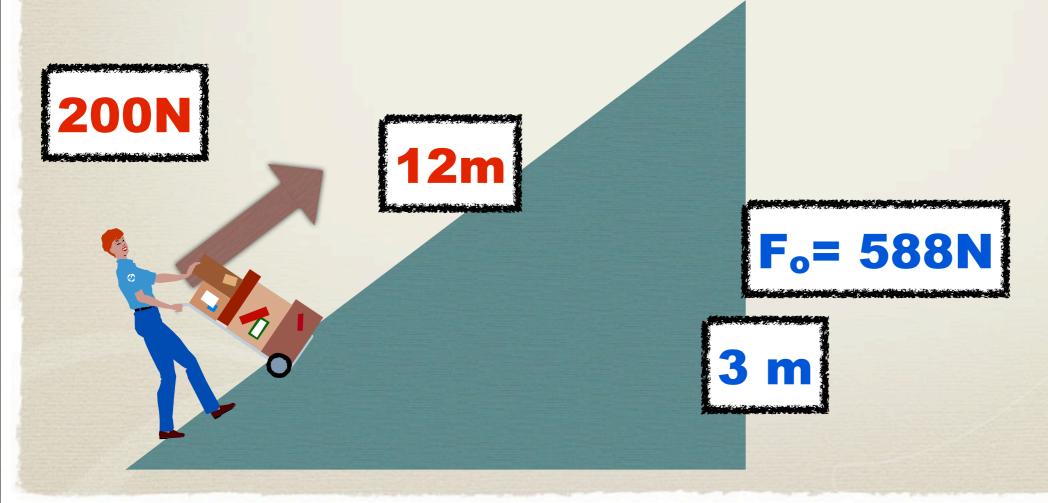
 $AMA = F_0 / F_i$ AMA = 588/200

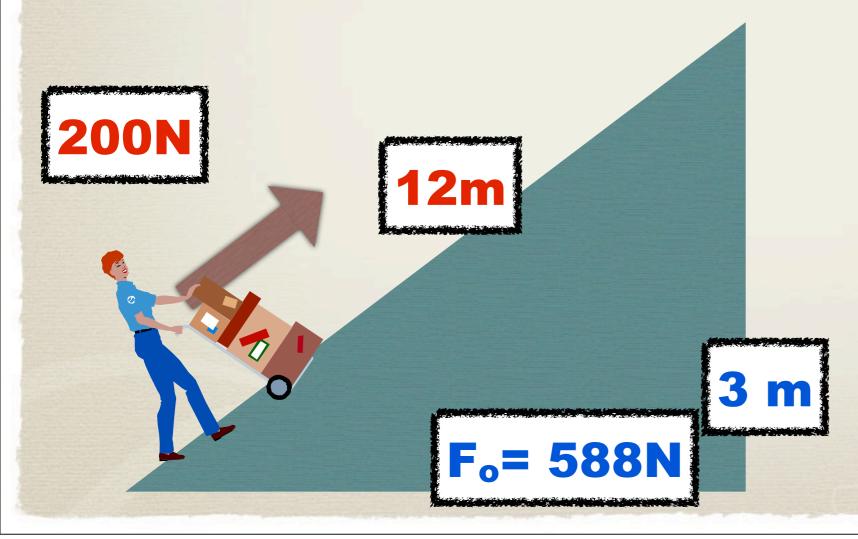


Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = 12 / 3 = 4

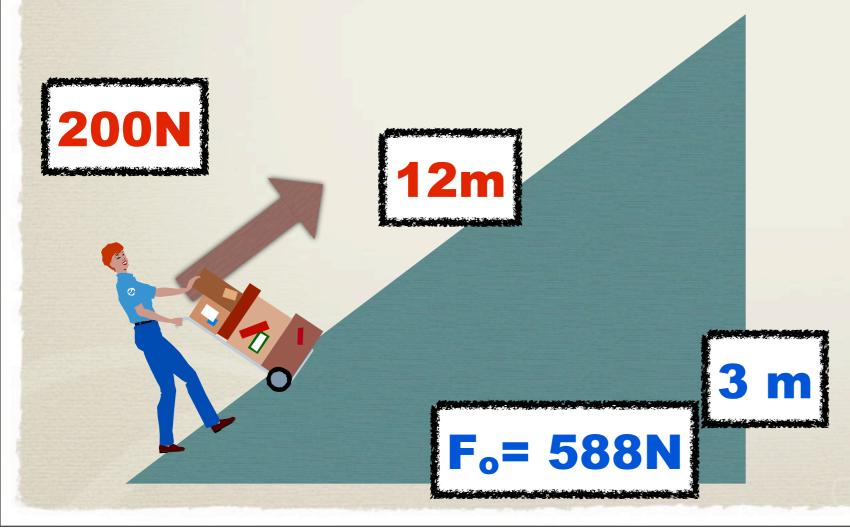
 $AMA = F_o / F_i$ AMA = 588/200 AMA = 2.94





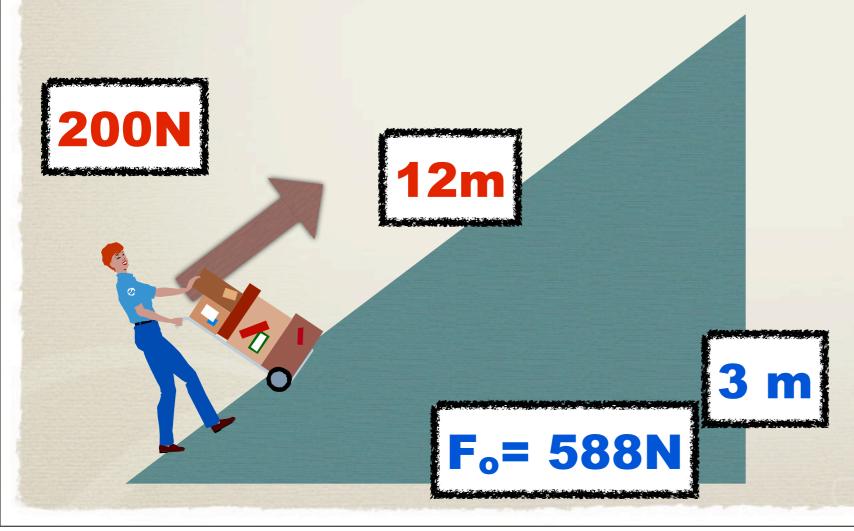
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

Efficiency



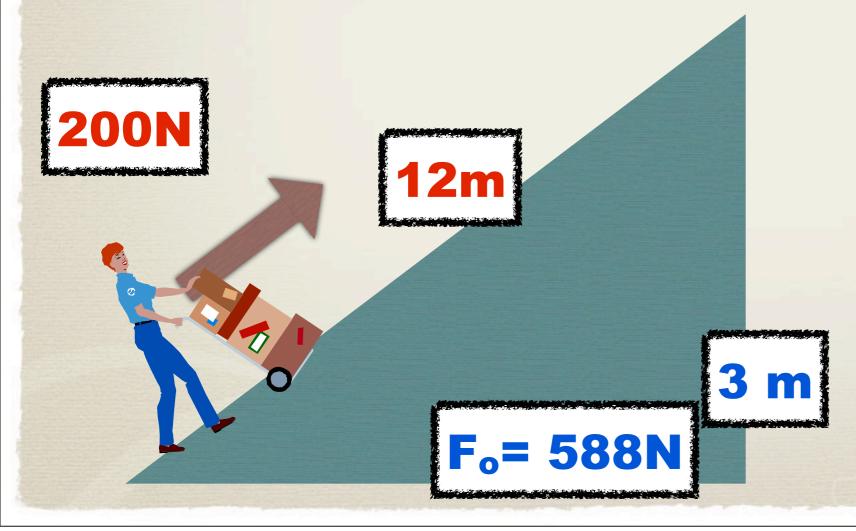
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

Efficiency = W_o / W_i



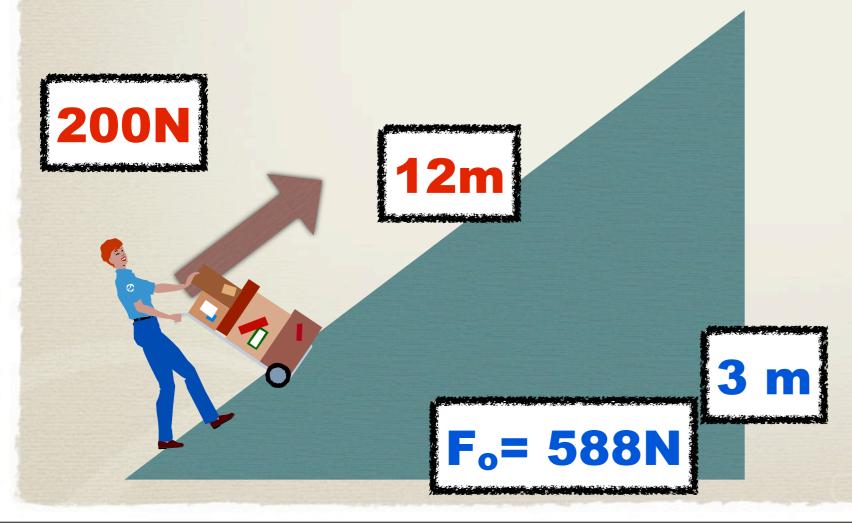
Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

Efficiency = W_o / W_i = AMA / IMA



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

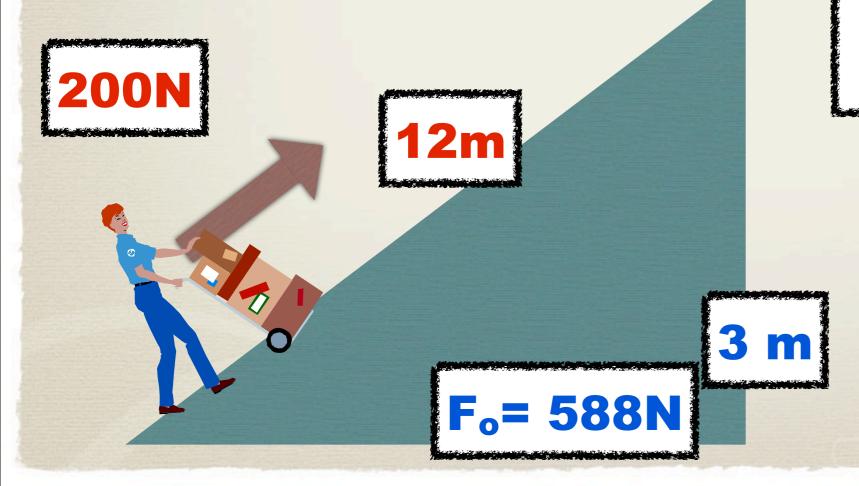
Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction



Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

200N 12m 3 m F_o= 588N Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction 2400J - 1764J

Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

200N 12m 3 m F_o= 588N Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction 2400J - 1764J 636J

Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

200N 12m 3 m

 $F_0 = 588N$

Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction 2400J - 1764J 636J

Power = W/t

Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

200N 12m 3 F₀= 588N Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction 2400J - 1764J 636J

Power = W / t P = 2400J / 30s

Find; the work input, the work output, the IMA and AMA, the efficiency of the ramp, energy wasted by friction, her power

200N
12m
3 m
F_o= 588N

Efficiency = W_o / W_i = AMA / IMA Eff = 73.5%

Lost Energy to Friction 2400J - 1764J 636J

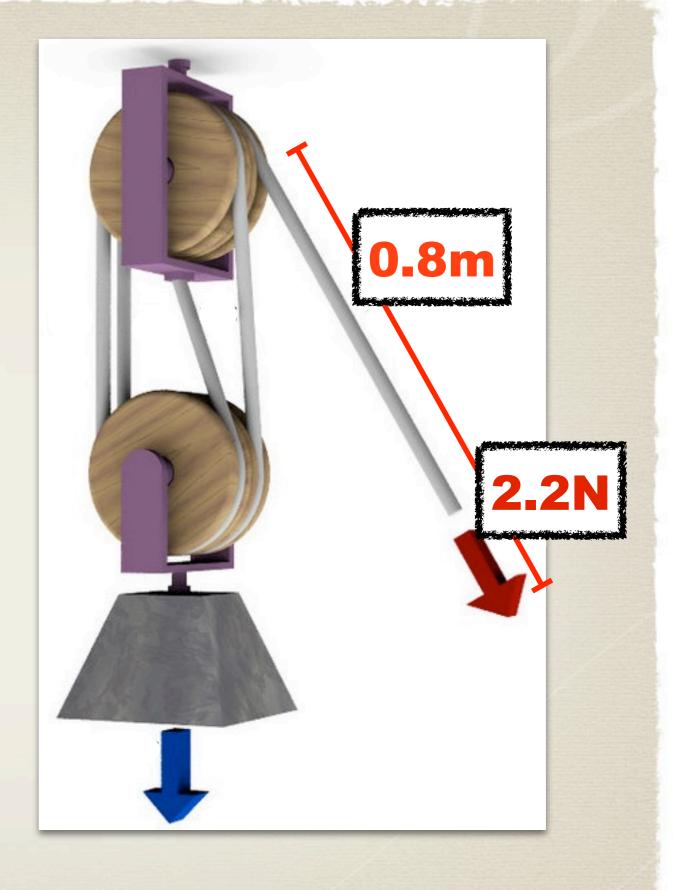
Power = W / t P = 2400J / 30s P = 80 W



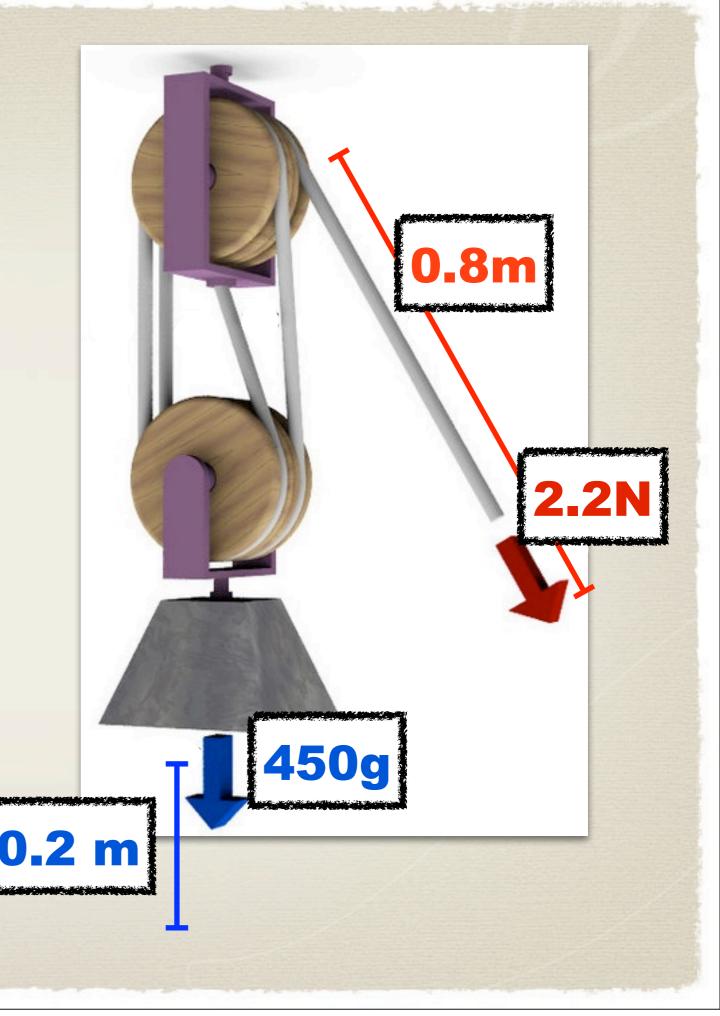
In the Pulley
arrangement shown, A
force of 2.2 N is used to
lift a 450 g Mass. While
the mass goes up 20
cm, a student pulls in 80
cm of string. It takes her
5 seconds to lift.



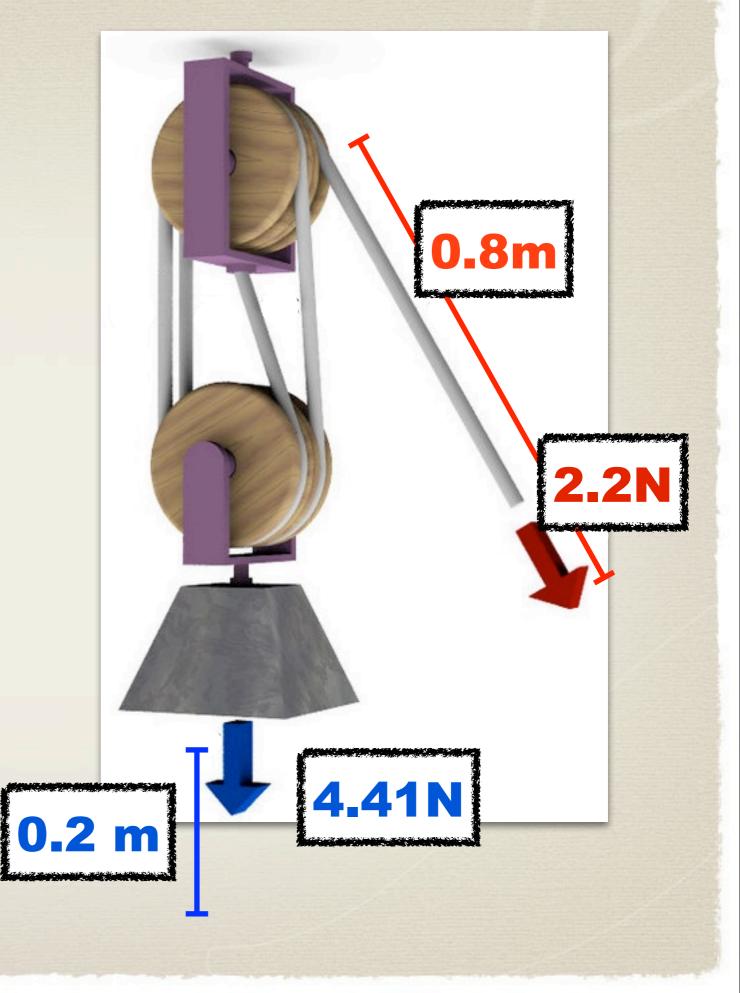
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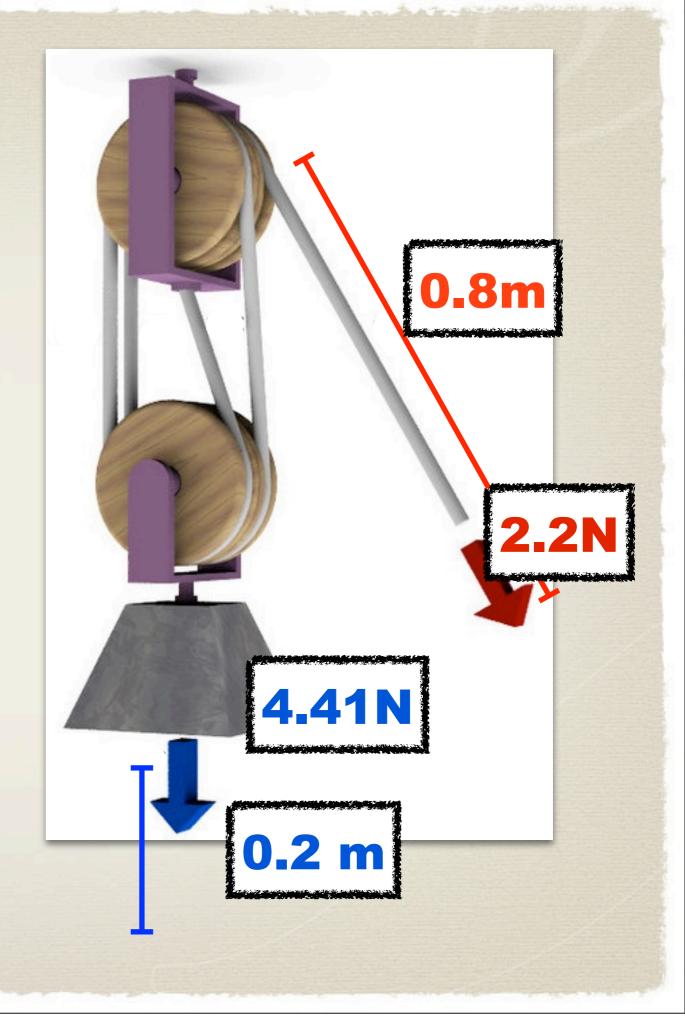


arrangement shown, A force of 2.2 N is used to lift a 450 g Mass. While the mass goes up 20 cm, a student pulls in 80 cm of string. It takes her 5 seconds to lift.



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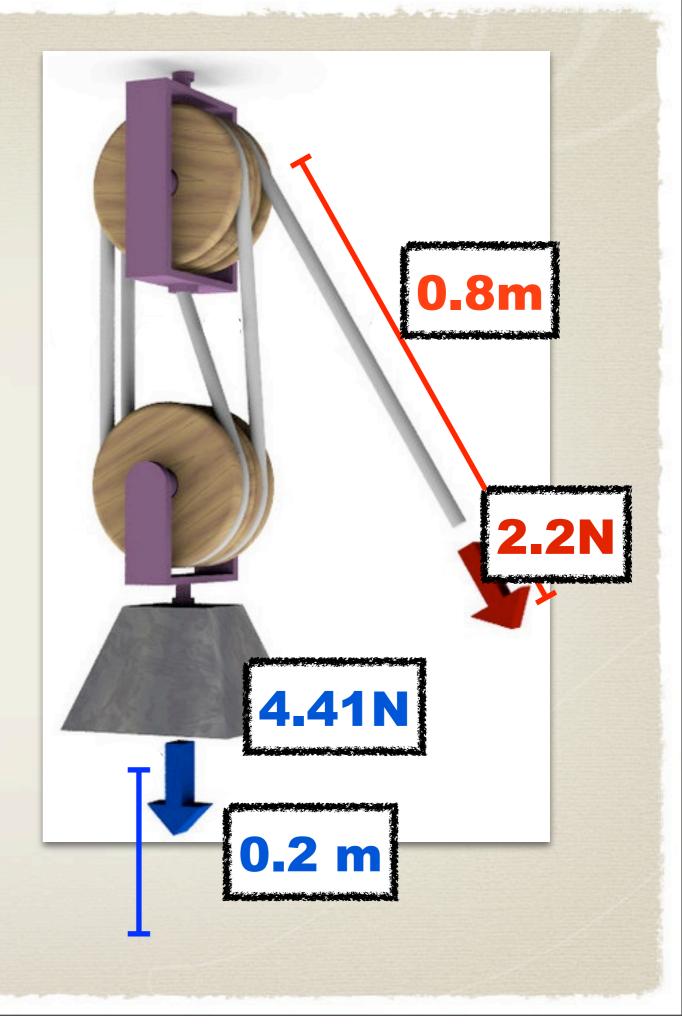
Find the work input,
the work output,
the IMA,
the AMA,
the efficiency of the pulley,
the energy wasted by friction,
her power



A force of 2.2 N is used to lift a 450 g mass.
While the mass goes up 20 cm, a student pulls in 80 cm of string. It takes her 5 seconds to lift

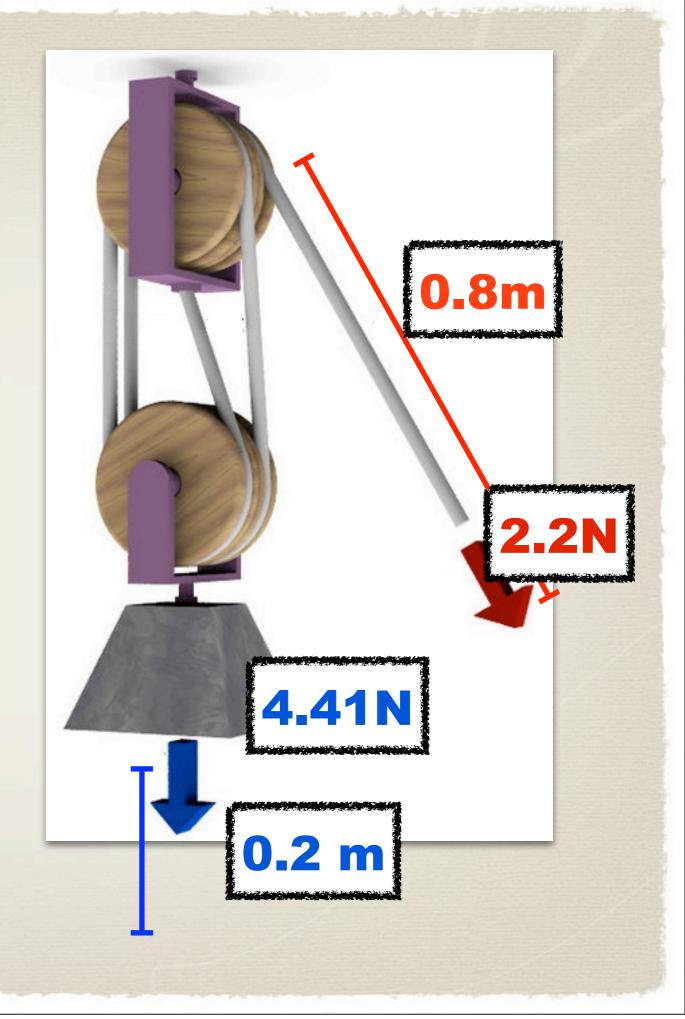
Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

 $W_i = FD$



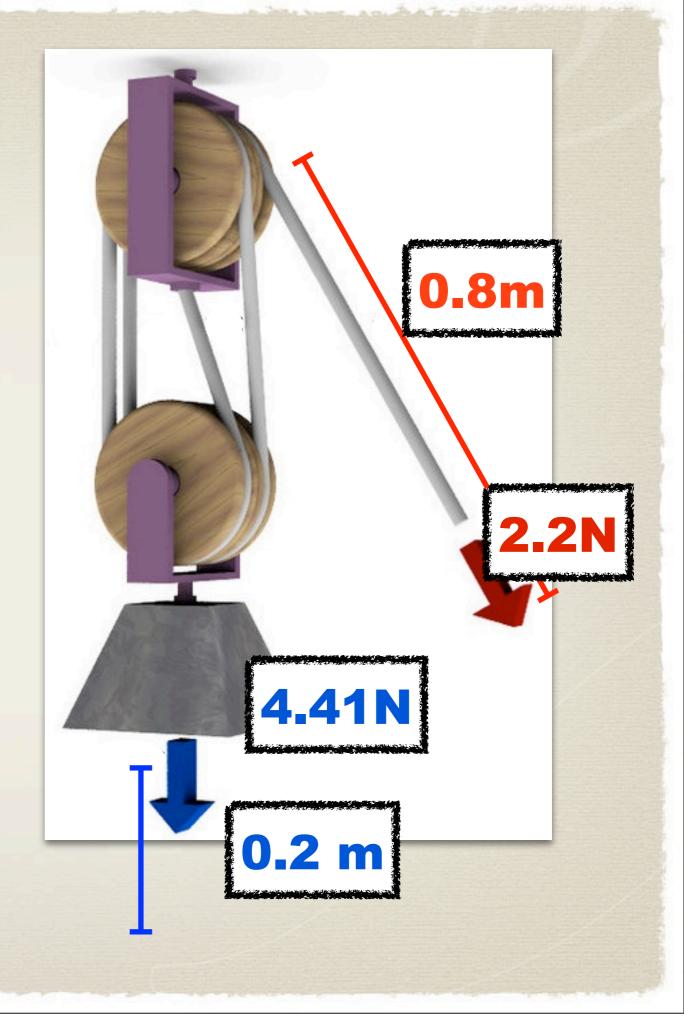
Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

> $W_i = FD$ $W_i = (2.2N)(0.8m)$



Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

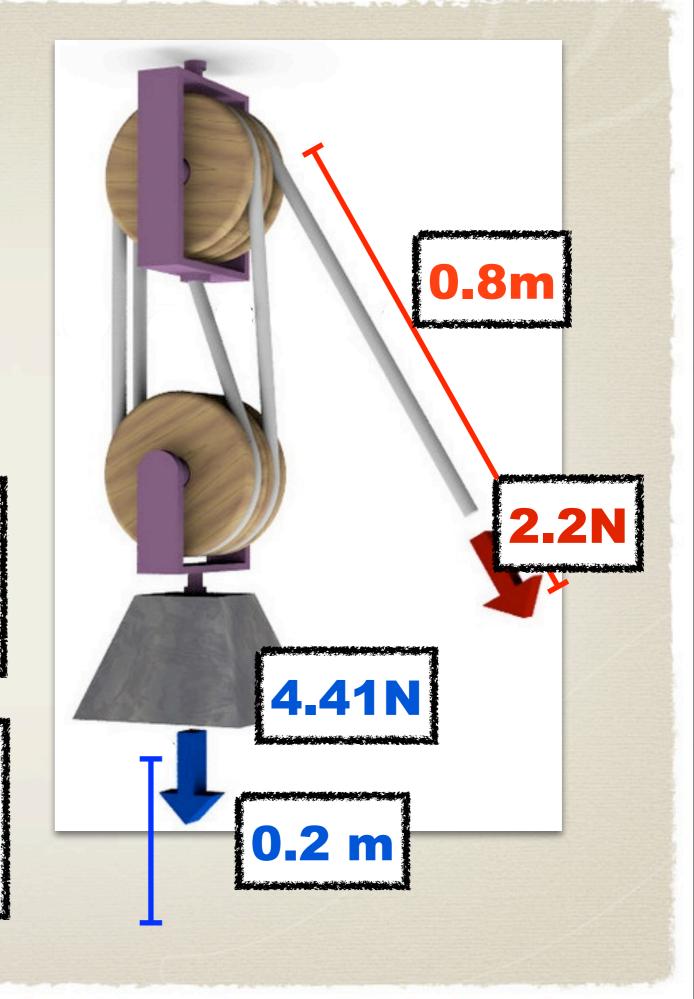
> $W_i = FD$ $W_i = (2.2N)(0.8m)$ $W_i = 1.76 J$



Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

> $W_i = FD$ $W_i = (2.2N)(0.8m)$ $W_i = 1.76 J$

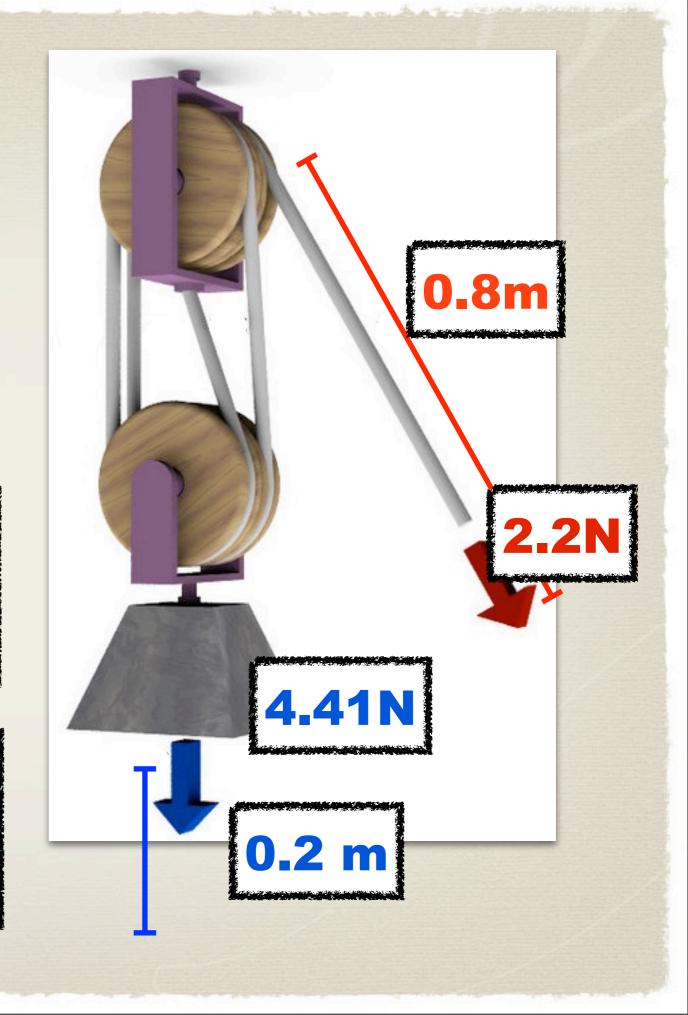
> > $W_o = FD$



Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

> $W_i = FD$ $W_i = (2.2N)(0.8m)$ $W_i = 1.76 J$

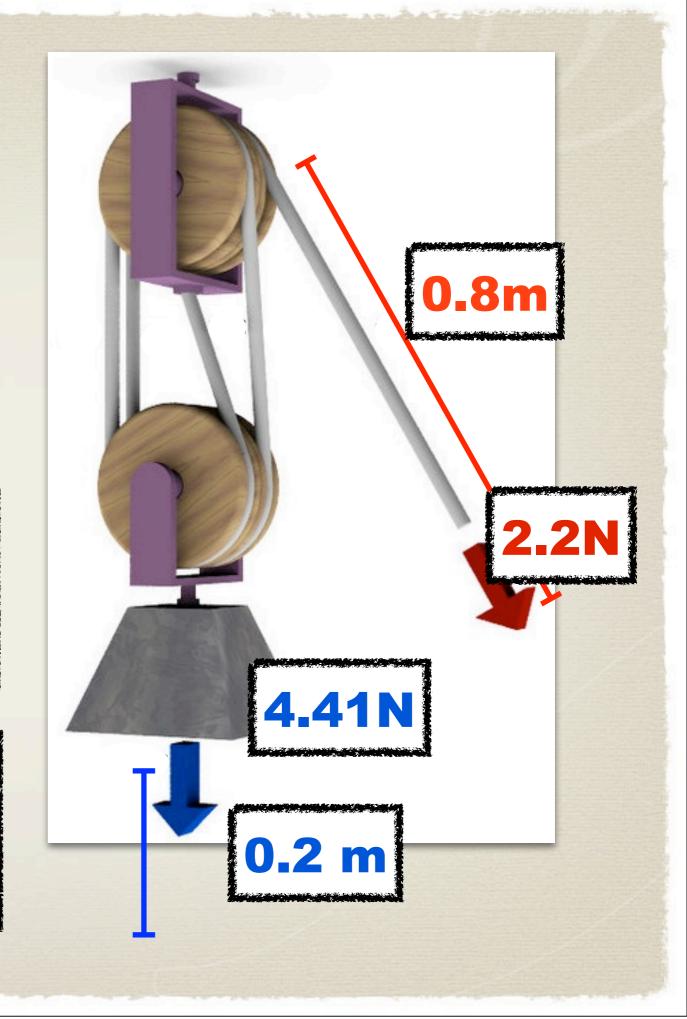
 $W_o = FD$ $W_o = 4.41N(0.2m)$



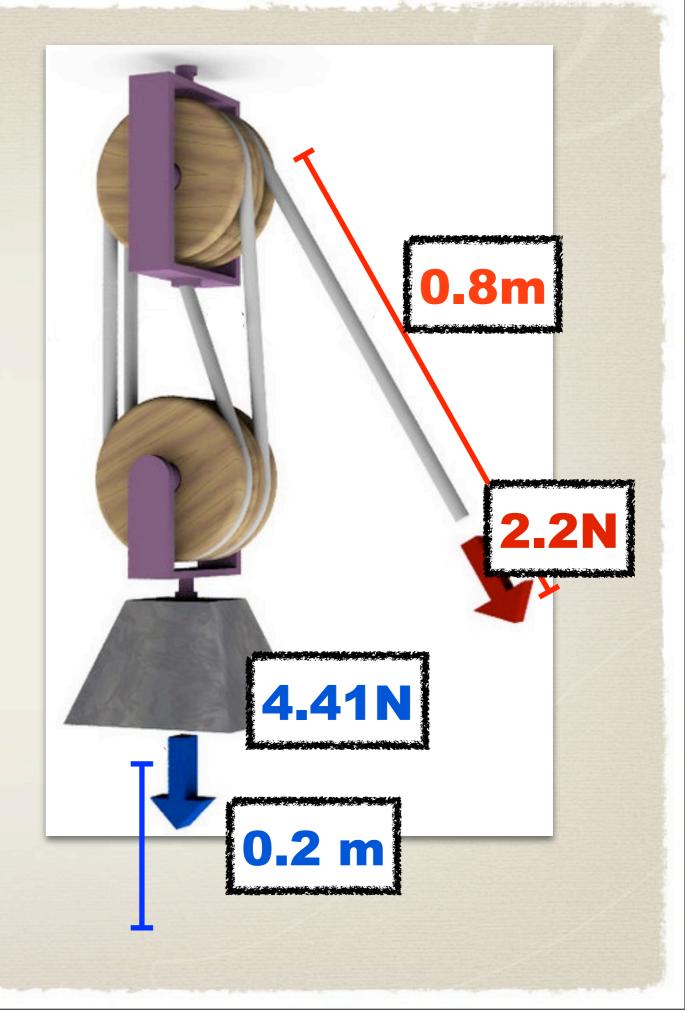
Find the work input, the work output, the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

> $W_i = FD$ $W_i = (2.2N)(0.8m)$ $W_i = 1.76 J$

 $W_o = FD$ $W_o = 4.41N(0.2m)$ $W_o = 0.882 J$

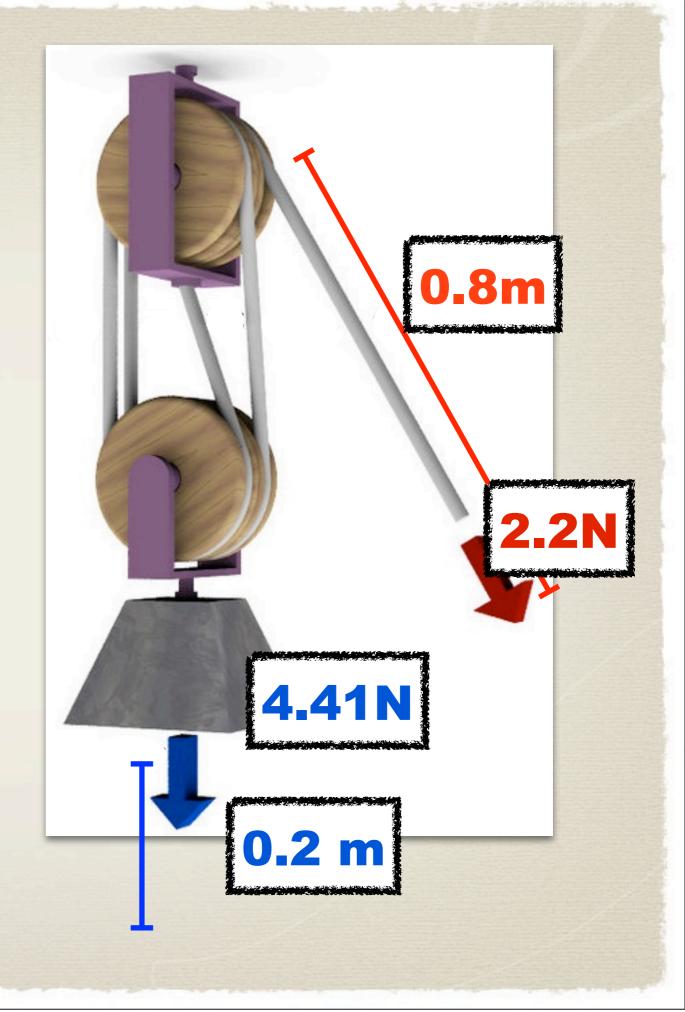


Find the work input Wi = 1.76 J
the work output, Wo = 0.882 J
the IMA,
the AMA,
the efficiency of the pulley,
the energy wasted by friction,
her power



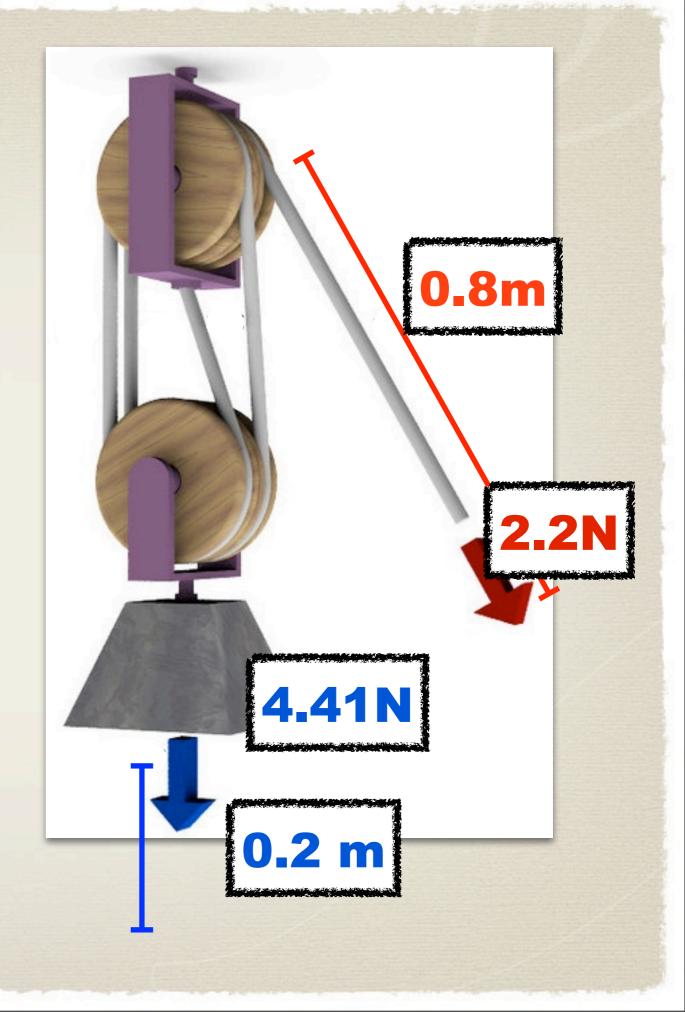
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

 $IMA = D_i / D_o$



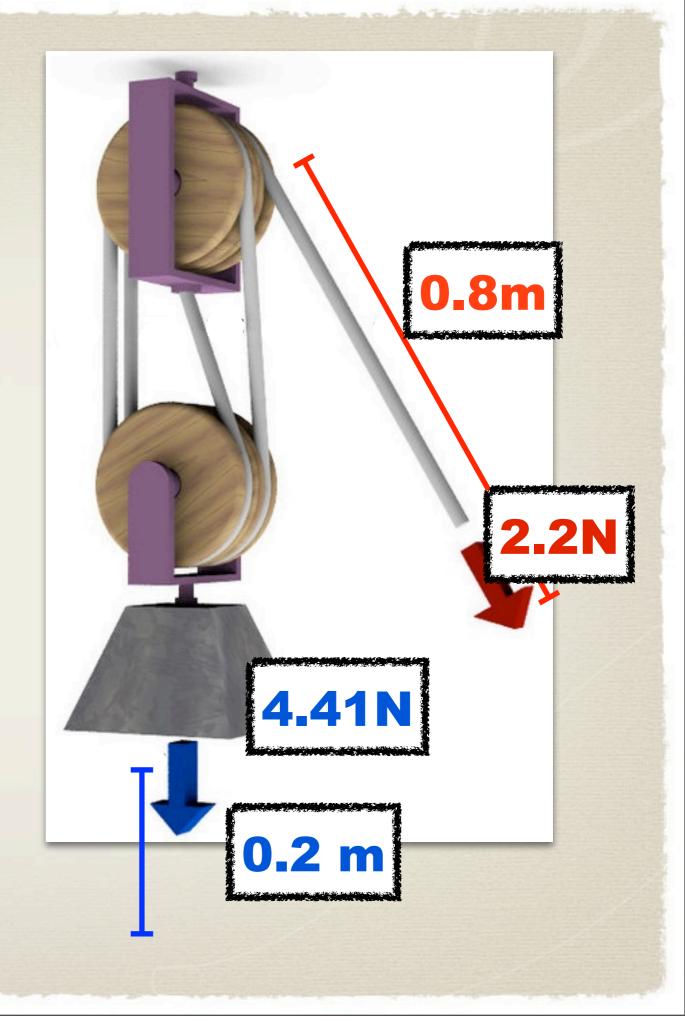
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

> $IMA = D_i / D_o$ IMA = (0.8m) / (0.2m)



Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = (0.8m) / (0.2m) IMA = 4



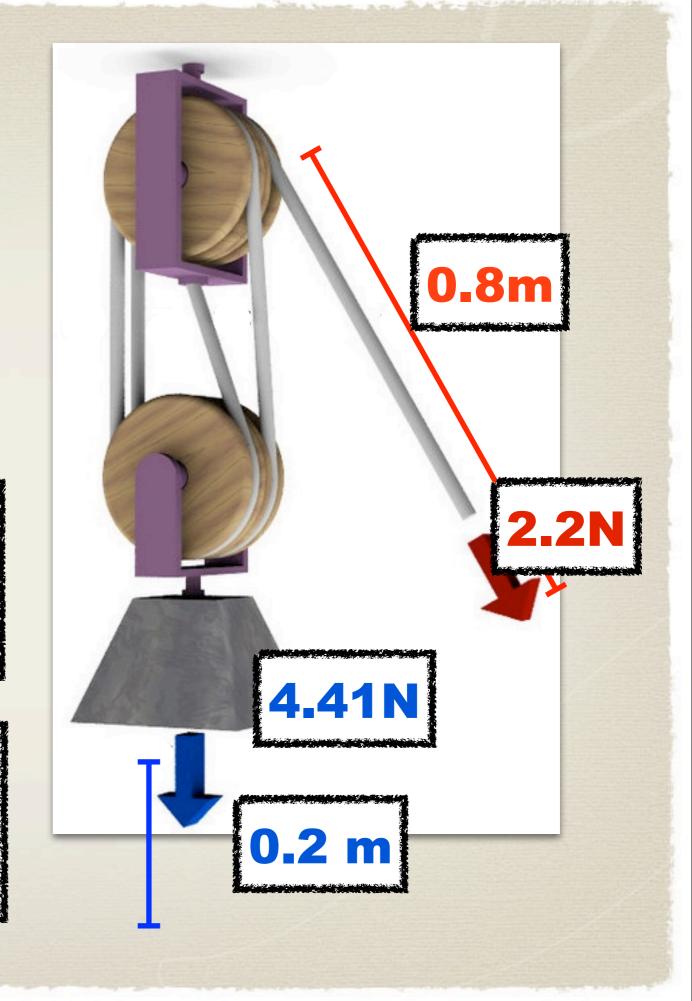
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

$$IMA = D_i / D_o$$

$$IMA = (0.8m) / (0.2m)$$

$$IMA = 4$$

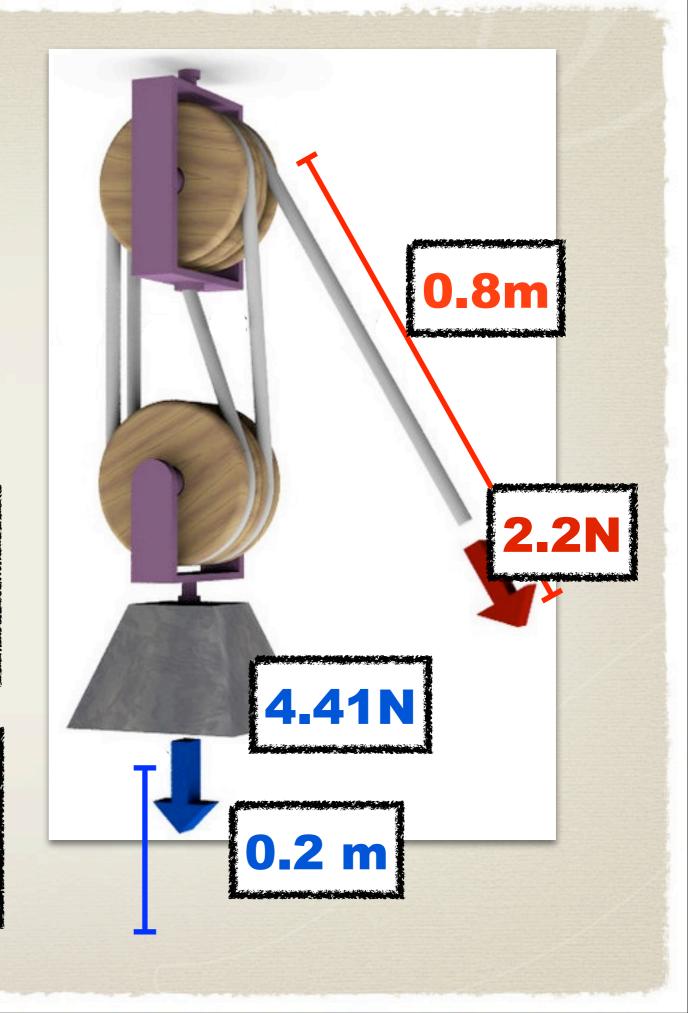
$$AMA = F_o / F_i$$



Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = (0.8m) / (0.2m) IMA = 4

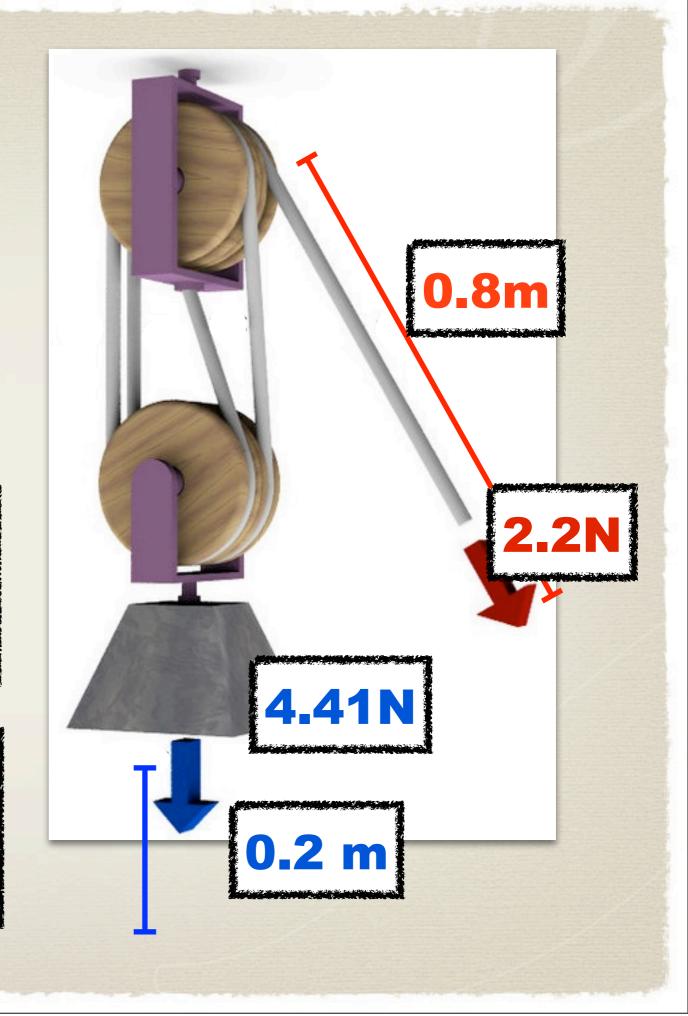
 $AMA = F_o / F_i$ AMA = 4.41N / (2.2N)



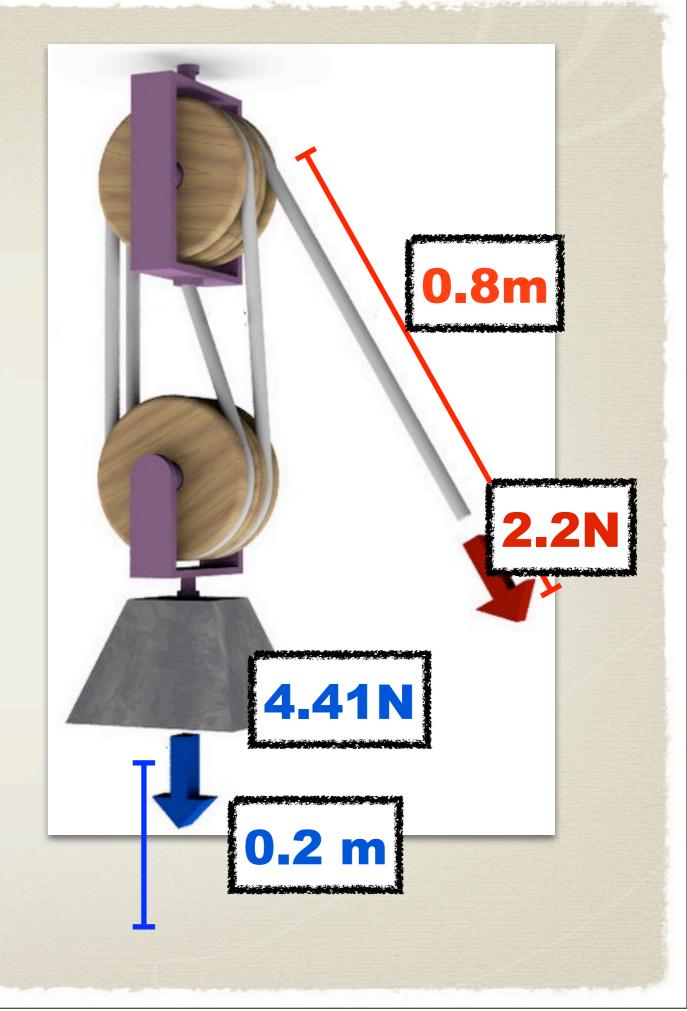
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, the AMA, the efficiency of the pulley, the energy wasted by friction, her power

 $IMA = D_i / D_o$ IMA = (0.8m) / (0.2m) IMA = 4

 $AMA = F_o / F_i$ AMA = 4.41N / (2.2N) AMA = 2

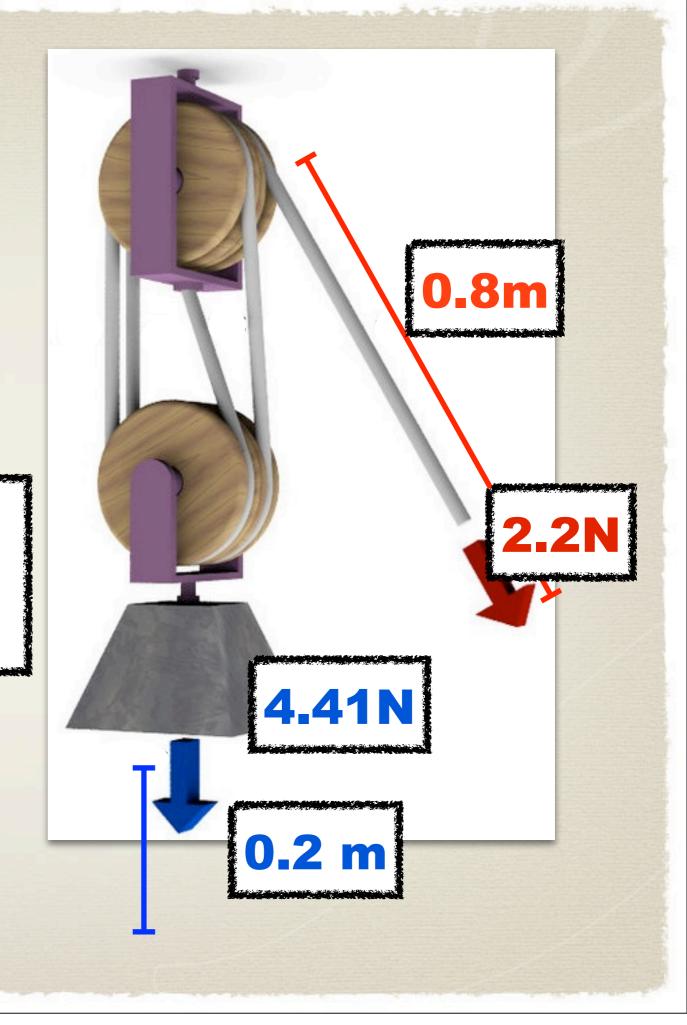


Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power



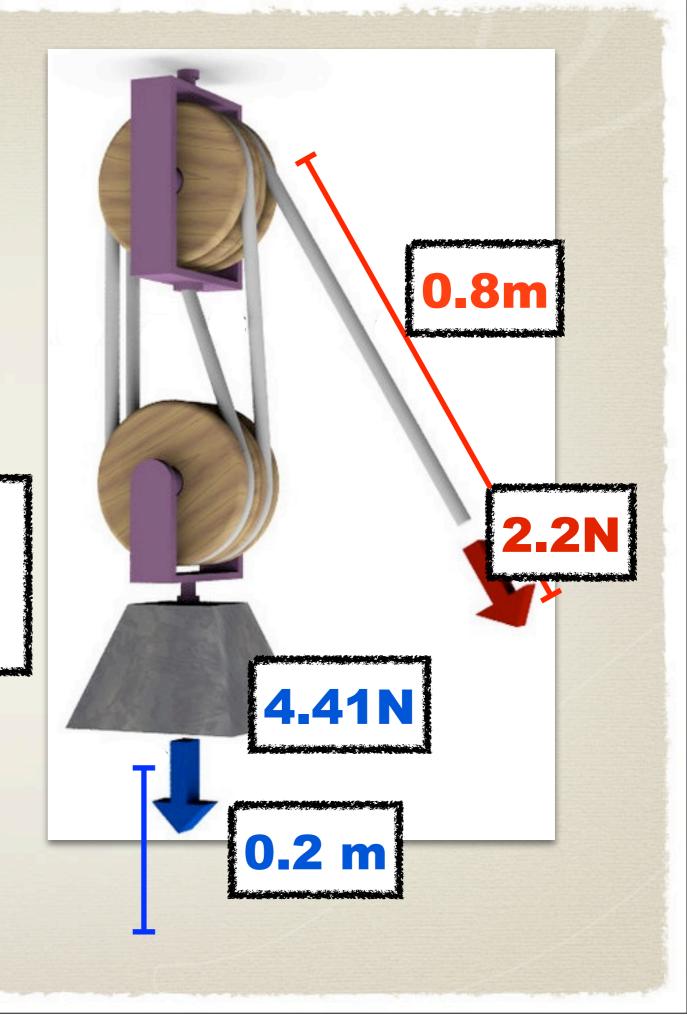
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

Efficiency = Wo / Wi



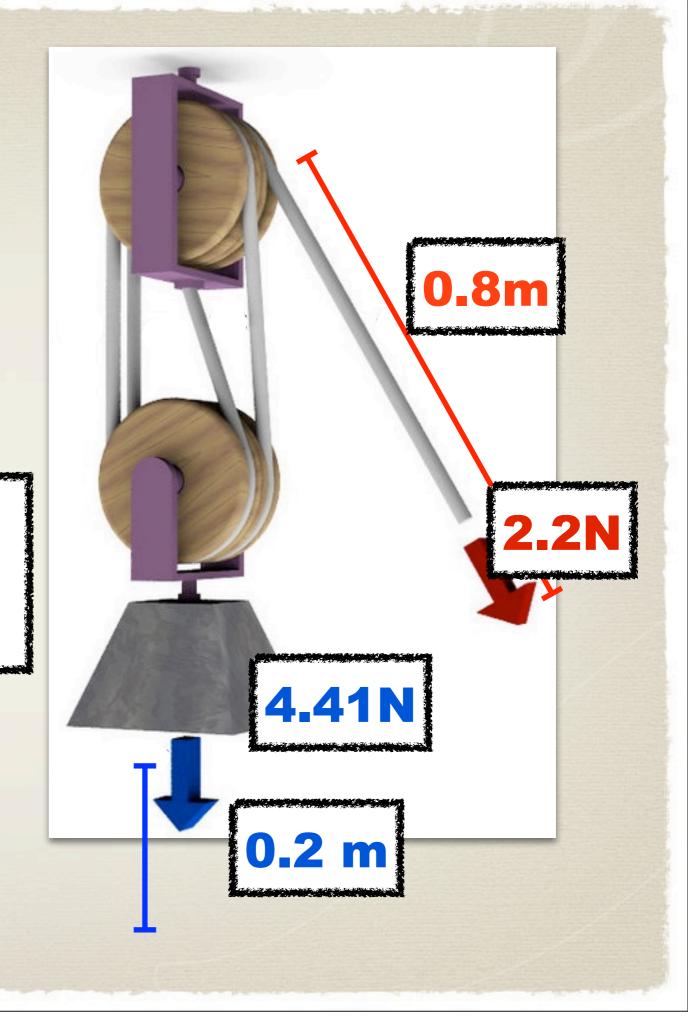
Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J)



Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

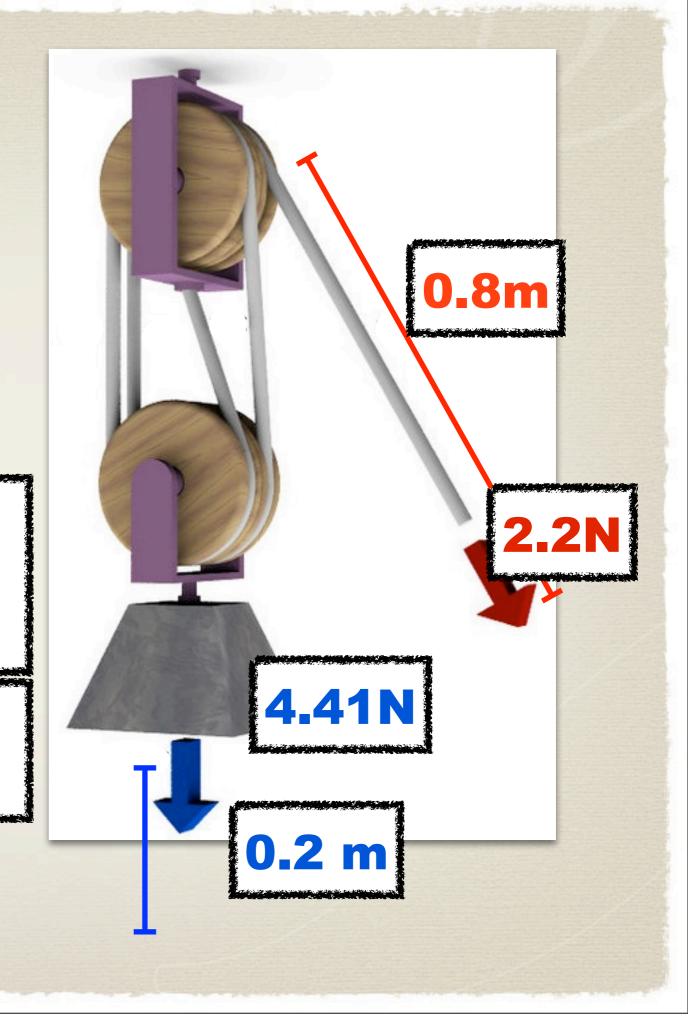
 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J) Efficiency = 0.5 = 50%



Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J) Efficiency = 0.5 = 50%

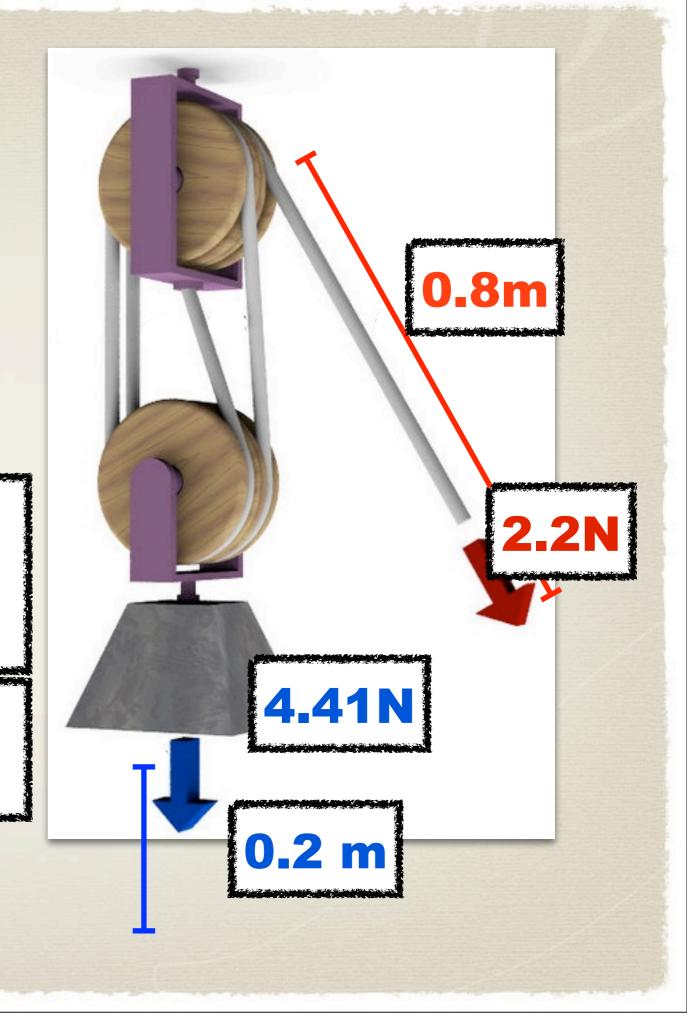
Energy Lost



Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J) Efficiency = 0.5 = 50%

Energy Lost 1.76 - 0.882 = 0.878J

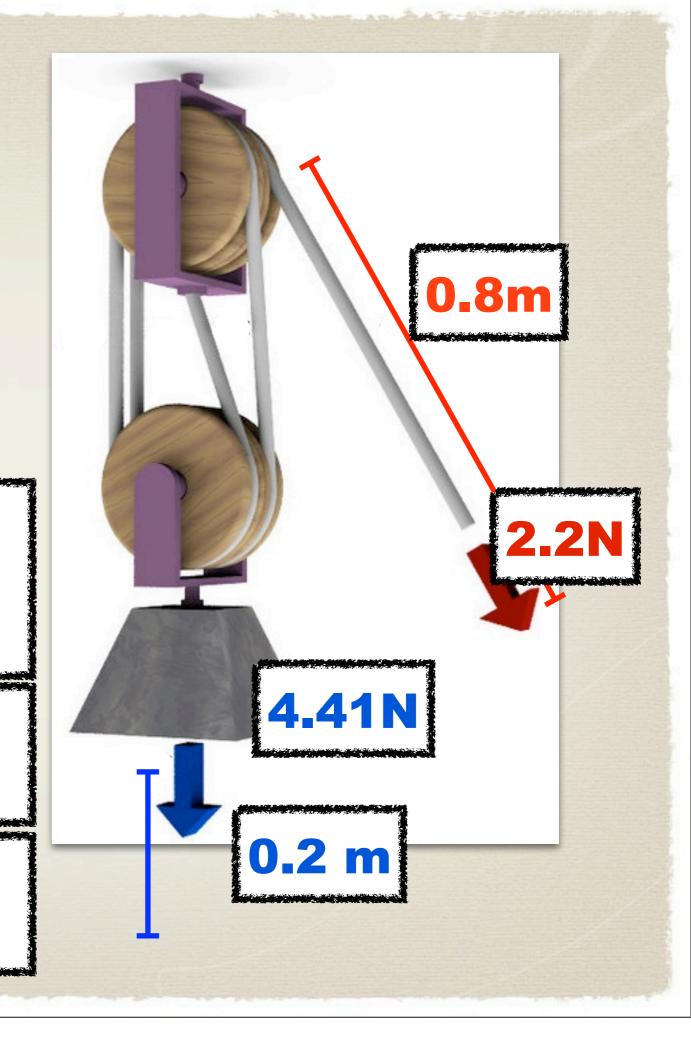


Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J) Efficiency = 0.5 = 50%

Energy Lost 1.76 - 0.882 = 0.878J

Power = W/t

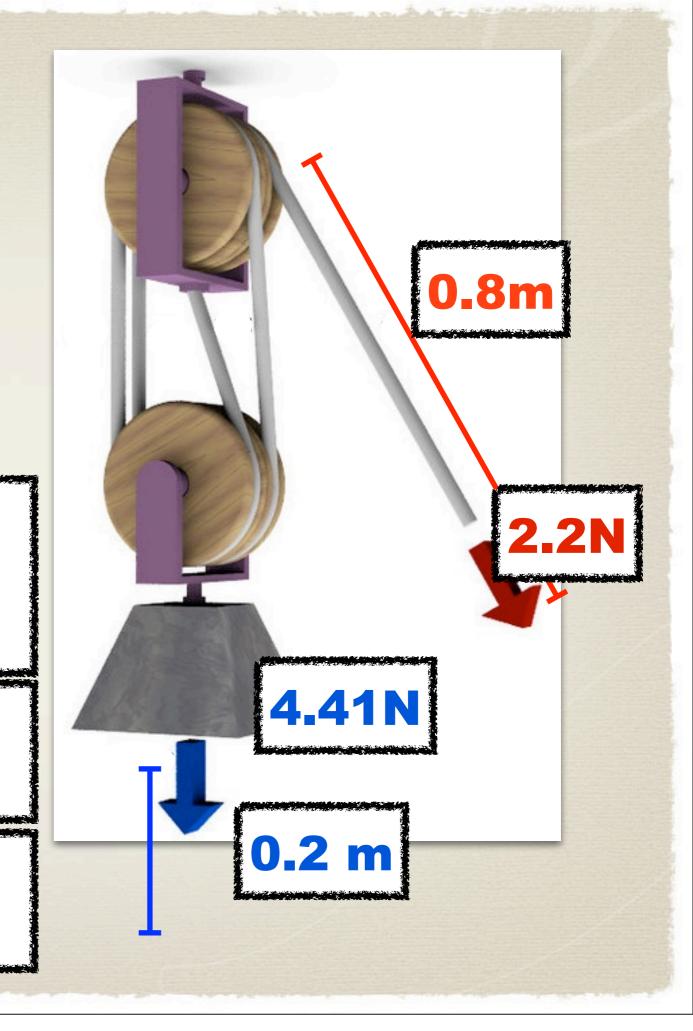


Find the work input Wi = 1.76 J the work output, Wo = 0.882 J the IMA, IMA = 4 the AMA, AMA = 2 the efficiency of the pulley, the energy wasted by friction, her power

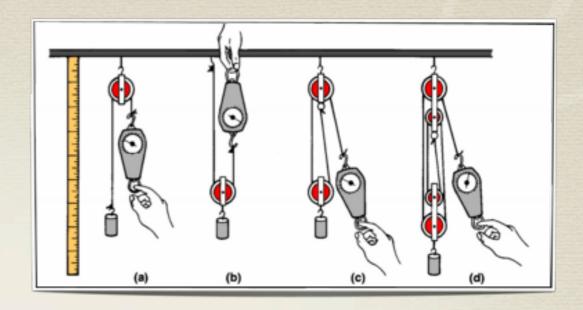
 $Efficiency = W_o / W_i$ Efficiency = (0.882J)/(1.76J) Efficiency = 0.5 = 50%

Energy Lost 1.76 - 0.882 = 0.878J

Power = W / tPower = 1.76 / 5s = 0.352W



Pulley Lab



Data:		Draw the pulley arrangement	Calculations:	
mass lifted			Number of lifting strings	
Weight Lifted			\\/ = = - - - - - - - - -	
Height lifted			Work input F x D	
mass needed			Work output W x H	
Force applied			Efficiency	
Distance			Wo / Wi	

Academic Assignment

Academic Physics

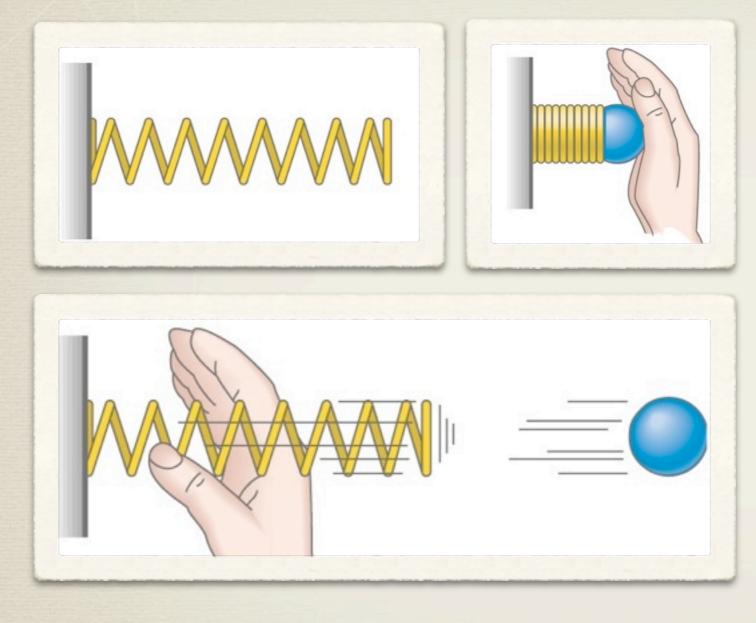
Set 1 - Chapter 10

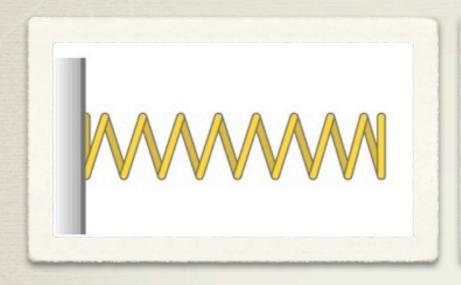
1, 2, 3, 5, 6, 7, 25, 26, 27, 28, 52, 53, 56, 57

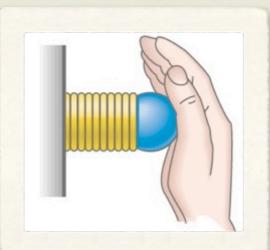
Solving Problems with Energy

instead of old equations

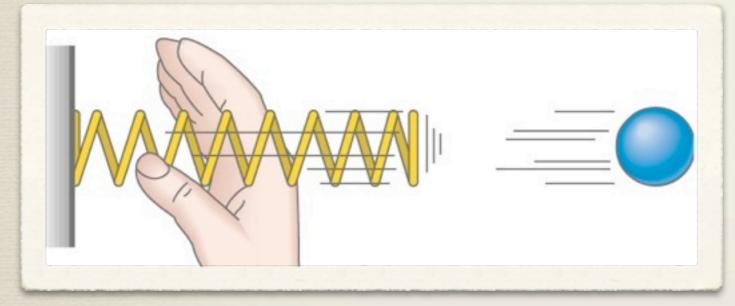


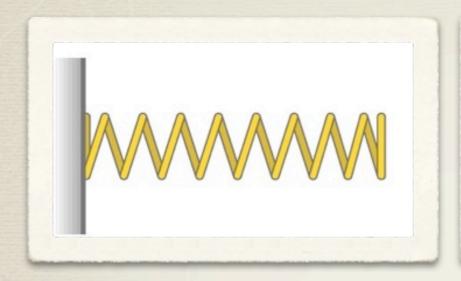


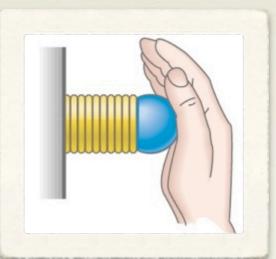






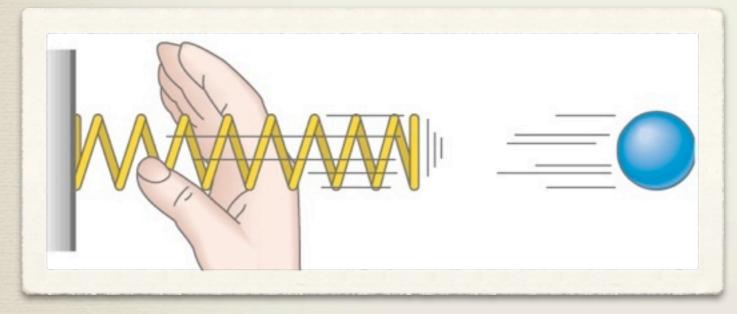


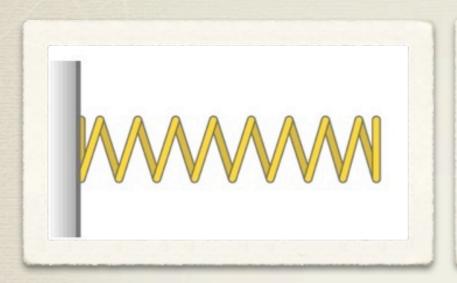


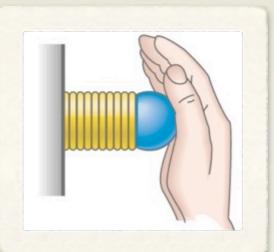


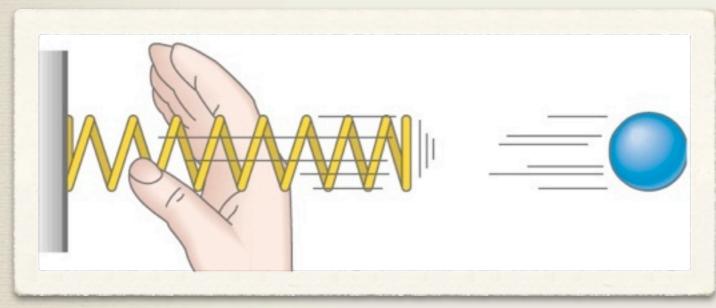


$$\triangleright$$
 F = k x

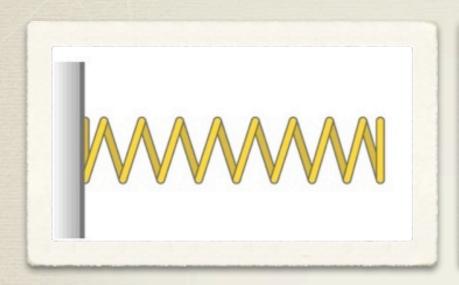


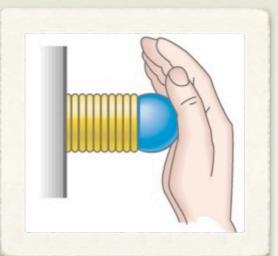


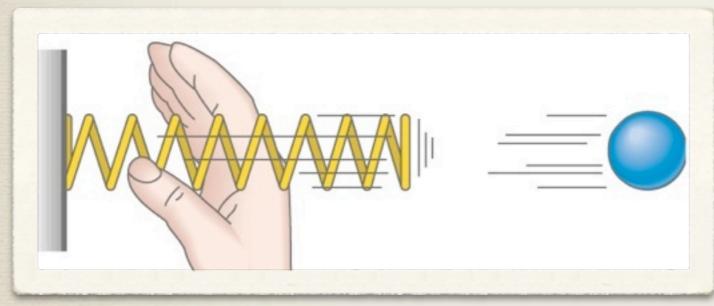




- \triangleright W = F D
- \triangleright F = k x
- $Arr F_{avg} = \frac{1}{2} k x$





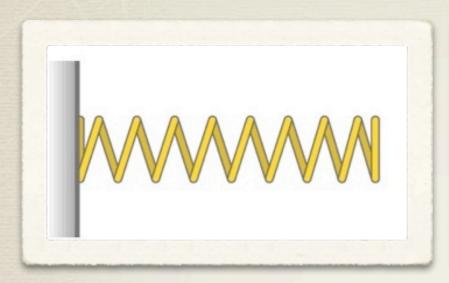


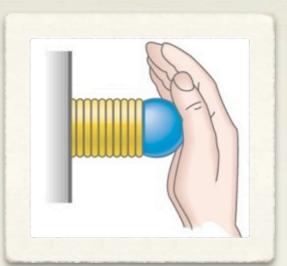
$$\triangleright$$
 W = F D

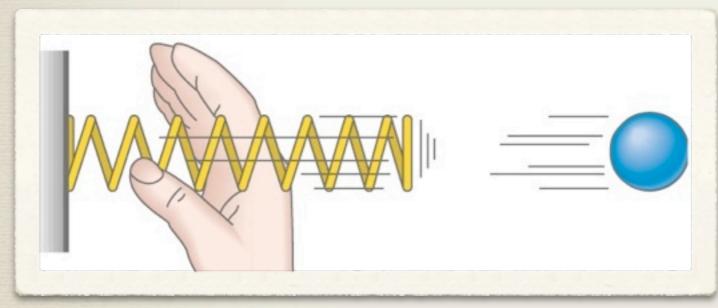
$$\triangleright$$
 F = k x

$$\triangleright$$
 F_{avg} = $\frac{1}{2}$ k x

$$\gg W = (\frac{1}{2} k x) (x)$$







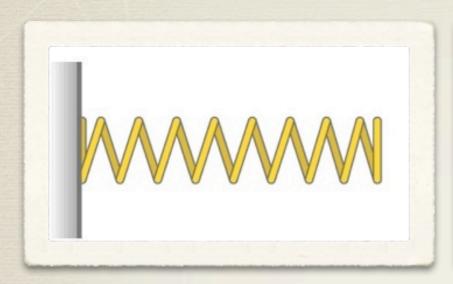
$$\triangleright$$
 W = F D

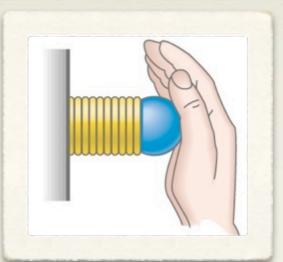
$$\triangleright F = k x$$

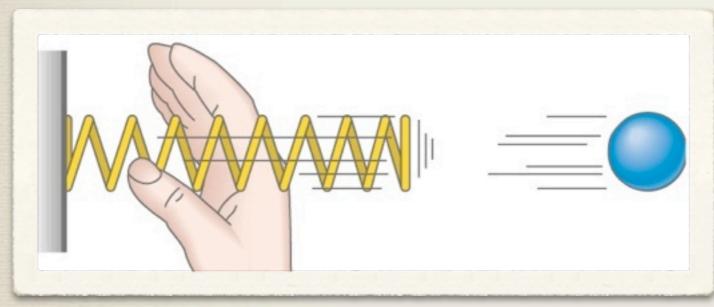
$$Arr F_{avg} = \frac{1}{2} k x$$

$$W = (\frac{1}{2} k x) (x)$$

$$W = \frac{1}{2} k x^2$$







$$\triangleright$$
 W = F D

$$\triangleright F = k x$$

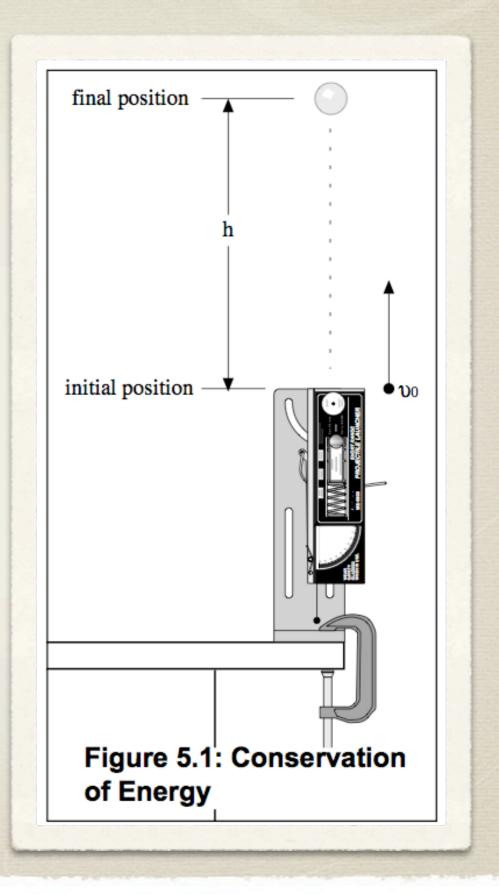
$$Arr F_{avg} = \frac{1}{2} k x$$

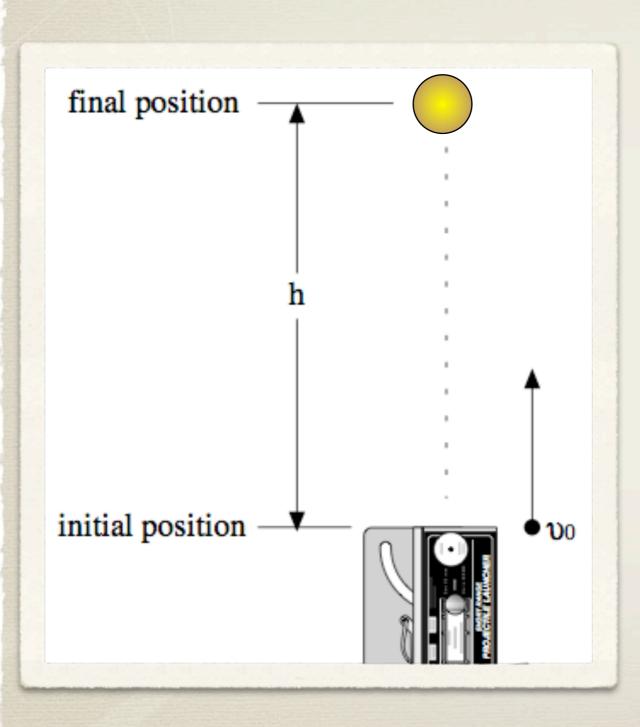
$$\gg W = (\frac{1}{2} k x) (x)$$

$$W = \frac{1}{2} k x^2$$

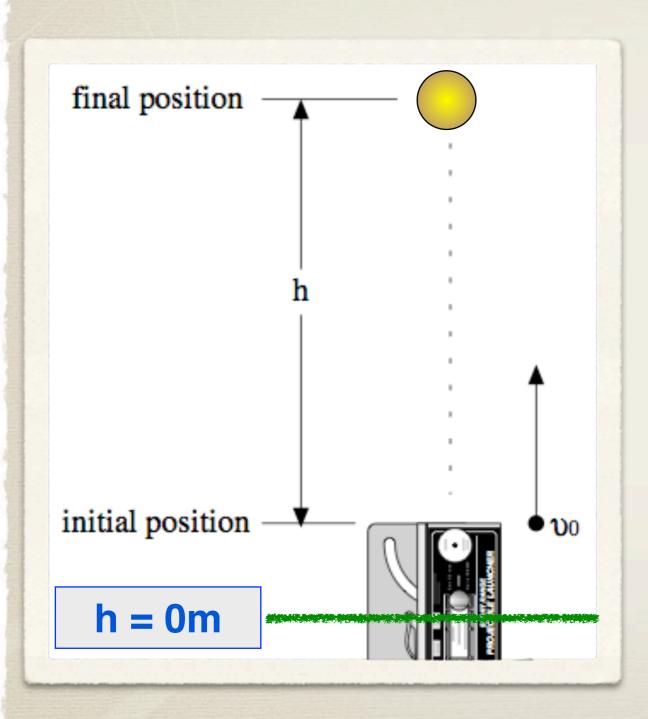
$$PE = \frac{1}{2} k x^2$$

- In an earlier lab, you compressed a spring to "two clicks" or a distance of 6cm. The 10g ball went up 1.08m when launched at 90°.
- Find the PE at the top
- Find the Spring Constant k
- Find the KE at the top of the cannon, and the maximum velocity of the ball
- Find the maximum force used to push the spring

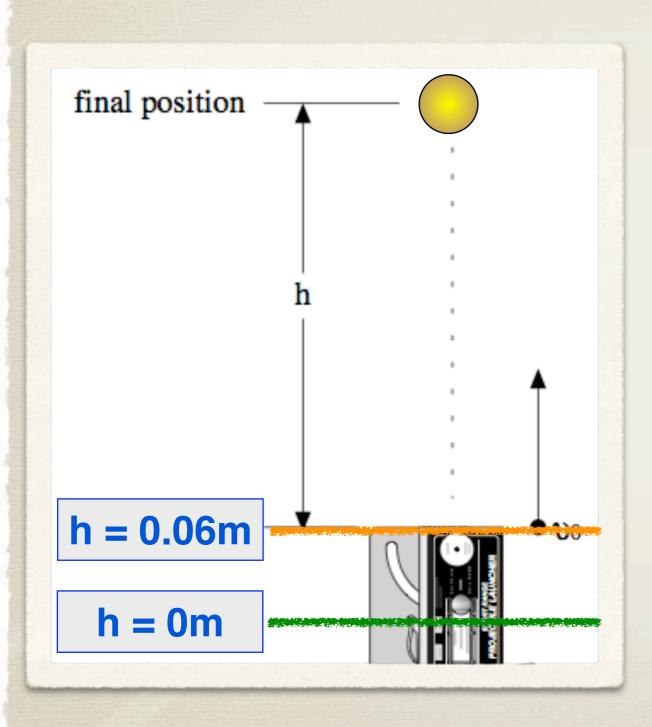




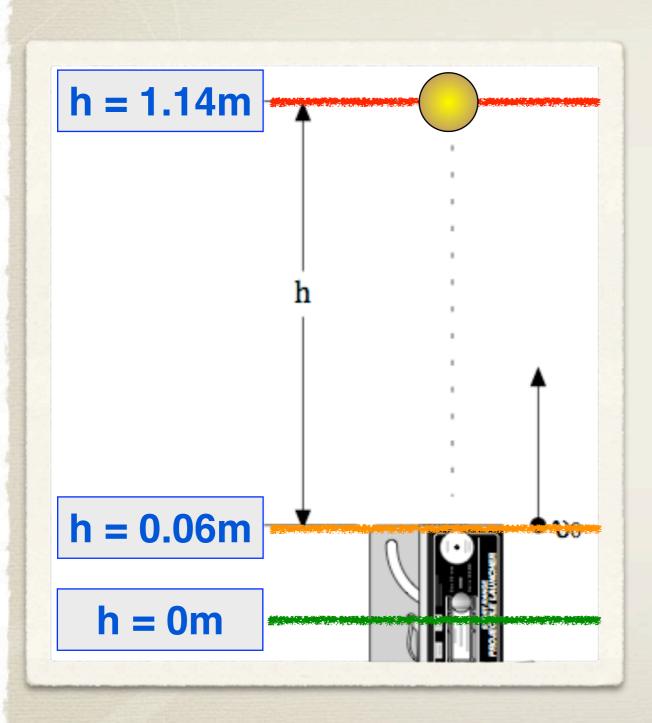
- Find the PE at the top
- Find the Spring Constant k
- Find the KE at the top of the cannon, and the maximum velocity of the ball
- Find the maximum force used to push the spring



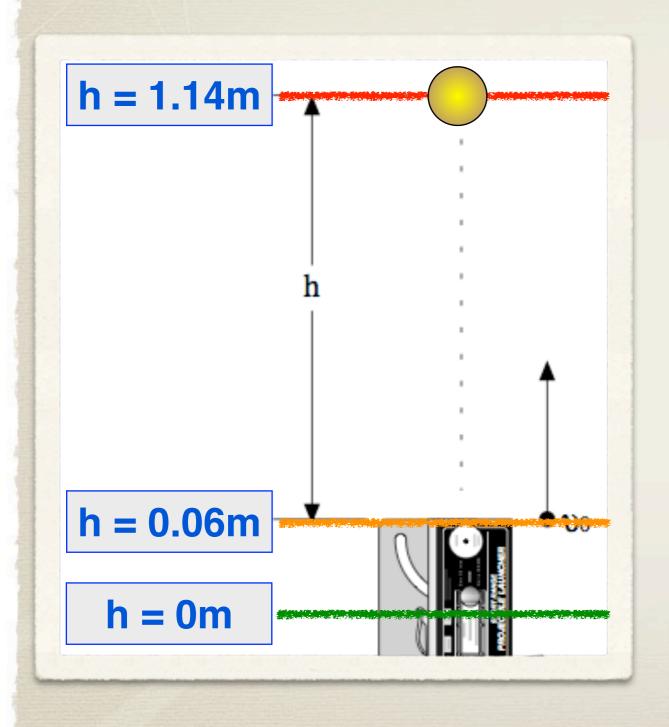
- Find the PE at the top
- Find the Spring Constant k
- Find the KE at the top of the cannon, and the maximum velocity of the ball
- Find the maximum force used to push the spring



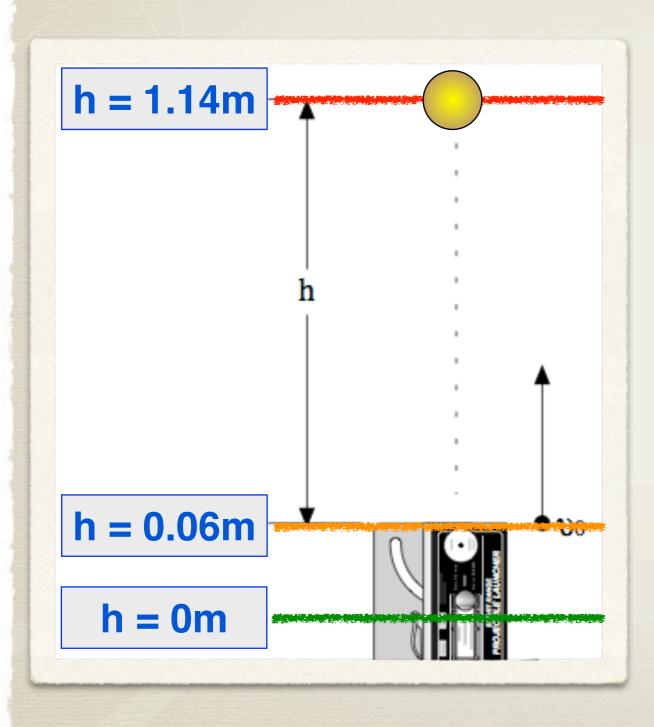
- Find the PE at the top
- Find the Spring Constant k
- Find the KE at the top of the cannon, and the maximum velocity of the ball
- Find the maximum force used to push the spring



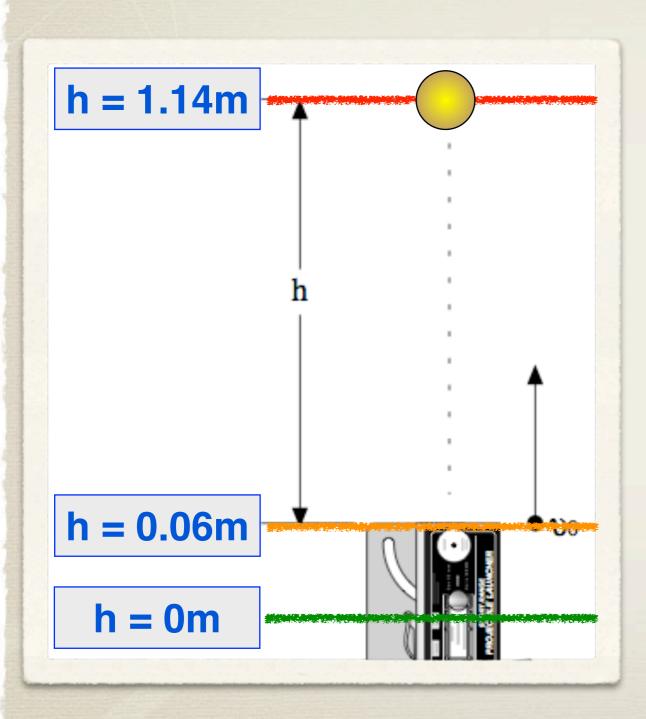
- Find the PE at the top
- Find the Spring Constant k
- Find the KE at the top of the cannon, and the maximum velocity of the ball
- Find the maximum force used to push the spring



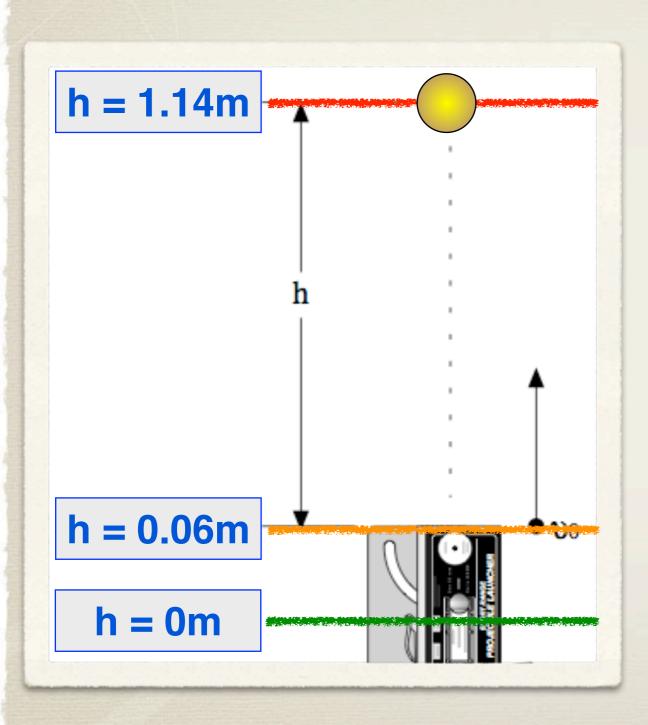
▶ In lab, you compressed a spring a distance of 6cm. The 10g ball went up 1.08m.



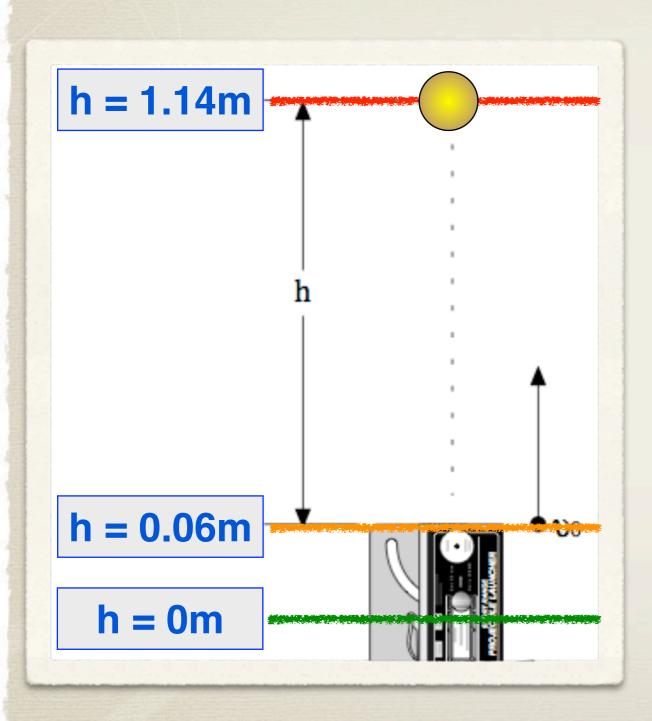
▶ Find the PE at the top



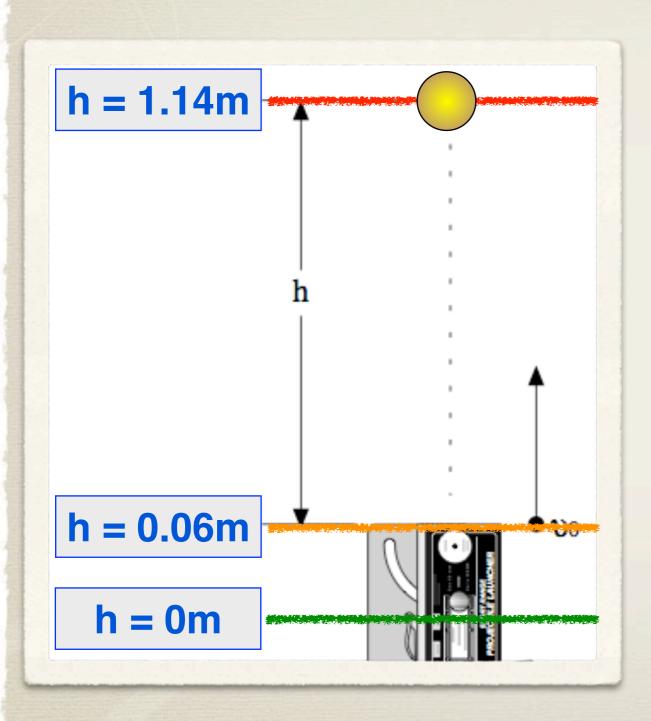
- Find the PE at the top
- ▶ PE = mgh



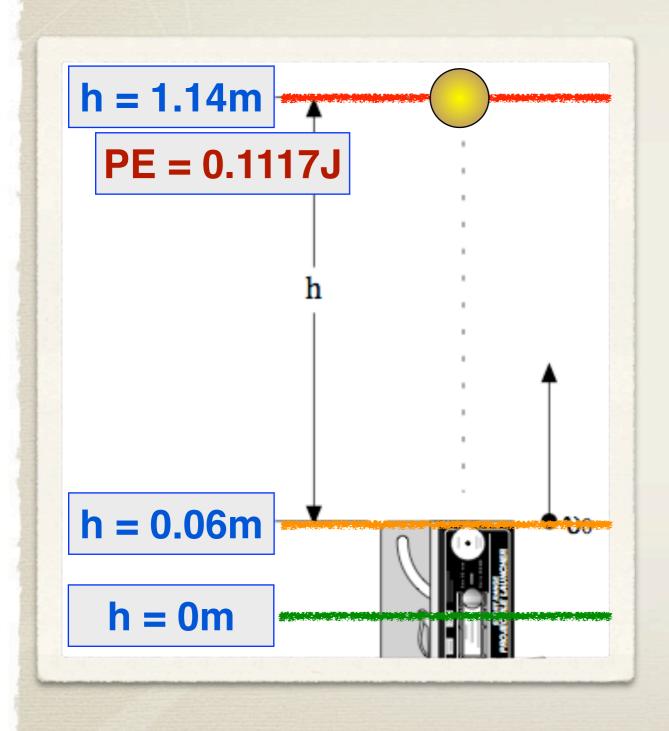
- Find the PE at the top
- ▶ PE = mgh
- \triangleright PE = (0.010kg)(9.8)(1.14)



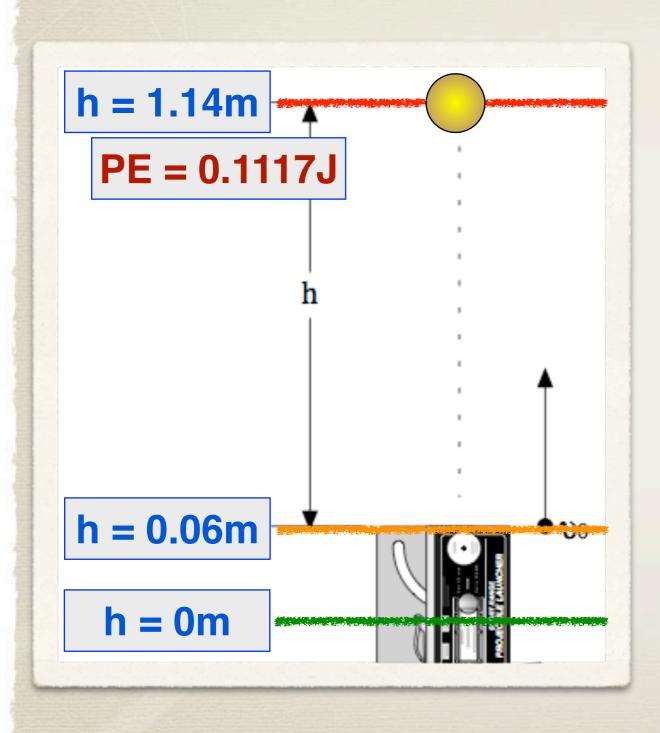
- Find the PE at the top
- ▶ PE = mgh
- \triangleright PE = (0.010kg)(9.8)(1.14)
- \triangleright PE = 0.1117J



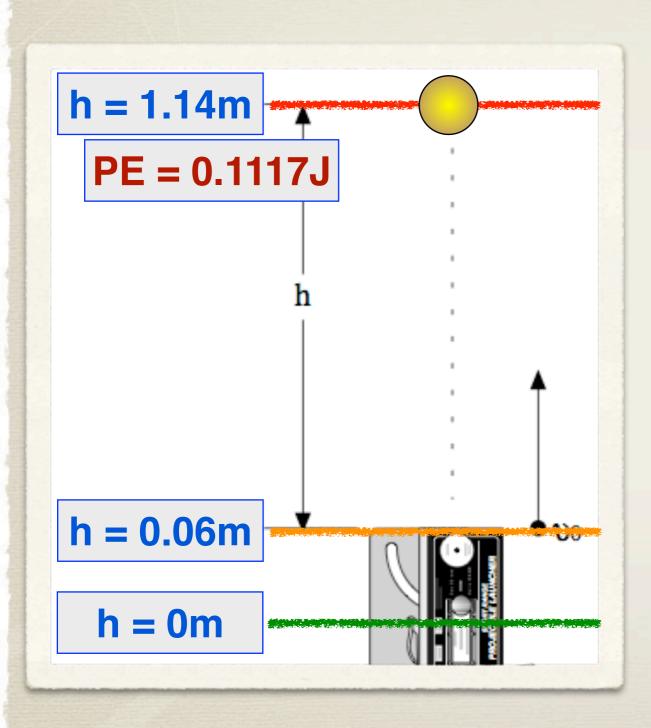
- Find the PE at the top
- ▶ PE = mgh
- \triangleright PE = (0.010kg)(9.8)(1.14)
- \triangleright PE = 0.1117J
- \triangleright TE = 0.1117J



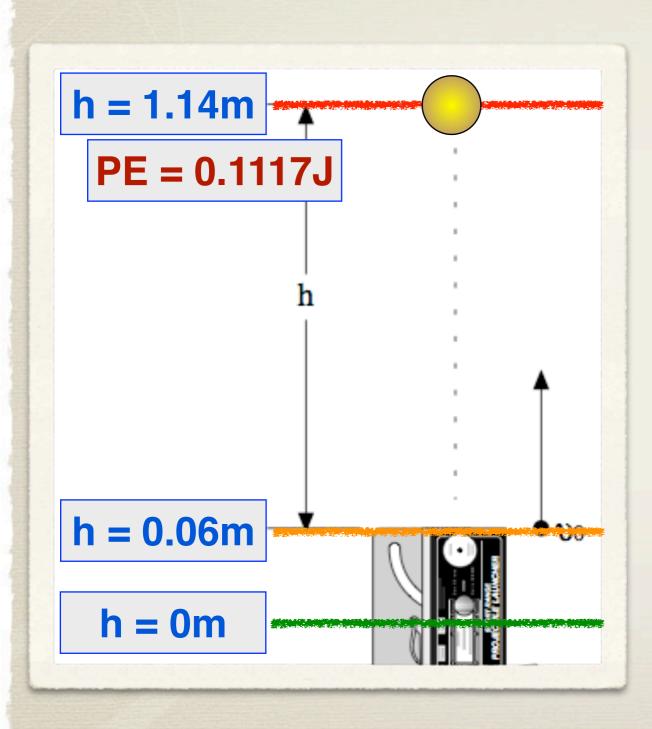
▶ In lab, you compressed a spring a distance of 6cm. The 10g ball went up 1.08m.



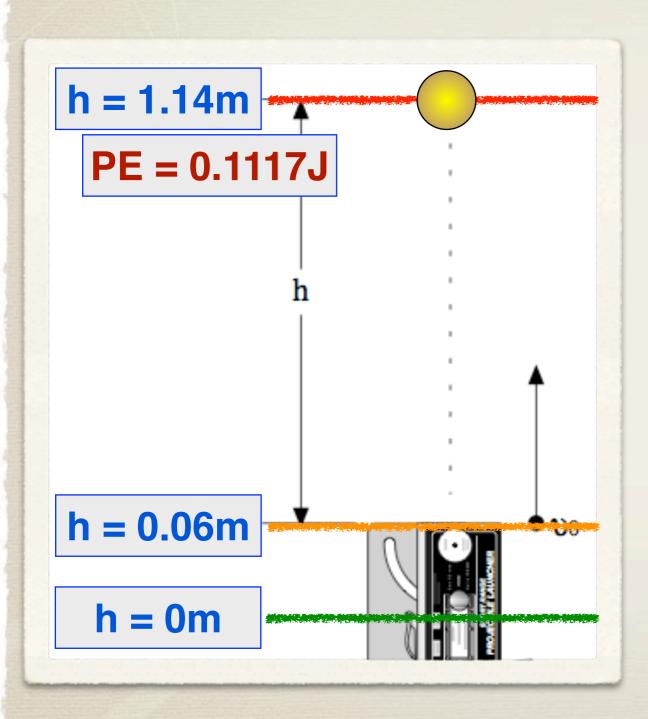
Find the Spring Constant k



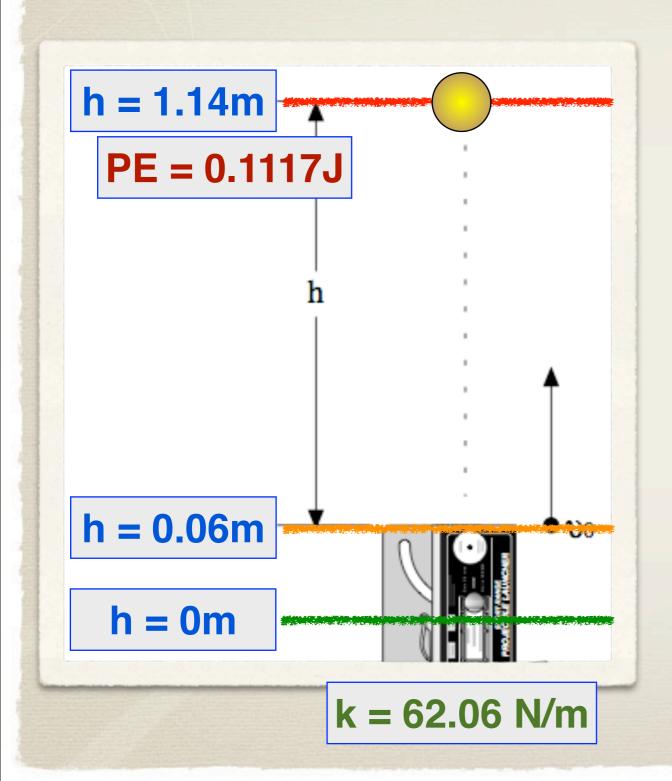
- Find the Spring Constant k
- \triangleright Elastic PE = $\frac{1}{2}kx^2$



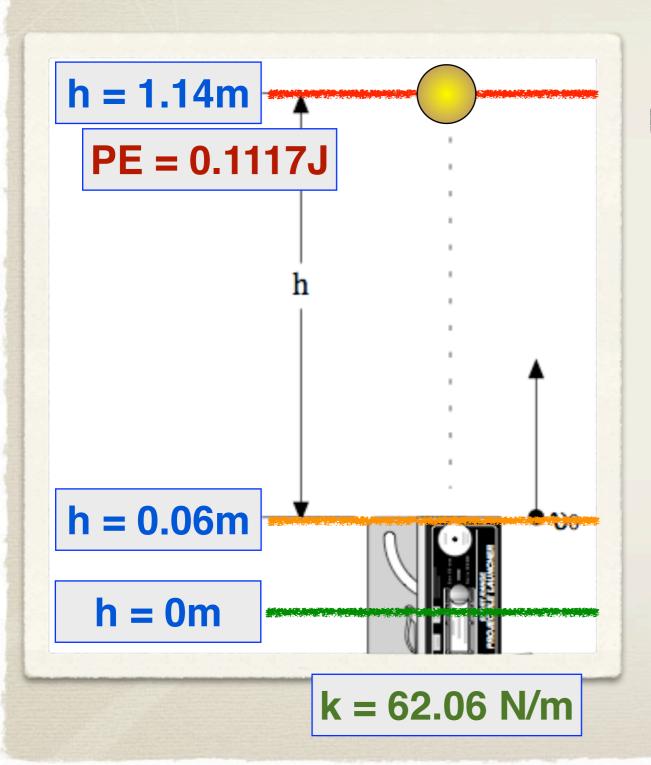
- Find the Spring Constant k
- \triangleright Elastic PE = $\frac{1}{2}kx^2$
- \triangleright 0.1117J = $\frac{1}{2}$ k (0.06)²



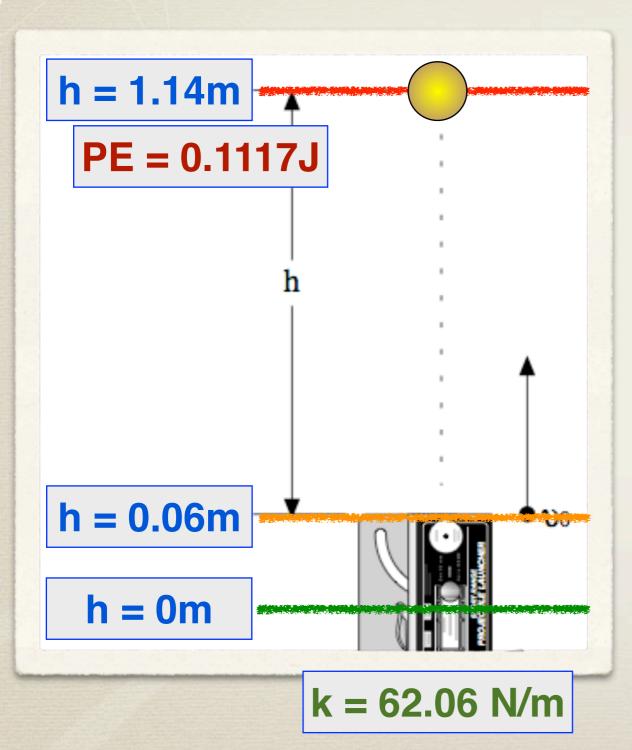
- Find the Spring Constant k
- \triangleright Elastic PE = $\frac{1}{2}kx^2$
- \triangleright 0.1117J = $\frac{1}{2}$ k (0.06)²
- k = 62.06 N/m



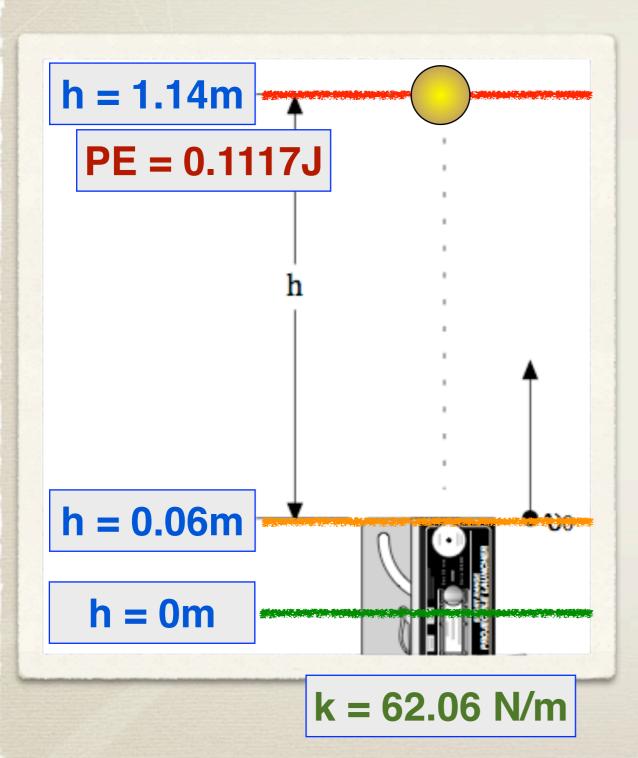
▶ In lab, you compressed a spring a distance of 6cm. The 10g ball went up 1.08m.



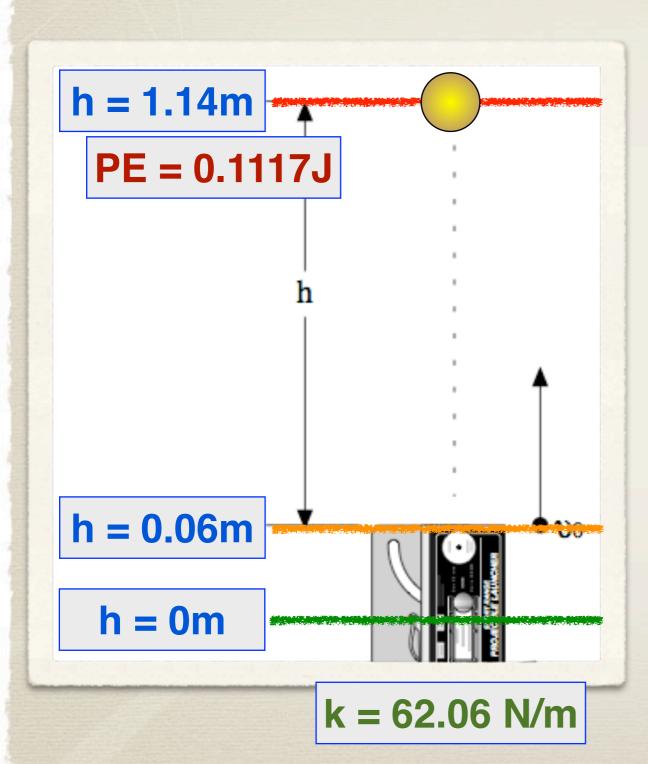
Find the KE and the velocity



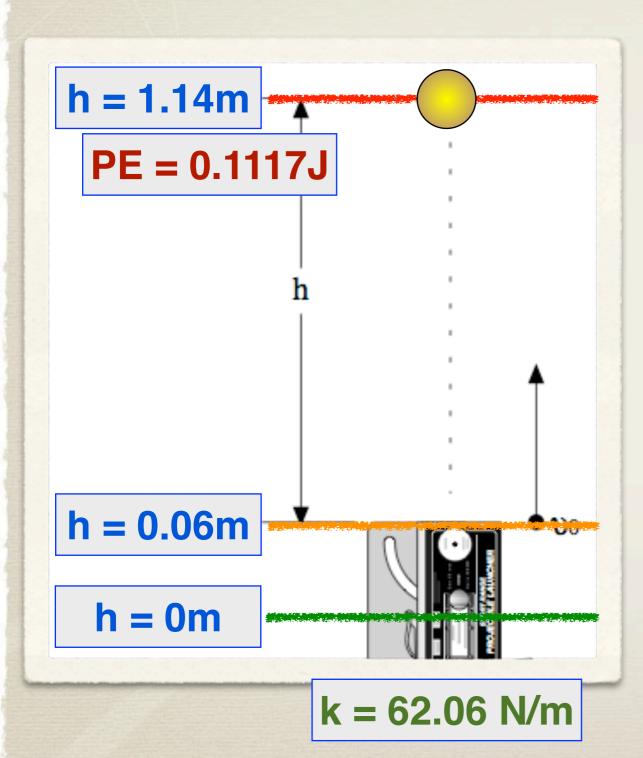
- Find the KE and the velocity
- \triangleright **PE** = (0.010kg)(9.8)(0.06)



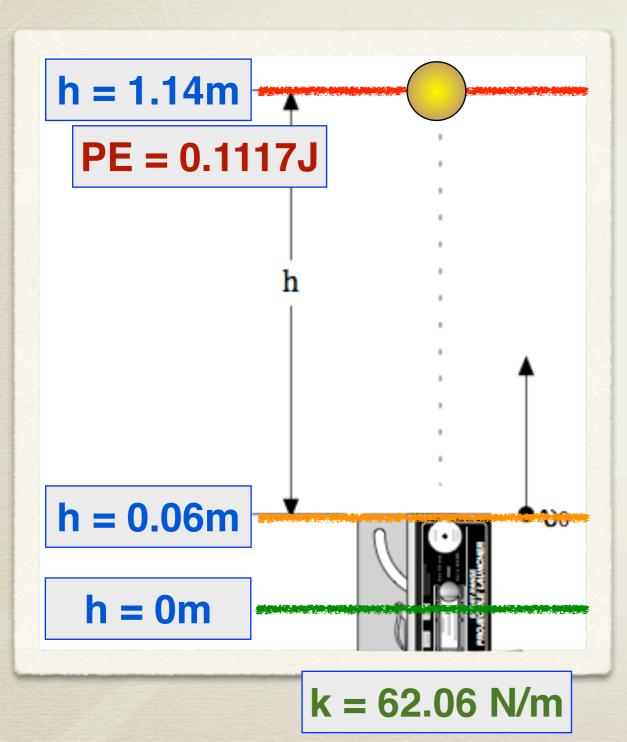
- Find the KE and the velocity
- \triangleright **PE** = (0.010 kg)(9.8)(0.06)
- ▶ PE = 0.00588 J = 5.88 mJ



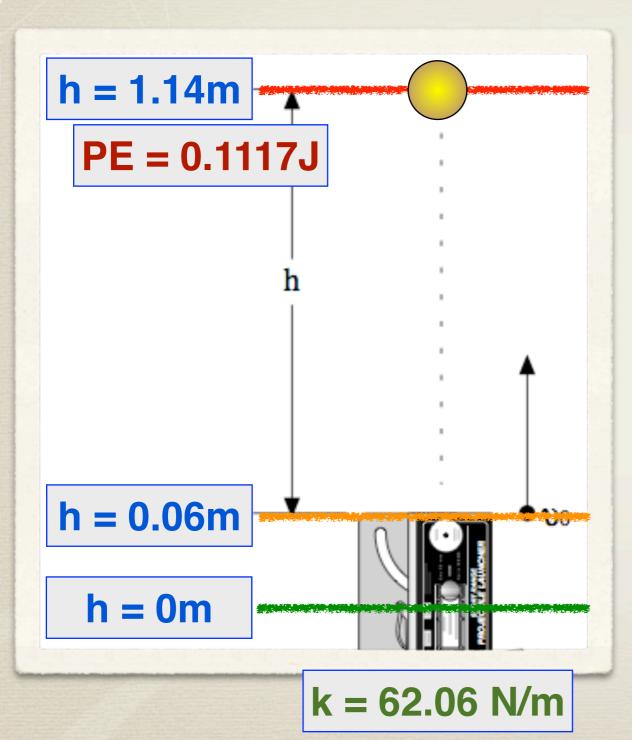
- Find the KE and the velocity
- \triangleright **PE** = (0.010 kg)(9.8)(0.06)
- ▶ PE = 0.00588 J = 5.88 mJ
- $\mathbf{KE} = 0.1117 0.00588 = 0.1058 \,\mathrm{J}$



- Find the KE and the velocity
- \triangleright **PE** = (0.010 kg)(9.8)(0.06)
- \triangleright PE = 0.00588 J = 5.88 mJ
- \triangleright **KE** = 0.1117- 0.00588 = 0.1058 J
- \triangleright 0.1058 J = $\frac{1}{2}$ (mv²)

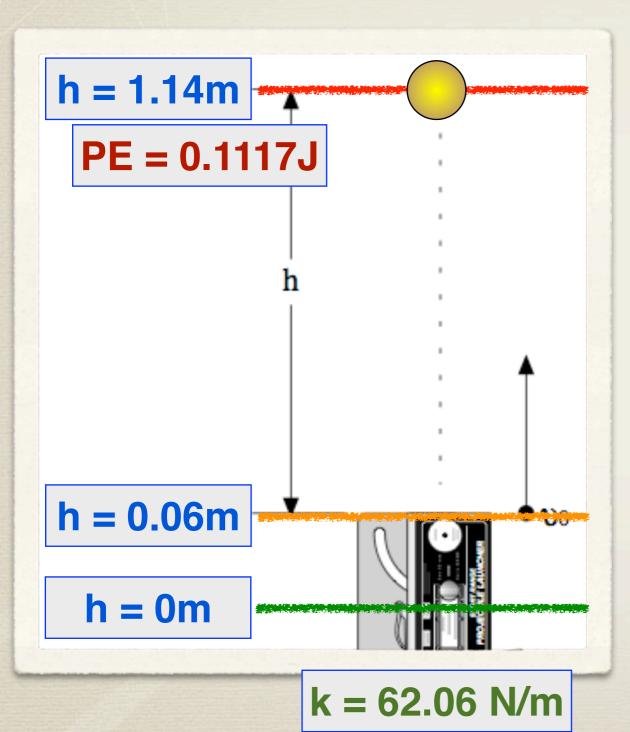


- Find the KE and the velocity
- \triangleright **PE** = (0.010 kg)(9.8)(0.06)
- ▶ PE = 0.00588 J = 5.88 mJ
- \triangleright **KE** = 0.1117- 0.00588 = 0.1058 J
- \triangleright 0.1058 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.1058 J = $\frac{1}{2}$ (0.010) V^2



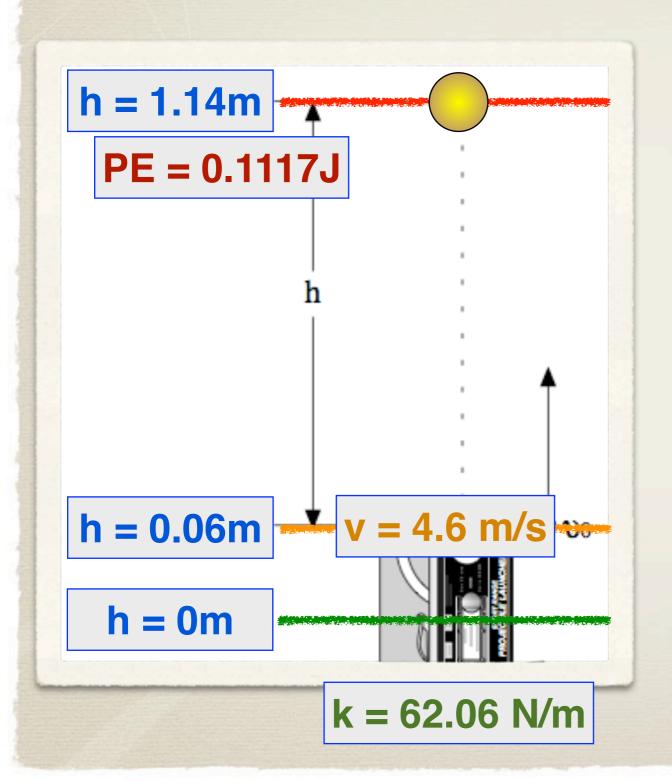
- Find the KE and the velocity
- \triangleright **PE** = (0.010kg)(9.8)(0.06)
- ▶ PE = 0.00588 J = 5.88 mJ
- \triangleright **KE** = 0.1117- 0.00588 = 0.1058 J
- \triangleright 0.1058 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.1058 J = $\frac{1}{2}$ (0.010) V^2
- v = 4.6 m/s

▶ In lab, you compressed a spring a distance of 6cm. The 10g ball went up 1.08m.

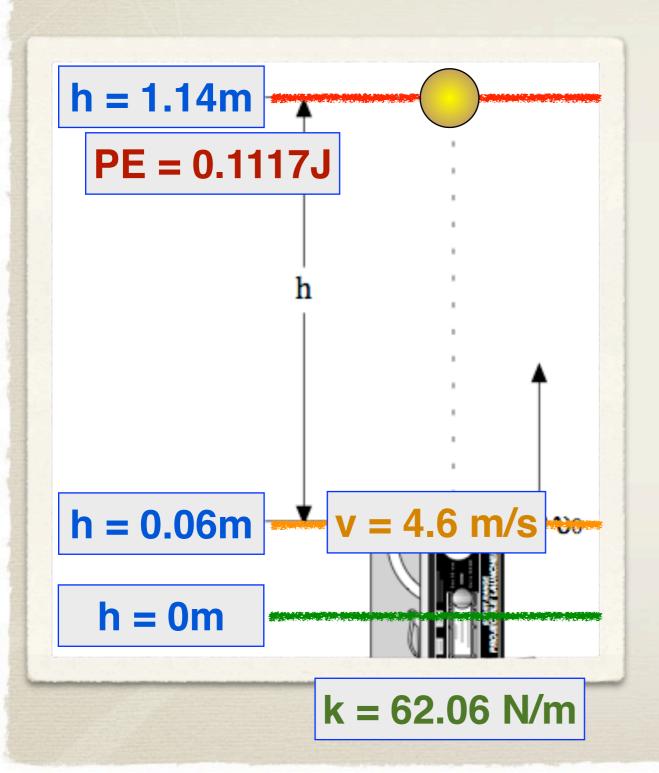


- Find the KE and the velocity
- \triangleright **PE** = (0.010 kg)(9.8)(0.06)
- \triangleright PE = 0.00588 J = 5.88 mJ
- \triangleright **KE** = 0.1117- 0.00588 = 0.1058 J
- \triangleright 0.1058 J = $\frac{1}{2}$ (mv²)
- \triangleright 0.1058 J = $\frac{1}{2}$ (0.010) V^2
- v = 4.6 m/s

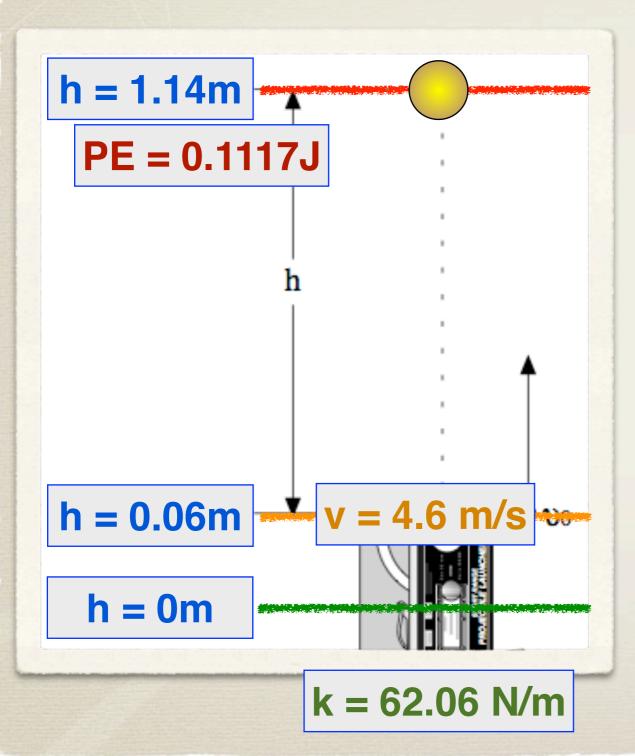
and that is about what you calculated using old equations before



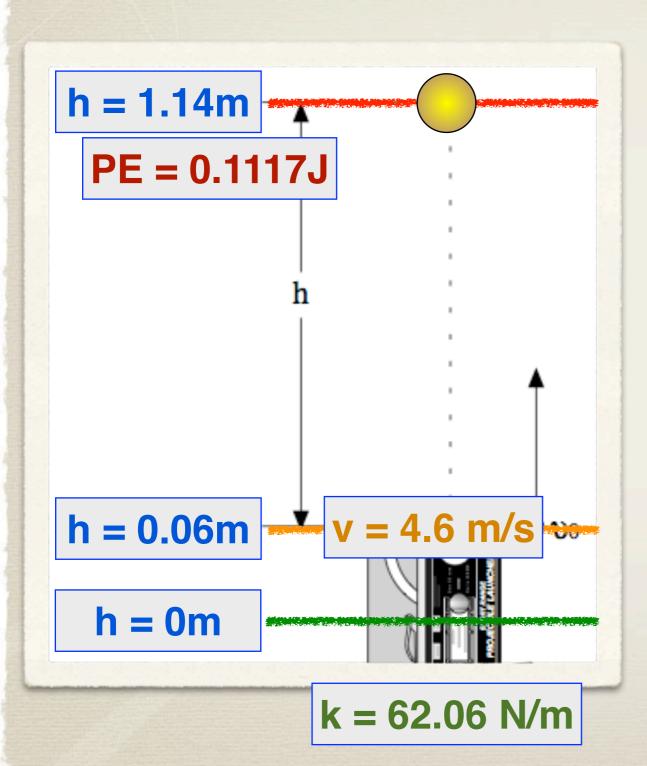
▶ In lab, you compressed a spring a distance of 6cm. The 10g ball went up 1.08m.



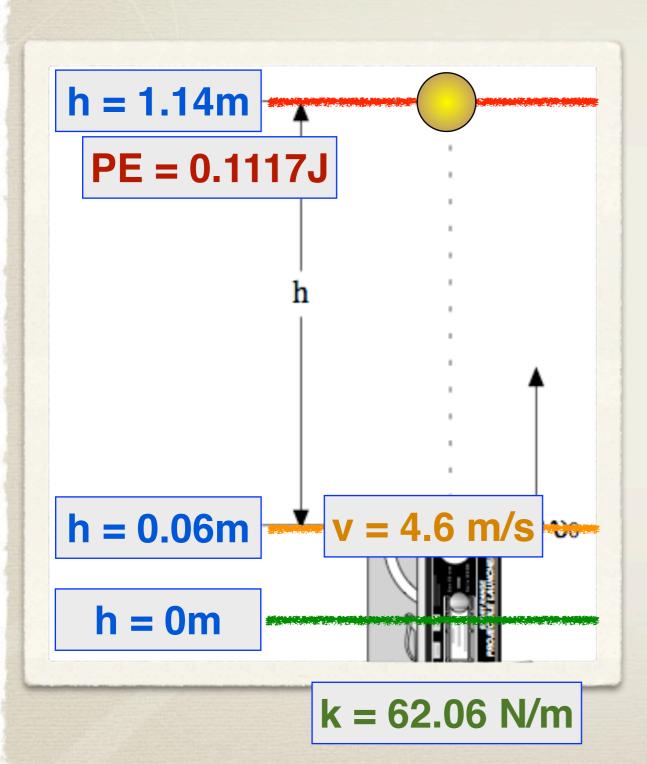
Find the maximum force used to push the spring



- ▶ Find the maximum force used to push the spring
- \triangleright F = k x

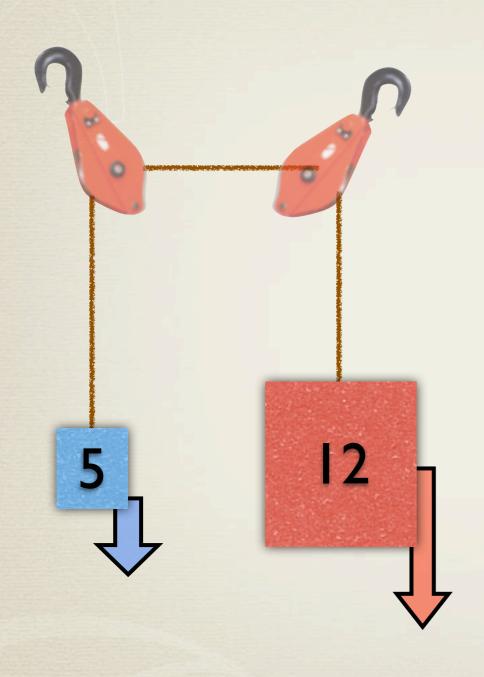


- Find the maximum force used to push the spring
- \triangleright F = k x
- \triangleright F = (62.06 N/m) (0.06m)



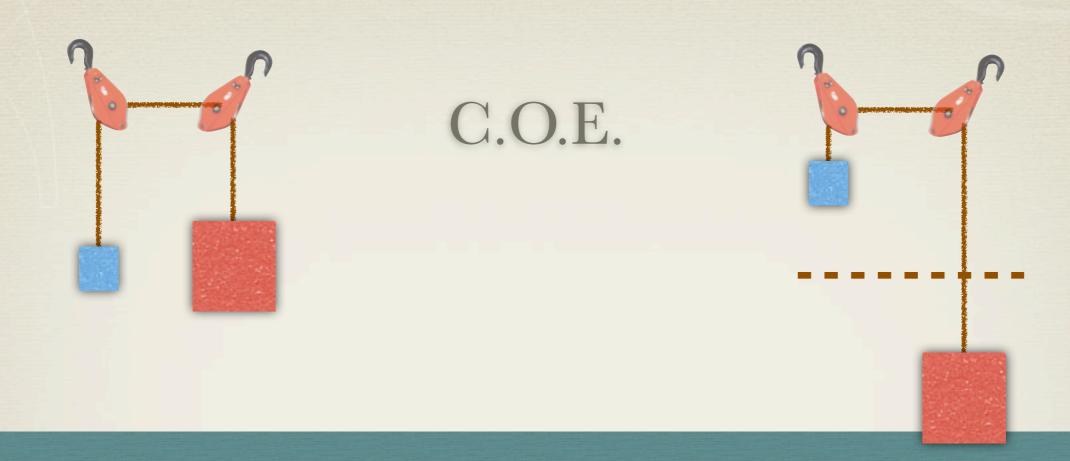
- Find the maximum force used to push the spring
- \triangleright F = k x
- \triangleright F = (62.06 N/m) (0.06m)
- \triangleright F = 3.7236 N

The Atwood Machine

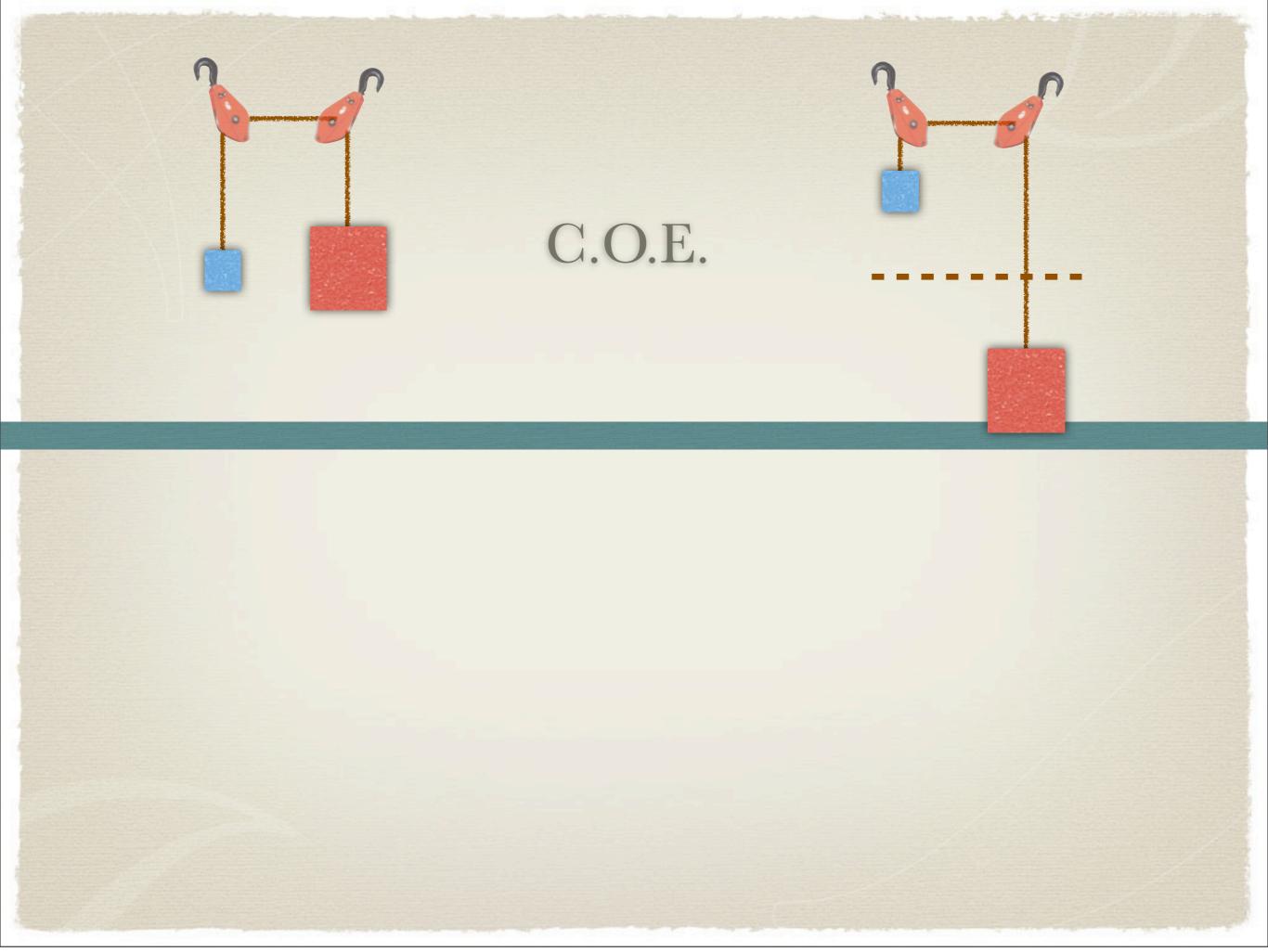


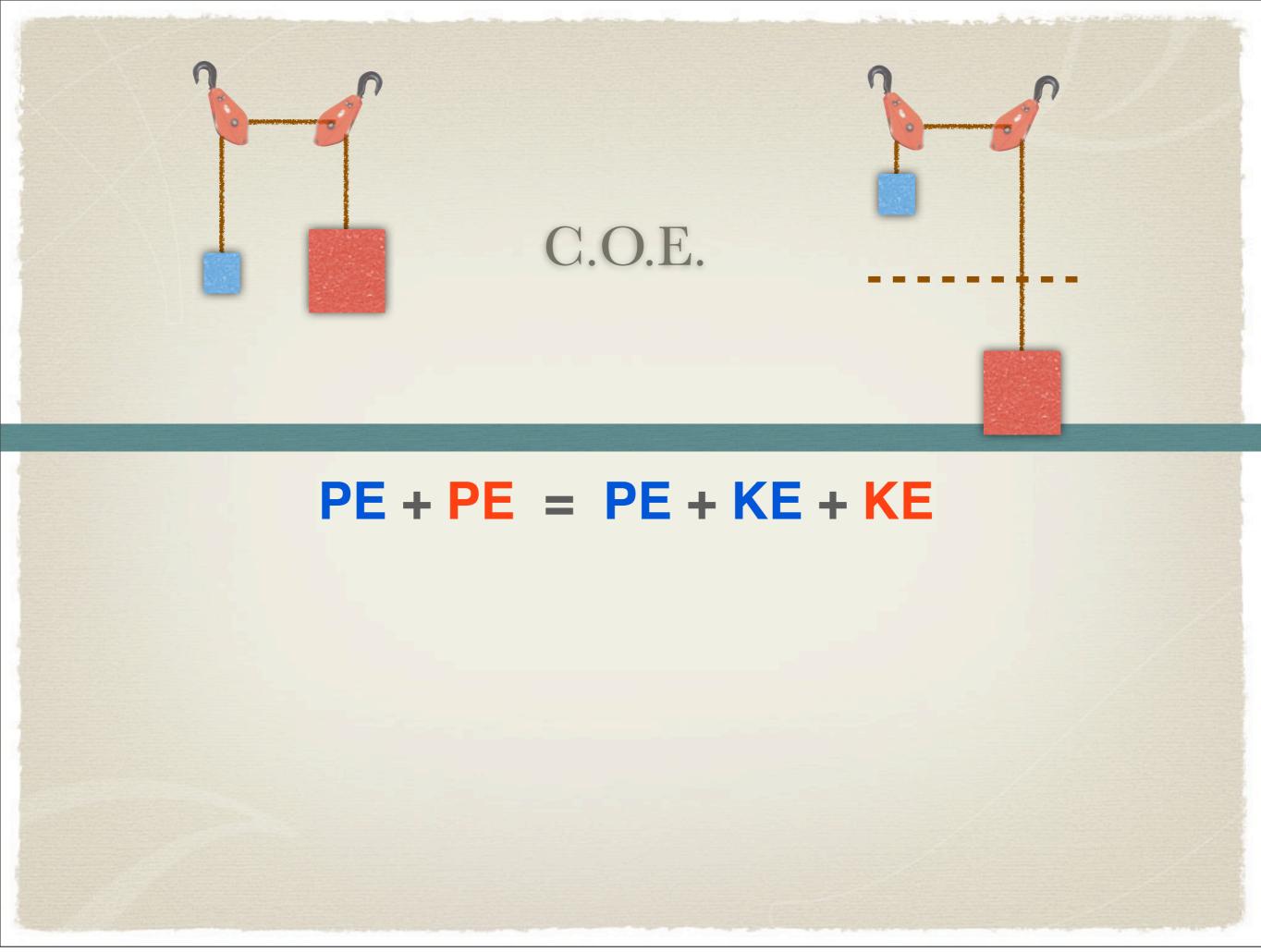
Find the velocity of the red block as it hits the ground 3 m below.

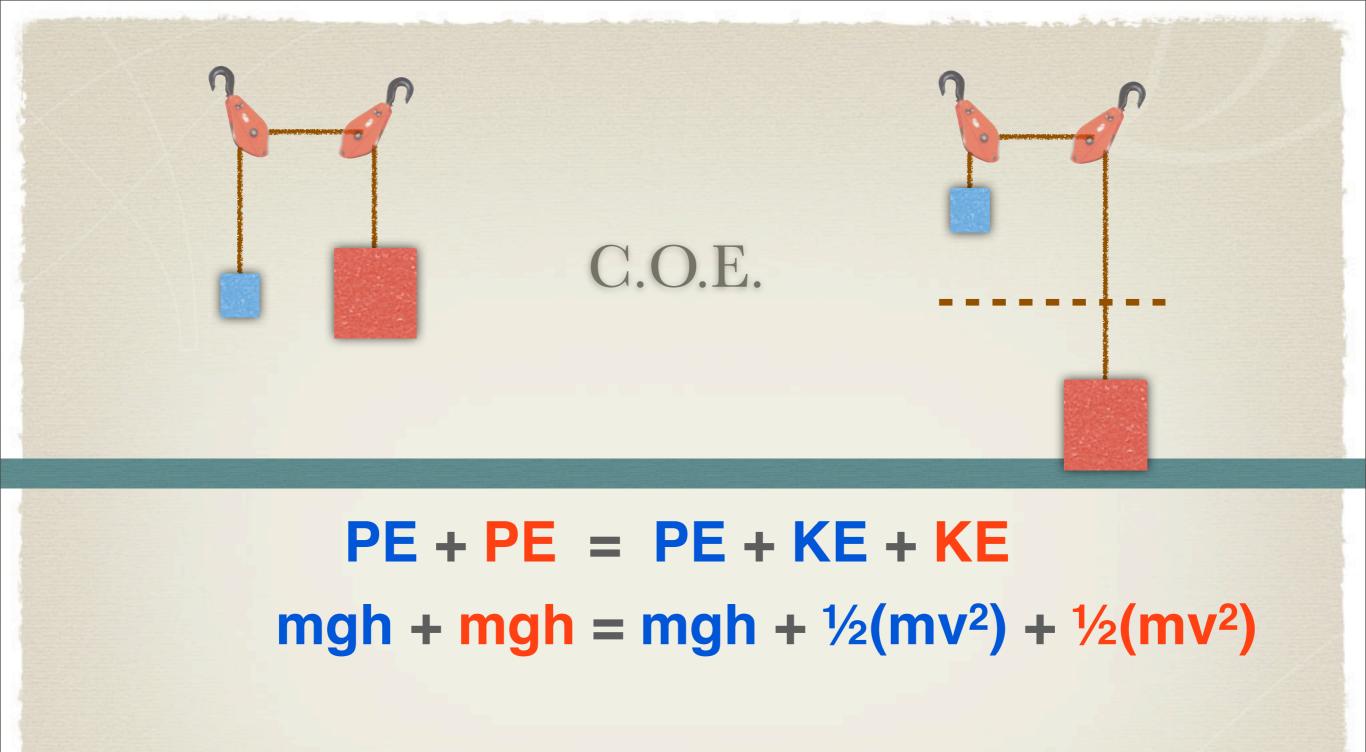
Conservation Of Energy



- Initial: Not moving, both have a height of 3m.
- Final: Both moving, Blue is at 6m, Red is at 0m.









$$PE + PE = PE + KE + KE$$

$$mgh + mgh = mgh + \frac{1}{2}(mv^2) + \frac{1}{2}(mv^2)$$

$$5(9.8)(3) + 12(9.8)(3) = 5(9.8)(6) + \frac{1}{2}(5v^2) + \frac{1}{2}(12v^2)$$



PE + PE = PE + KE + KE
mgh + mgh = mgh +
$$\frac{1}{2}$$
(mv²) + $\frac{1}{2}$ (mv²)
5(9.8)(3) + 12(9.8)(3) = 5(9.8)(6) + $\frac{1}{2}$ (5v²) + $\frac{1}{2}$ (12v²)
147 + 352.8 = 294 + 2.5v² + 6v²



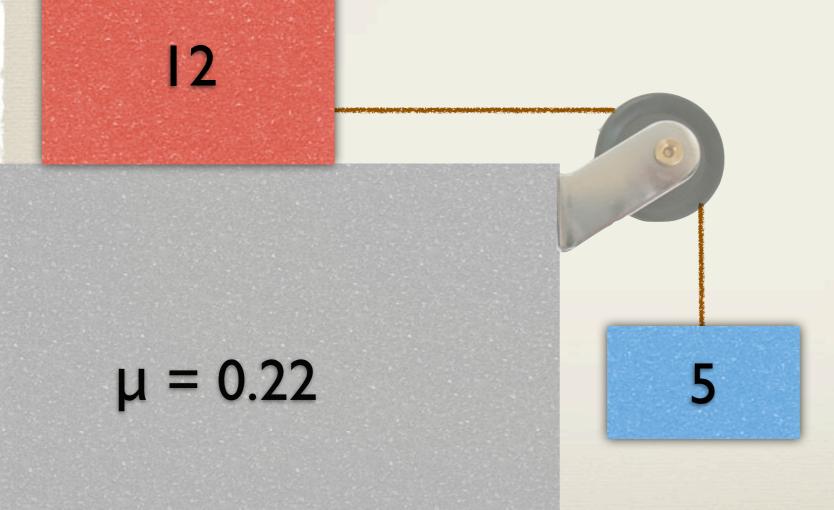
PE + PE = PE + KE + KE
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 $205.8 = 8.5v^2$



PE + PE = PE + KE + KE
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5(9.8)(3) + 12(9.8)(3) = 5(9.8)(6) + $\frac{1}{2}$ (5v²) + $\frac{1}{2}$ (12v²)
147 + 352.8 = 294 + 2.5v² + 6v²
205.8 = 8.5v²
4.92 = v

Energy Lost to Friction

Find the velocity of the blue block as it hits the ground 8m below.



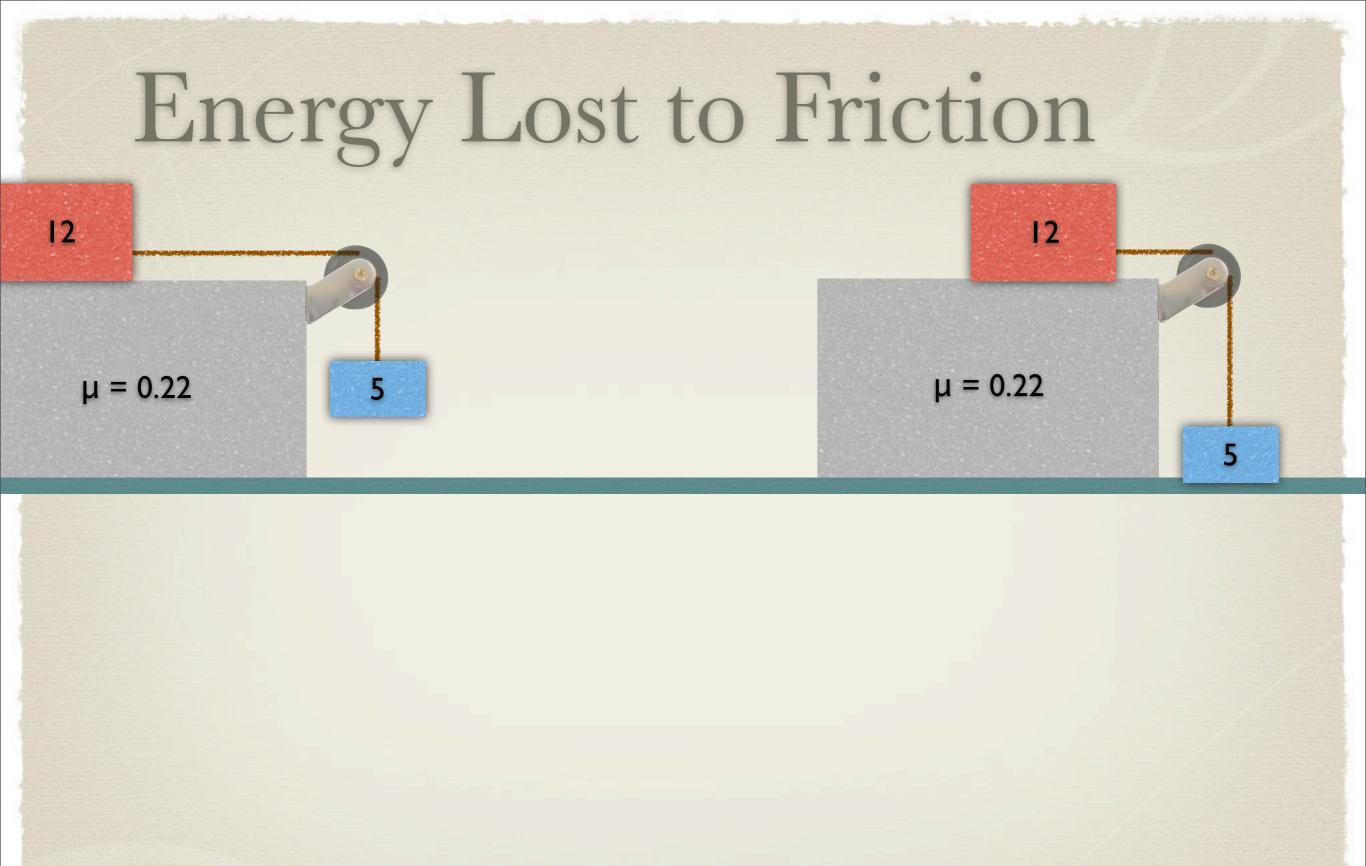
Energy Lost to Friction

- ▶ Initial; the blue block has potential energy.
- ▶ Final; both blocks have kinetic, and TE is less because of friction.

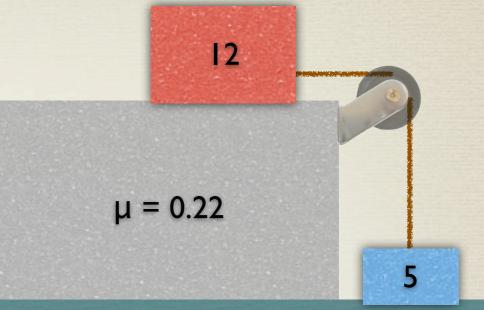
12

 $\mu = 0.22$



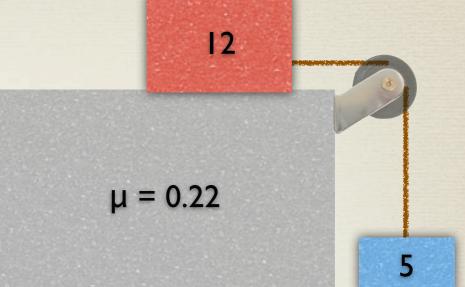




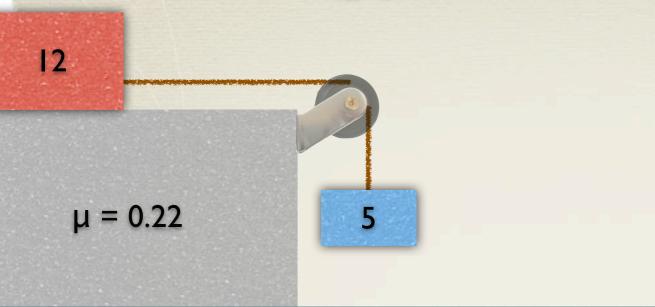


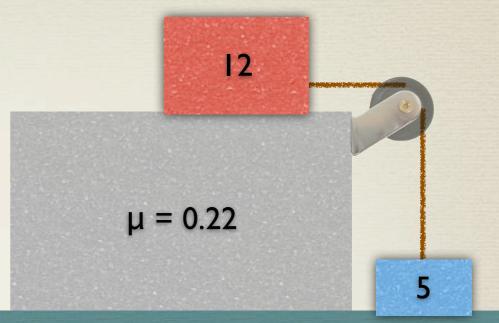
 $PE = W_f + KE + KE$





PE =
$$W_f$$
 + KE + KE
mgh = $(\mu N)d + \frac{1}{2}(mv^2) + \frac{1}{2}(mv^2)$

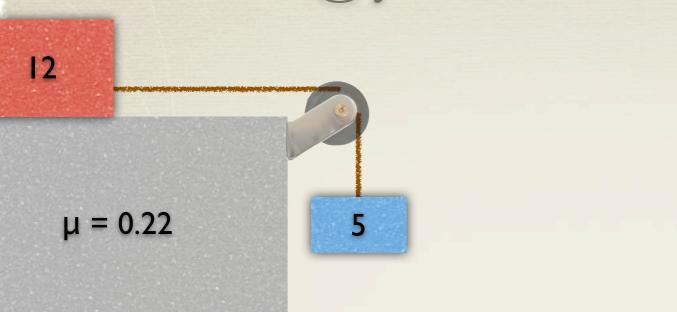


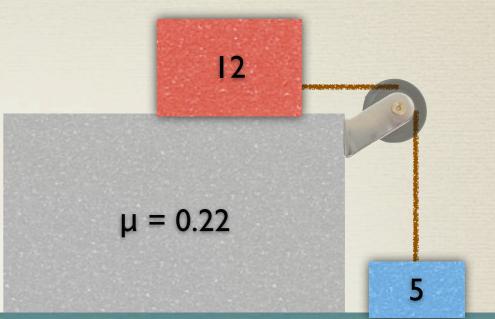


$$PE = W_f + KE + KE$$

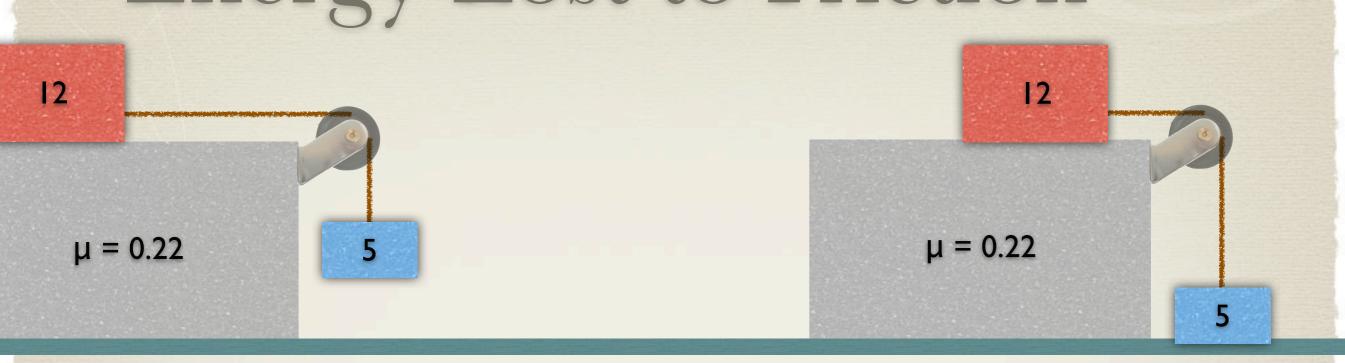
$$mgh = (\mu N)d + \frac{1}{2}(mv^2) + \frac{1}{2}(mv^2)$$

$$5(9.8)(8) = (0.22)(12(9.8))(8) + \frac{1}{2}(5v^2) + \frac{1}{2}(12v^2)$$





PE = W_f + KE + KE
mgh = (
$$\mu$$
N)d + ½(mv²) + ½(mv²)
5(9.8)(8) = (0.22)(12(9.8))(8) + ½(5v²) + ½(12v²)
392 = 206.98 + 2.5v² + 6v²



PE = W_f + KE + KE
mgh = (
$$\mu$$
N)d + ½(mv²) + ½(mv²)
5(9.8)(8) = (0.22)(12(9.8))(8) + ½(5v²) + ½(12v²)
392 = 206.98 + 2.5v² + 6v²
185 = 8.5v²



PE = W_f + KE + KE
mgh = (
$$\mu$$
N)d + ½(mv²) + ½(mv²)
5(9.8)(8) = (0.22)(12(9.8))(8) + ½(5v²) + ½(12v²)
392 = 206.98 + 2.5v² + 6v²
185 = 8.5v²
4.67 m/s = v

Academic Assignment

Academic Physics

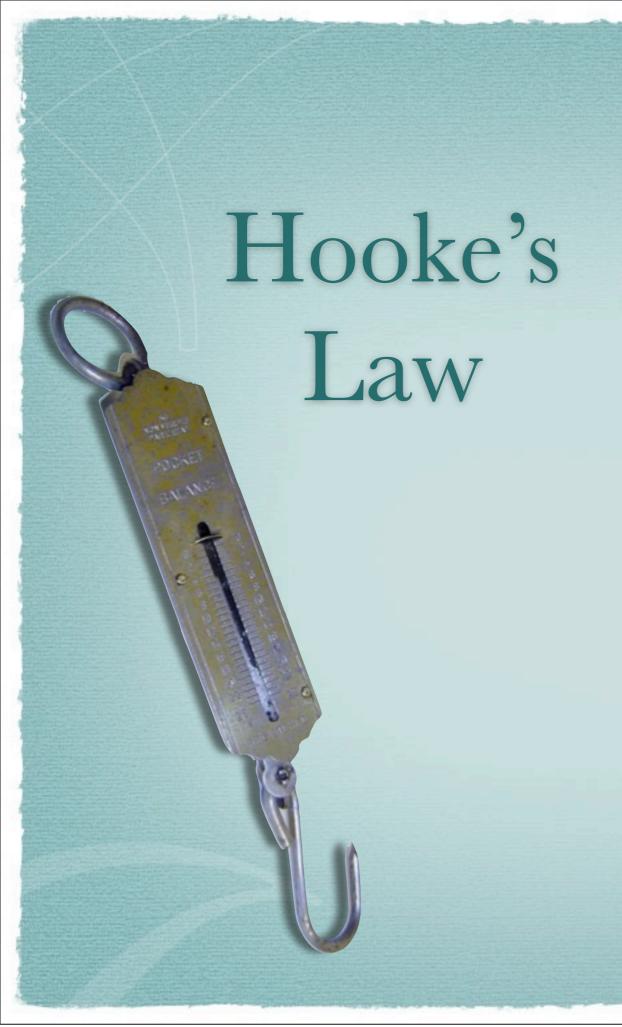
Set 1 - Chapter 10

1, 2, 3, 5, 6, 7, 25, 26, 27, 28, 52, 53, 56, 57

Academic Physics

Set 2 - Chapter 10

60, 63, 67, 70, 71, 76, 79, 81, 83, 84, 85, 90, 93



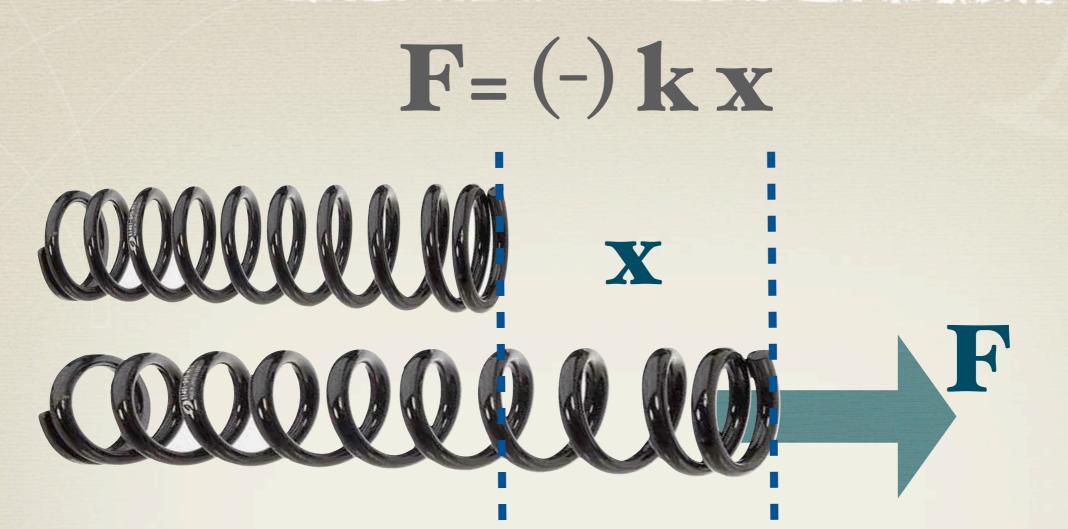


F = (-)kx



- Force required to stretch the spring, or restoring force.

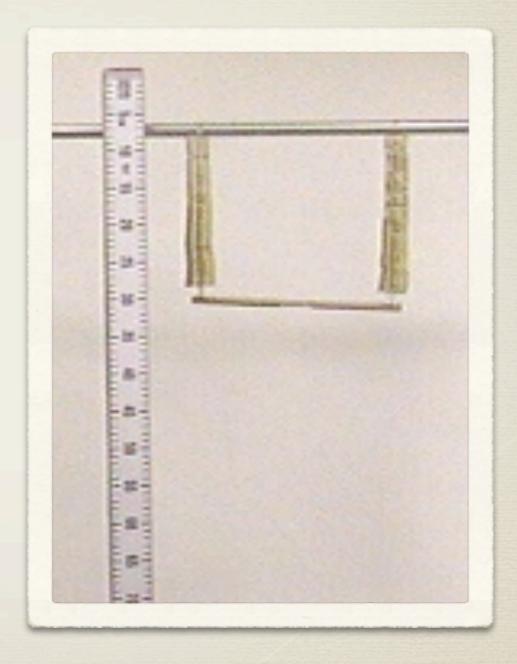
 Often the weight (N)
- ▶ k Spring Constant How "tight" the spring is. (N/m)
- x Stretch a change in length (m)



- Force required to stretch the spring, or restoring force.
 Often the weight (N)
- ▶ k Spring Constant How "tight" the spring is. (N/m)
- x Stretch a change in length (m)

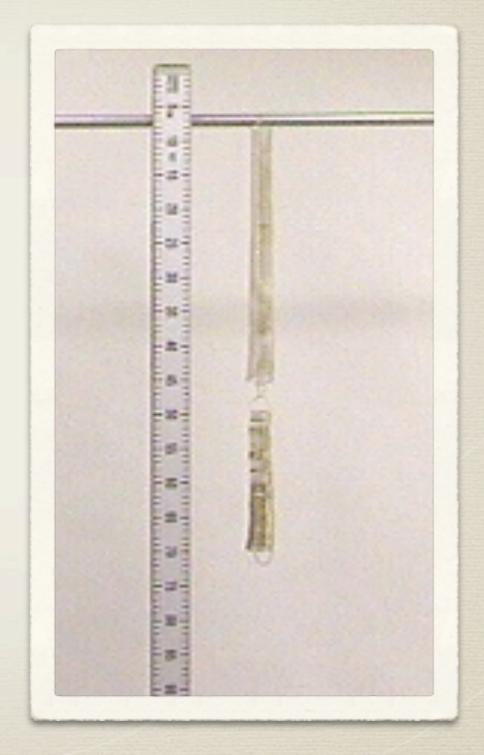
Springs in Parallel

- The same force is supported by two springs so neither has to stretch as far...
- ...or, it is harder to stretch two springs so the constant is increased
- $\geqslant k = k_1 + k_2$



Springs in Series

- Both springs support the same amount of weight (not split in two like before)...
- or... it is easier to stretch
- $1/k = 1/k_1 + 1/k_2$



What is the spring constant?

Up a track

